Identification of the Origins of Elevated Atmospheric Mercury Episodes Using a Lagrangian Modelling System

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Acknowledgements

- $\circ$  Natural Sciences and Engineering Research Council Canada
- $\circ\,$  Ontario Power Generation Ltd.
- $\circ$  Ontario Ministry of the Environment

HARMO 12; Meso-scale Meteorology and Air Quality Modelling Cavtat, Croatia; 8 October 2008



# Approach

- Previously developed a model for the analysis of atmospheric mercury transport in North Eastern North America<sup>(1)</sup>:
  - Nested Eulerian (Bullock CMAQ-Hg) model. Domains:
    - $\checkmark$  North America
    - ✓ Great Lakes
    - ✓ Southern Ontario.
- Model application<sup>(2)</sup> gives "natural" Hg emission from soil, water and vegetation; adds this to anthropogenic
  - <sup>(1)</sup> Gbor *et al.*, " Improved Model for Mercury Emission, Transport and Deposition", Atmospheric Environment, **40**, 973-983 (2005).
  - <sup>(2)</sup> Gbor et al. "Modeling of mercury emission, transport and deposition in North America", Atmospheric Environment 41 1135–1149 (2007);



## Natural Mercury Emissions

Natural Hg includes mineral and historical anthropogenic deposition.
Natural emission are based on measured soil and water mercury levels





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### Natural and Anthropogenic Emissions

• Average mercury emission fluxes (ng/m²/h) 1 Jan. to 30 Dec., 2002



Natural

Anthropogenic



#### CMAQ-Hg CTM Comparison with Measurement

 Eulerian CTM (including natural emission) does well in most cases, but fails for short episodes ("plumes") 2.8 -- model 2.6 measurement Hourly TGM Concentration,  $ng/m^3$ — No Natural 2.4 2.2 2 1.8 1.6 1.4 1.2 Hourly TGM - Point Petre 1 16-May 20-May 28-May 1-Jun 4-May 8-May 12-May 24-May Day

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### Analysis of Model - Measurement Differences

oal: Identify sources of episodic differences

pproach:

- 1) Systematically compare the time series of CMAC-Hg CTM predictions with measurements to identify episodes that are not well described by the CTM
- 2) Examine these episodes using Lagrangian model
- Same meteorology and same emissions are used with both models. This saves computational time and effort.

dvantage: Eulerian CTM can be run at low resolution Waterle Centre for Materia Centre for Atmospheric Sciences

## Lagrangian Modelling to Identify Plumes

• Why does Eulerian CTM differ from measurement?

- Differences with short term measurements due to spatial averaging at (low) 36 km resolution.
- Examine differences with: Stochastic Time-Inverted Lagrangian Transport (STILT) Model\*
  - simulates upstream influences on a receptor by following the evolution of a particle ensemble backward in time
  - > Interpolates wind fields to the location of each particle
  - Simulates turbulent motions in PBL by a Markov chain process based on observed meteorological parameters.

\*Lin, J.C., et al., J.G.R. 108, 4493 (2003)



# Hg Transport with STILT

- Tracer emitted at any (surface) location is divided <u>equally</u> among particles originating there at altitudes below the turbulent mixing height.
  - Particle density at a specified receptor directly yields the tracer concentration at the receptor location.
  - Backward transport of particles from a receptor thus maps out locations and <u>strengths</u> of sources contributing to that receptor.
- Source strength: given by surface flux, particle density and residence time.
- Wet and dry deposition of the tracer are included



### Source-Receptor Connection: the Footprint

 <u>Source footprint</u>: the concentration change at the receptor for a unit surface flux at the footprint location that persists for a specified time interval:

$$f(x_{r},t_{r} \mid x_{i},y_{j},t_{m}) = \frac{m_{air}}{h\overline{\rho}(x_{i},y_{j},t_{m})} \frac{1}{N_{tot}} \sum_{p=1}^{N_{tot}} \Delta t_{p,i,j,k}$$

- >  $\overline{\rho}(x_i, y_j, t_m)$  : local density of particles at the source  $(x_i, y_j, t_m)$
- $\succ \Delta C_{m,i,j}(x_r,t_r) = f(x_r,t_r \mid x_i,y_j,t_m)F(x_i,y_j,t_m) \quad : \text{Change in}$

receptor concentration due to ensemble of air parcels remaining at source having emission flux:  $F(x_i, y_j, t_m)$  for a time  $\Delta t_{p,i,j,k}$ 



#### Example: Source Footprints for Hg at Burnt Island Receptor (February 2002)



- Points: Locations of Hg point sources
- > Colour: footprint ( $\log_{10}$  [ppm/µmole/m<sup>2</sup>/s])



#### Hg Concentrations at Burnt Island (February 2002)



• STILT reproduces episodes better than (low resolution) regional model

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#### This Study: Total Hg Emission and Measurements



#### Monitoring Sites Egbert and Point Petre (February 2002)

















### Conclusions

- Lagrangian model can identify and quantify sources causing short term plumes that are not well characterised by Eulerian CTM
- Same meteorology and emissions are used in both cases leading to a small increase in computational effort
- Lagrangian particle model examines only that part of the space that is relevant to the measurement
- Use of large numbers of Lagrangian particles (hundreds-thousands) ensures accuracy of source identification



