

# NEW LAGRANGIAN APPROACH FOR WET PLUME MODELLING

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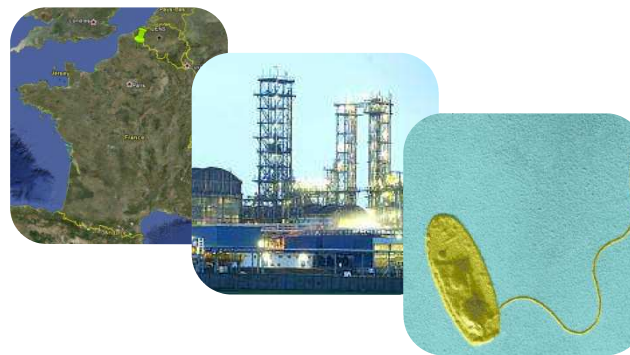
# CONTENT

- Context and objectives
- Development of a new wet plume model in the MSS (Micro-Swift-Spray) lagrangian model :
  - Microphysic of the droplet
  - Validation with wind tunnel data
- Dispersion modelling of experimental biological releases
- Conclusion and future work



## Context

2003 – Lens (France)  
Outbreak of legionnaires' disease  
83 victims including 14 death.



- ➔ Question to modellers:  
« A suspected source of legionella exists but infected people are located up to 15km from source. Is it possible? »
- ➔ Observation : *Legionella* is present in aquatic systems, it survives in water droplets and is affected by temperature, humidity and radiation when isolated.
- ➔ Need to develop an accurate model able to take into account:  
Urban area, microphysical process coupled with a biological model

# Requirements for the new wet plume model

## Physical specifications:

- Need to investigate urban area (buildings)
- to take into account complex terrain
- to model periods of several days/week,

} Lagrangian approach  
more relevant

## Microphysical specifications:

- The evolution of a spectrum of water droplet (evaporation/condensation),
- Temperature evolution inside the plume,
- Diagnostic the moment when a water droplet is totally evaporated for then apply the biological model on the microorganisms (decay model).

## Biological specifications:

- Concentration in Microorganisms has to be calculated for the water liquid phase and vapour.
- Biological model based on the work of CSTB (Ti Lan Ha, 2005)

# Microphysic of the droplet : Mass and Temperature evolution

$$\frac{dm}{dt}_{droplet} = \pi \times D_{diff\_vapour} \times D_{droplet} \times S_h \times (C_s - C_\infty)$$

$C_s$  saturated water vapor concentration [kg/m<sup>3</sup>]  $C_s = P_{sat} \cdot \frac{M_{water}}{R \cdot T_{droplet}}$   
 $C_\infty$  water vapor concentration [kg/m<sup>3</sup>]

$$C_\infty = C_{vapour\_atm} + C_{vapour\_plume}$$

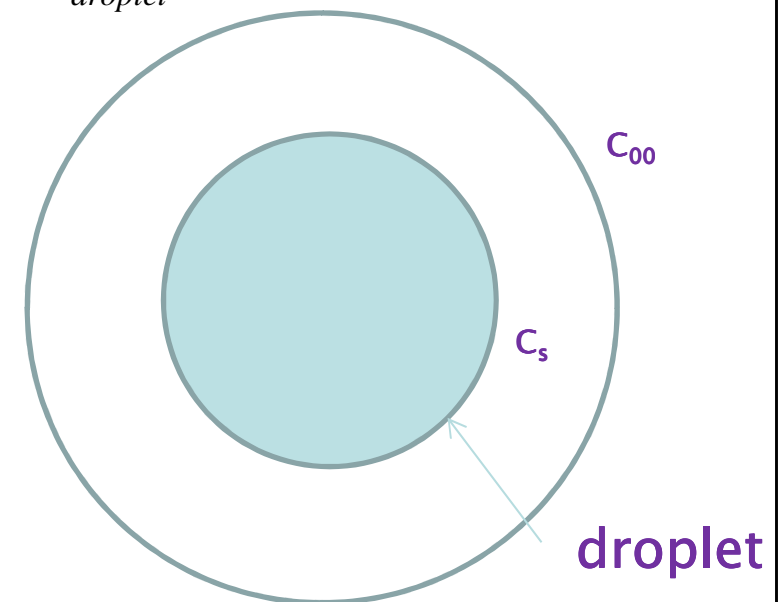
$D_{droplet}$  : droplet diameter [m]

$D_{diff\_vapour}$  : molecular diffusivity of water vapor in air [m<sup>2</sup>/s]

$$\frac{dT_{droplet}}{dt} = \frac{Nu}{3Pr} \left( \frac{\theta_1}{\tau_d} \right) (T_{air} - T_{droplet}) + \frac{L_v}{C_L} \frac{dm_{droplet}/dt}{m_{droplet}}$$

$T_{air}$  (K) local carrier plume temperature

$T_{droplet}$  (K) droplet temperature





## Validation test (0D) :

# Evaporation rate, temperature evolution

Small wind tunnel experiments : *Kincaid, D.C., Longley, T.S. (1989)*

Controlled and tested parameters

- air velocities : up to 10 m/s
- Temperature of the flow
- humidity : up to 81% for  $T = 22^{\circ}\text{C}$
- droplet diameter : 0,3 to 1,5 mm

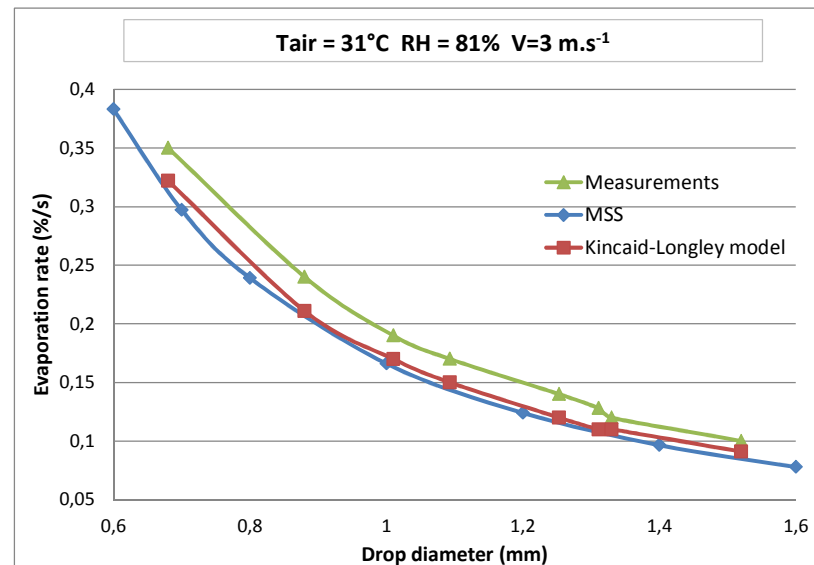
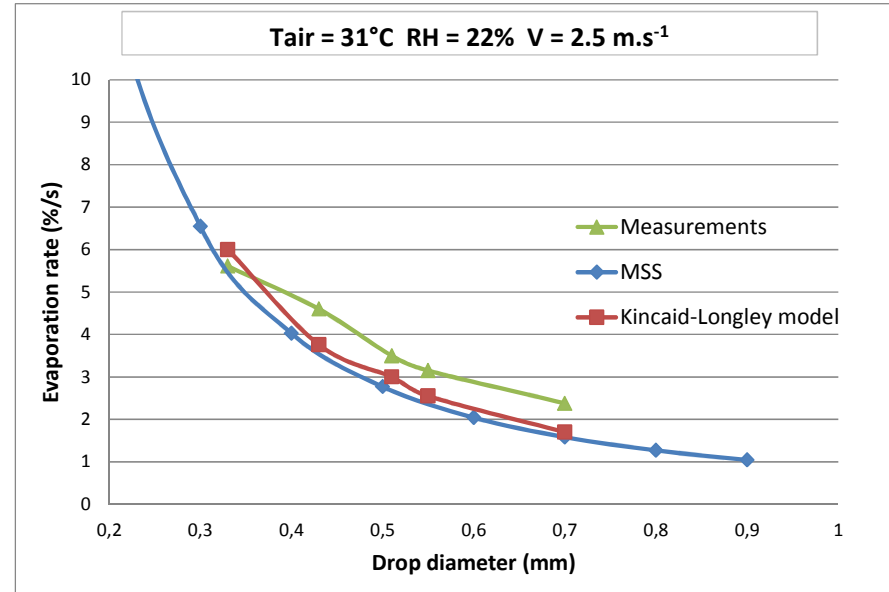
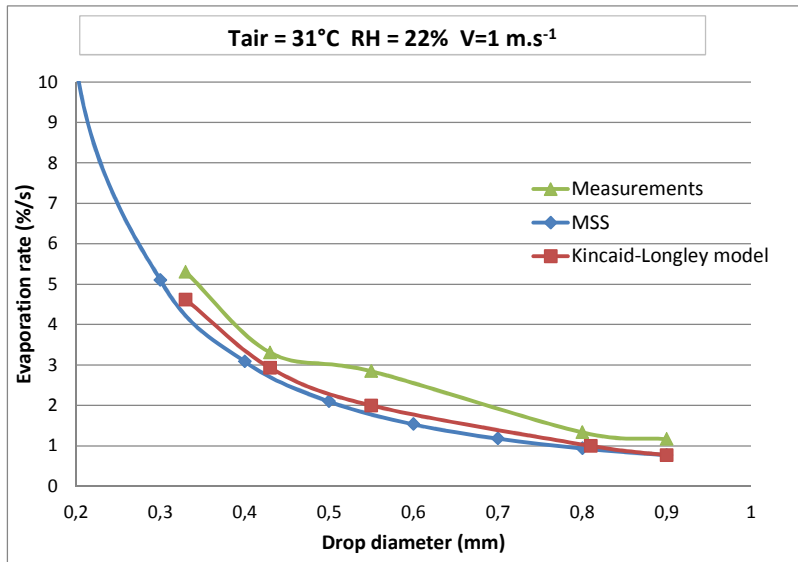
Measurements

- wet bulb temperature in the flow : electric psychrometers
- droplet temperature
- diameter  $\rightarrow$  evaporation rate (steady state case)

Kincaid et al. : model for T (lagrangian equation) and evaporation rate (energy balance)

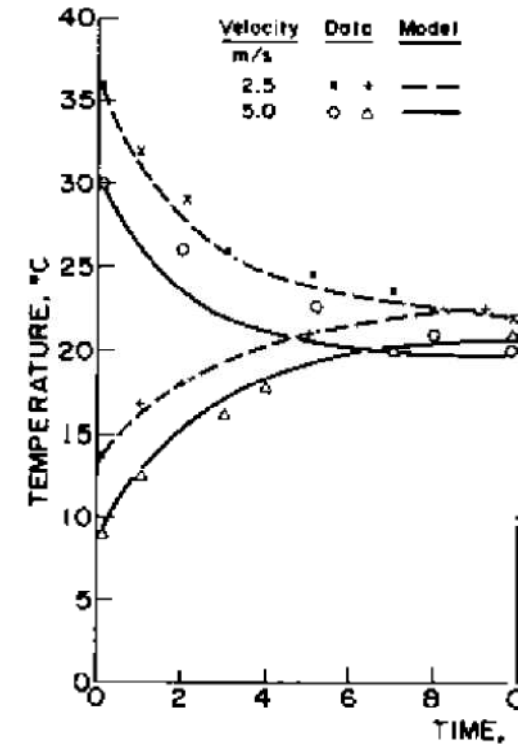
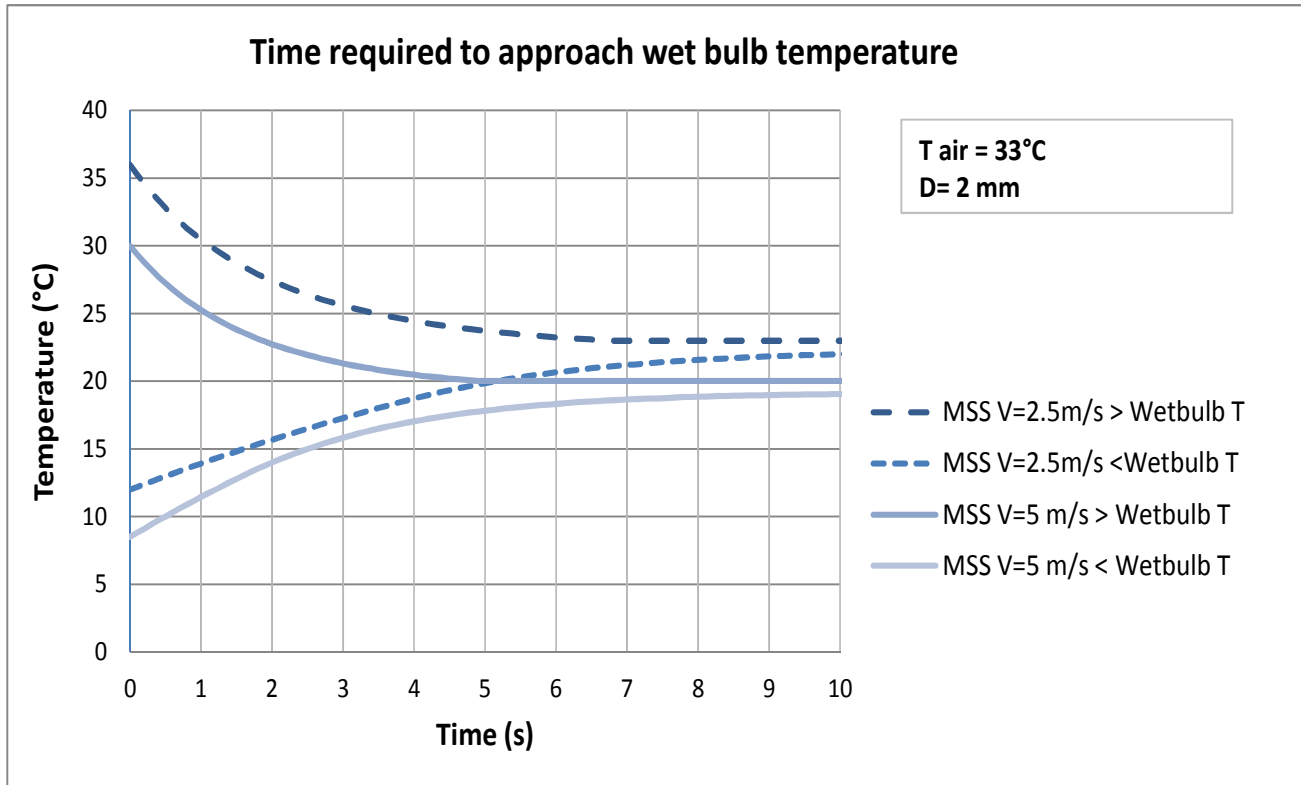
# Validation test (0D) : Evaporation rate

Comparison : MSS, Kincaid et al. : measurements and model



# Validation test (0D) : temperature evolution

→ Air velocity condition and temperature influence



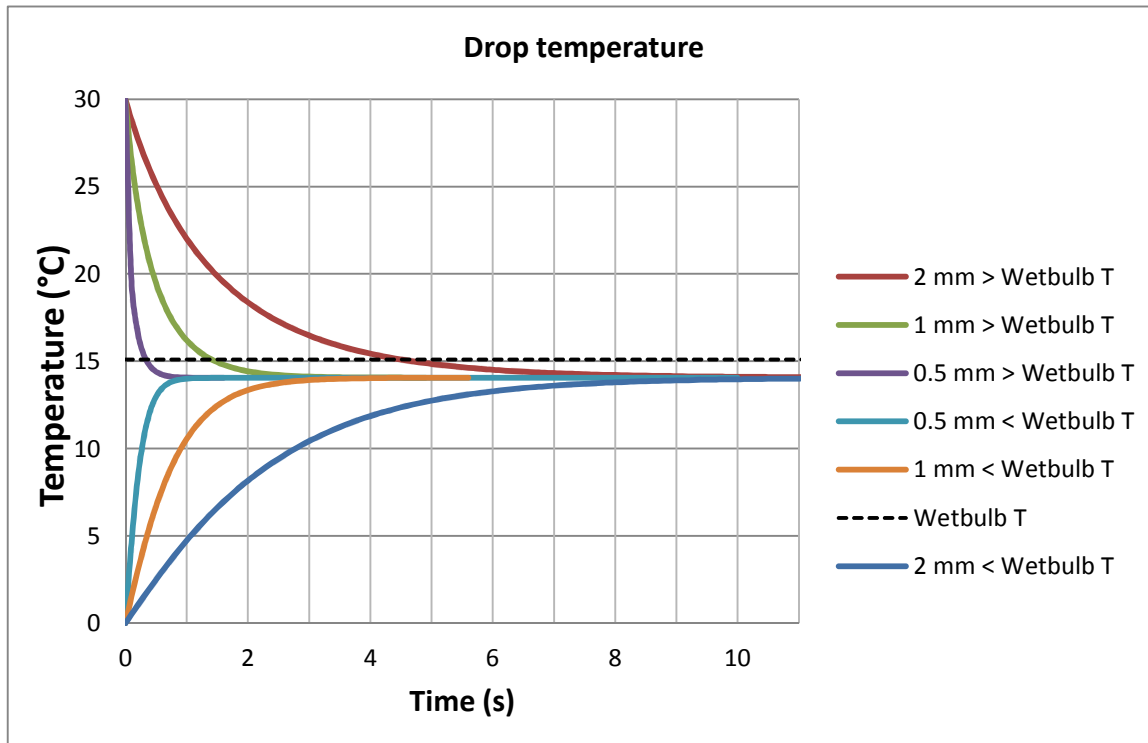
MSS calculations

Kincaid et al.:  
measurements and model

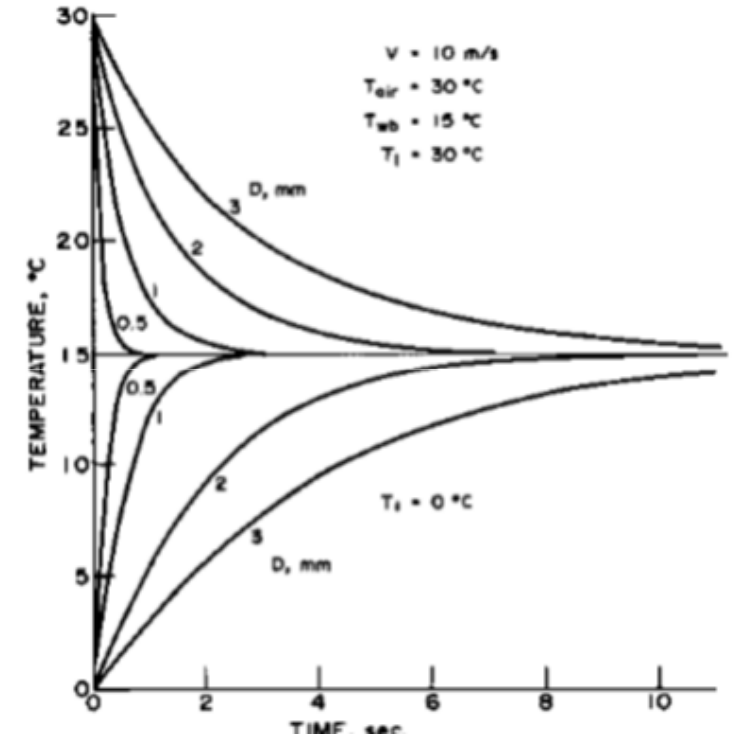


# Validation test (0D) : temperature evolution

→ Drop size influence



MSS calculations



Kincaid et al. model



# Synthesis

Inside the virtual particles of the lagrangian models:

- Liquid water droplets
- Vapour
- Microorganisms included inside the water droplets
- After total evaporation the isolated microorganisms are transported as free airborne

Evaporation:

Laws for evaporation rate and temperature droplet evolution.

Condensation :

When the saturation level is reached, all the exceeding vapour mass is distributed into new droplet.



## Comparisons with other dispersion models

- *Code\_Saturne*

Open sources CFD model developed by EDF, with atmospheric module  
Version 3.0 was released in march 2013, with humid atmosphere  
model based on E. BOUZEREAU PhD (2004) : 3 equations (number  
of droplets, total water, virtual potential temperature)

Comparison not available yet because of late availability

- *GEDEON*

Model developed at EDF in the 80s, based on KESSLER scheme:

3 equations : cloud water, rain water, vapour water.

Instantaneous mass transfer between the different phases

Validated on METEOTRON experiment (1000 MW cooling tower)



## Biological model

**When water droplets are totally evaporated, microorganisms are released and transported as free airborne tracers.**

Assumption : microorganisms are safe inside the water droplets and impacted by solar radiations, temperature and humidity when isolated (not contained in a water droplet).

Following the law:

$$N_{spores}(t + \Delta t) = N_{spores}(t) \cdot e^{-\alpha_i \cdot \Delta t}$$

Where  $\alpha$  (T,Rad,HR) is the decay parameter.

For legionella we used the values issued from (Ti Lan Ha,2005)

# Local scale experiments: release in suburban area

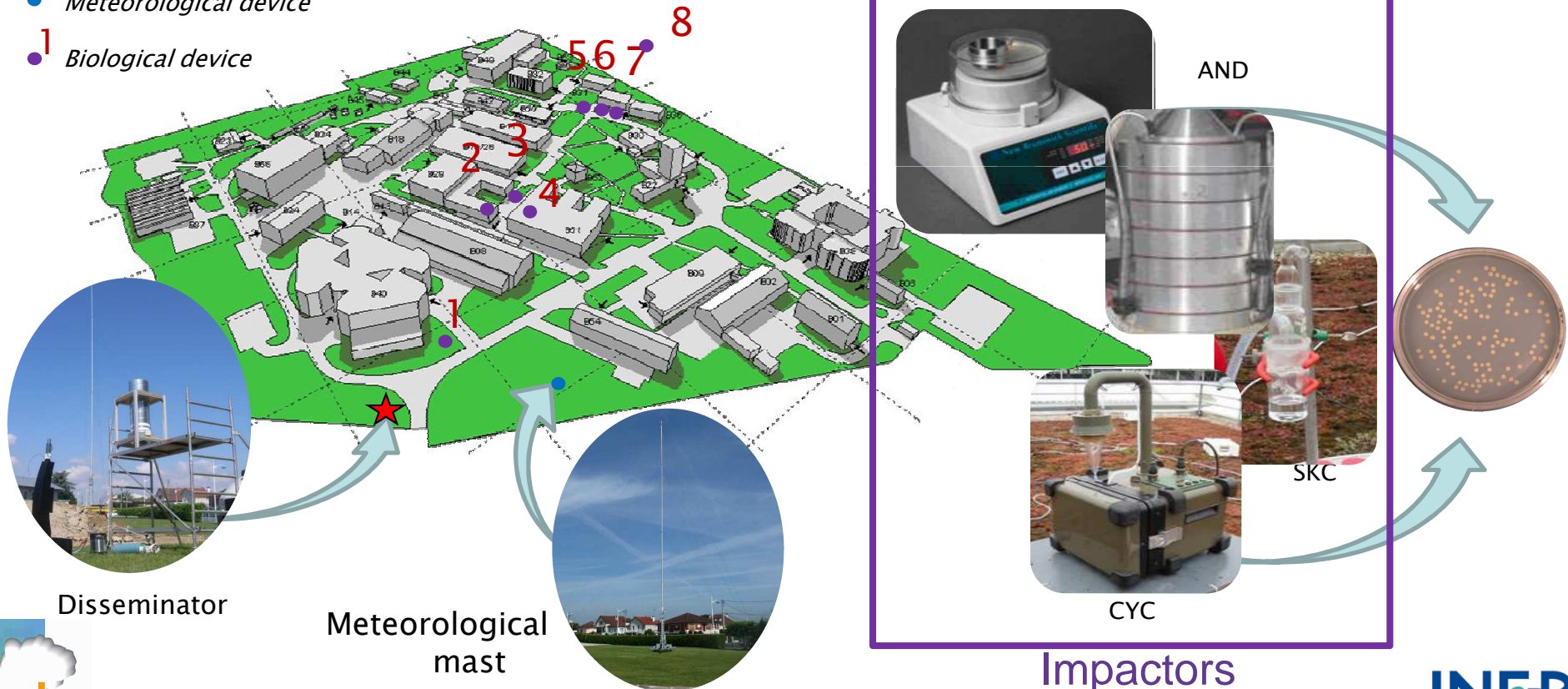
(Tognet et al., Harmo 14)

3 releases of Inoffensive spores *Bacillus Globigii* (known as BG spores) were carried out in suburban areas by CSTB, DGA (NRBC) and INERIS in June 2009.

★ Source

● Meteorological device

1 Biological device



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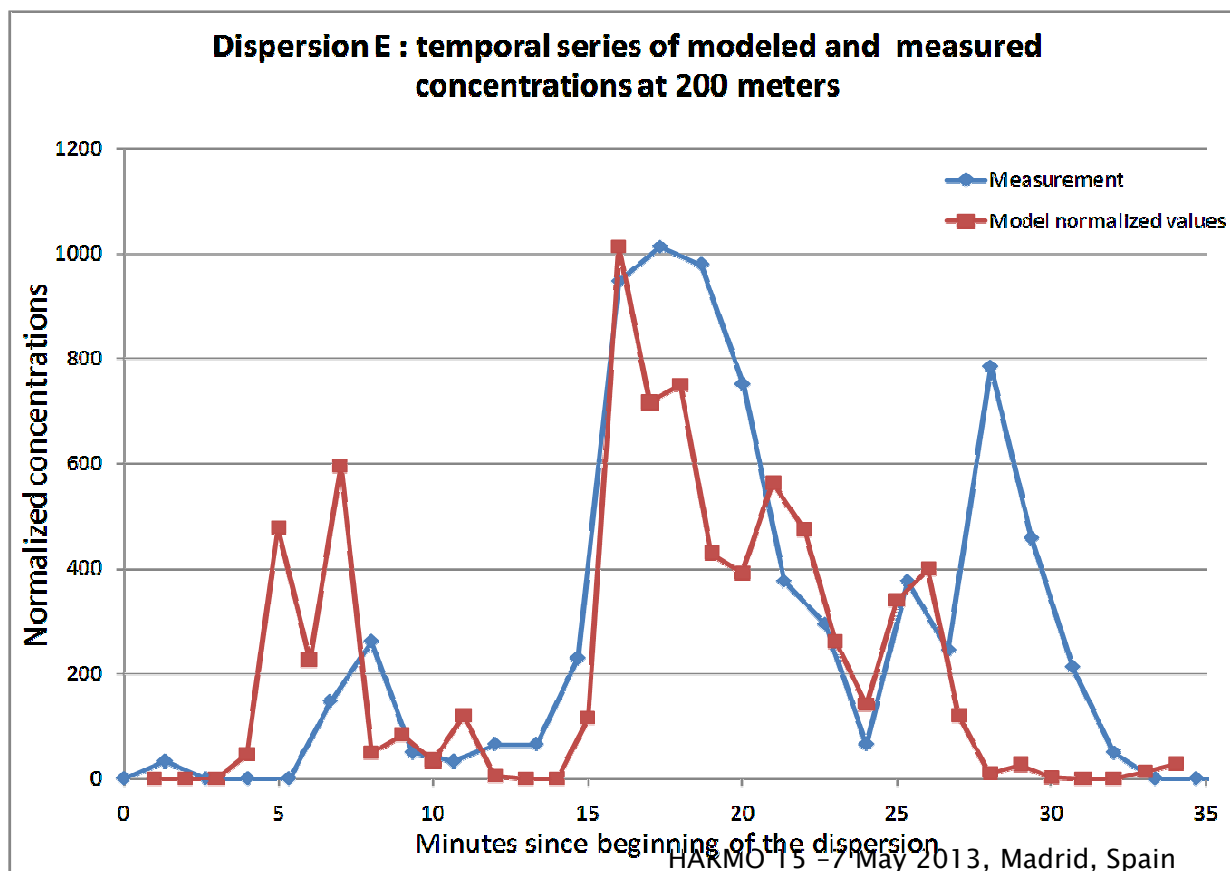
# Numerical simulation

**Wind flow:** 1 minute meteorological time step using the micro swift meteo processor.

**Source term:** liquid mass flow rate, water droplet spectrum, vapour flux

**Wet plume behavior modelled:**

- quick evaporation of the water droplet, (input : dry atmosphere and hot temperature)
- Then, the dispersion of the spores are modelled as free airborne.

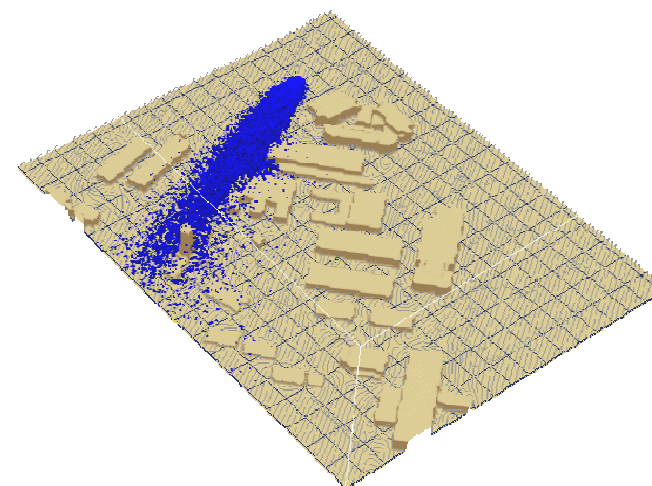


The biological model was not apply for these simulations, because of this kind of spores which are really resistant,

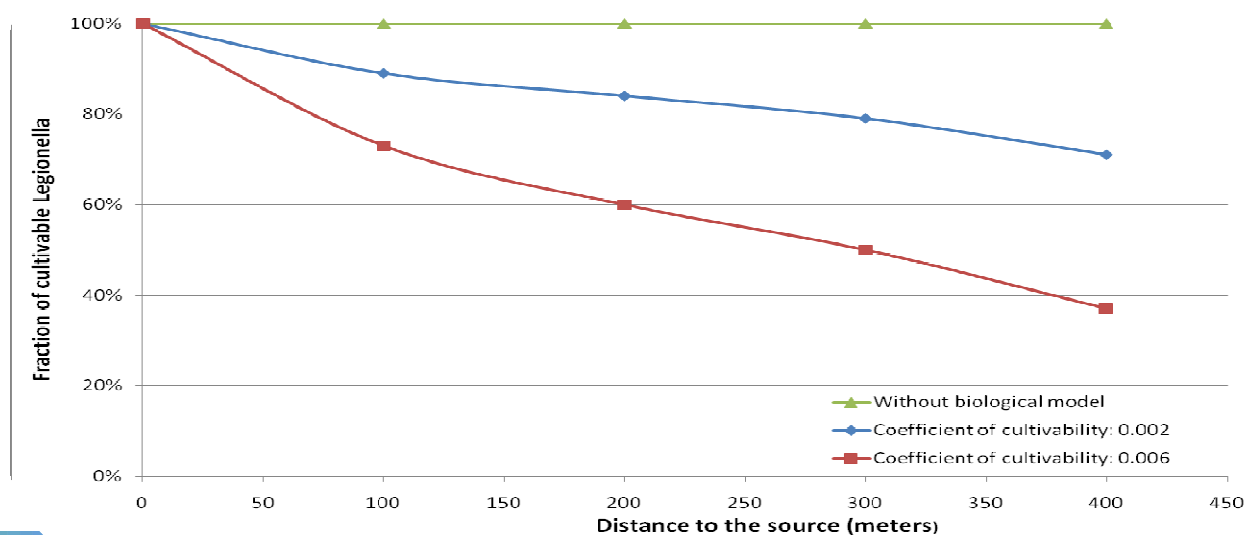
# Test of the biological model

CSTB performed an experimental characterisation of a small cooling tower.

Simulation of fictive dispersion of *legionella pneumophila*.



Fraction of cultivable Legionella according to the distance from the source



$\alpha 1$ : stress since emission.  
 $\alpha 2$  (T,Rad,HR).

## Concluding comments

- A good behaviour of the thermodynamic equilibrium model is obtained
- Promising comparisons with experimental tests
- Perspectives : comparisons with other dispersion models :
  - open source Code\_Saturne
  - Spray version (L. Mortarini et al., Harmo 14)