

06/07/2010

# Non-linear chemical reaction terms for ozone chemistry in CFD-based Air Quality modelling

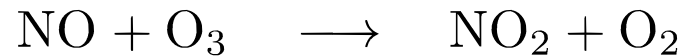
Bart De Maerschalck, Stijn Janssen, Clemens Mensink

# Outline

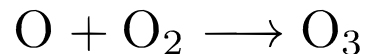
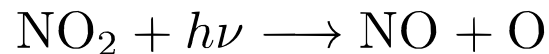
- » Motivation
- » CFD-model: Envi-met
- » Chemical reaction terms and reaction coefficients
- » Examples:
  - » Street canyon
  - » Street canyon with vegetation
  - » Highway with vegetation barrier

# Motivation

- » Traffic: direct emissions of NO and NO<sub>2</sub>
- » After emission: *fast* chemical reaction with ozone: formation of secondary NO<sub>2</sub>:



- » At the same time:



- » If a chemical equilibrium is reached:

$$\frac{[\text{NO}][\text{O}_3]}{[\text{NO}_2]} = \frac{j_{\text{NO}_2}}{k_{\text{NO}}}$$

# Motivation

- » Equilibrium is dynamically reached during transport
- » In complex urban environments (e.g. Streetcanyon) due to continuous mixing with fresh NO, NO<sub>2</sub> and O<sub>3</sub>, equilibrium state not reached within the domain of interest
- » Secondary NO<sub>2</sub> has a significant contribution
- » For regulatory purposes: NO<sub>2</sub> concentration is required
  
- » -> implementation of chemical transformation process in CFD-based air quality and micro-climate model (Envi-met)

# CFD-model: Envi-met

- » Envi-met: Micro climate + Air quality
  - » Prof. M . Bruse, University of Mainz, Germany ([www.envi-met.com](http://www.envi-met.com))
- » CFD based
  - » Reynolds Averaged Navier Stokes
  - » K- $\epsilon$  Turbulence model
  - » Structured mesh, resolution 0.5 – 10m
- » Soil model
  - » Water content
  - » Temperature
- » Radiative flux model
  - » Sw / Lw
  - » Clouds / shadows
- » Vegetation model:
  - » Aerodynamic resistance, source-term in turbulence model.
  - » Absorption of gases through the stomata, size dependent deposition on the leaf surface of PM

# Gas Dispersion: Eulerian approach

Advection      Turbulent mixing      emissions      Local sink terms

$$\frac{\partial C_i}{\partial t} + \mathbf{u} \cdot \nabla C_i + \nabla \cdot (\mathbf{K}_i \cdot \nabla C_i) = E_i - S_i + R_i$$

Non-linear reaction terms:  
Couples dispersion equations of NO, NO<sub>2</sub> and O<sub>3</sub>

# Chemical reaction terms

$$R_{NO} = \left( \frac{d[NO]}{dt} \right)_R = -k_{NO} [NO][O_3] + j_{NO_2} [NO_2]$$

$$R_{NO_2} = \left( \frac{d[NO_2]}{dt} \right)_R = k_{NO} [NO][O_3] - j_{NO_2} [NO_2]$$

$$R_{O_3} = \left( \frac{d[O_3]}{dt} \right)_R = -k_{NO} [NO][O_3] + j_{NO_2} [NO_2]$$

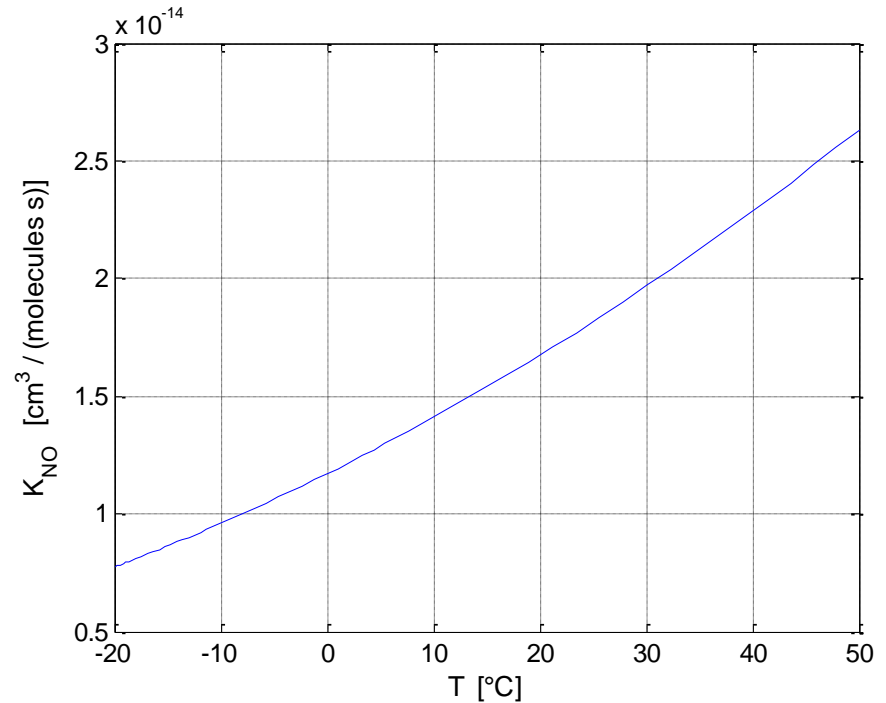
- »  $K_{NO}$  - bimolecular reaction rate coefficient (temperature)
- »  $j_{NO_2}$  – Photolysis coefficient (UV)
- » [ ] – concentrations in ppb (-> convert to proper units)

# Reaction rate coefficient

$$k_{NO} = A_0 \exp\left(-\frac{E}{RT}\right)$$

$$A_0 = 2.2 \times 10^{-12} \frac{\text{cm}^3}{\text{molecule s}}$$

$$\frac{E}{R} = 1430 \text{ K}$$



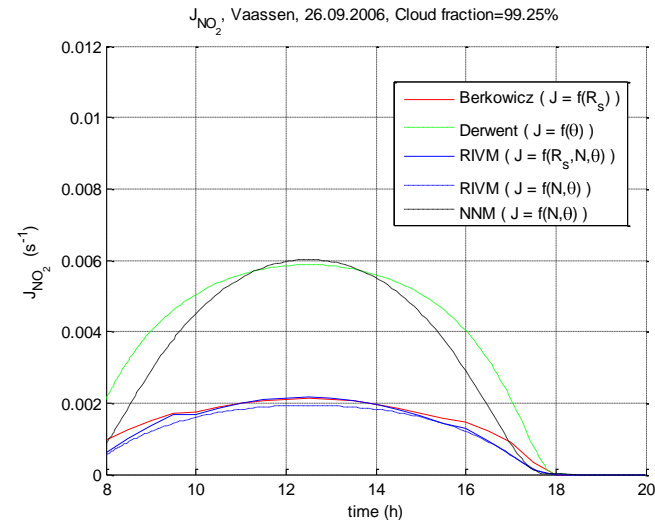
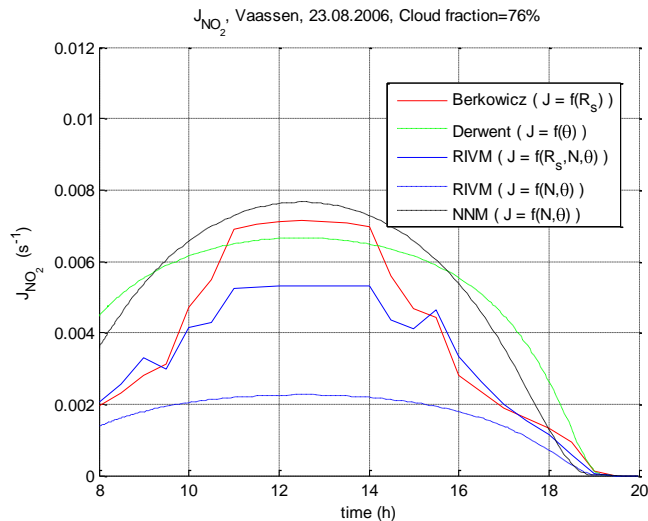


# Photolysis coefficient

- » Theoretically: integration over arctic flux:  $j_{NO_2} = \int_{295nm}^{400nm} \sigma_{NO_2}(\lambda, T) \phi_{NO_2}(\lambda_1, T) I(\lambda) d\lambda$
- » Practically: empirical formula based on solar radiation<sup>1</sup>:

$$j_{NO_2} = 0.8 \times 10^{-3} \exp(-10/R_s) + 7.4 \times 10^{-6} R_s$$

- »  $R_s$  computed in Envi-met by radiative scheme



Computed photolysis coefficient during the day for Vaassen, The Netherlands (Left: 23/08/2006, mean cloud coverage 76%; Right: 26/09/2006, 99%)

[1] R. Berkowicz and O. Hertel. Technical Report DMU LUFT – A131, National Environmental Research Institute, Roskilde, Denmark, 1989.

# Are $k_{NO}$ and $j_{NO_2}$ computed properly?

» If a chemical equilibrium is reached:

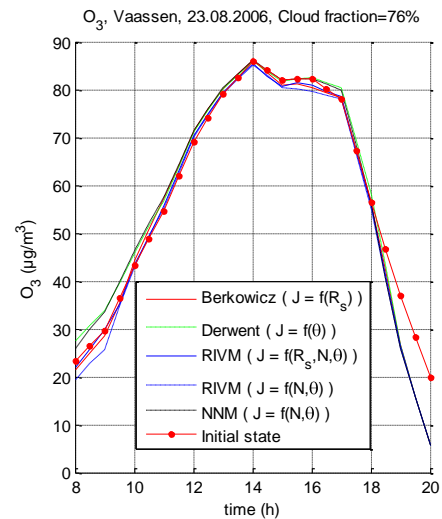
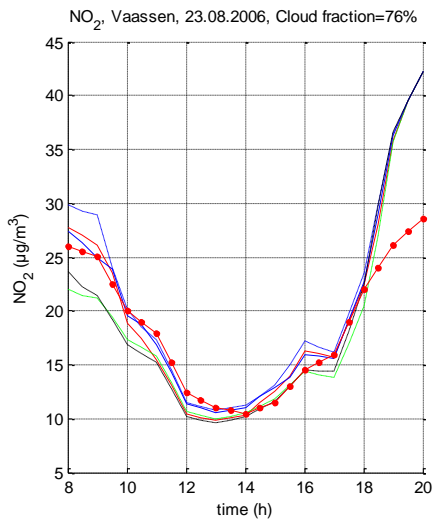
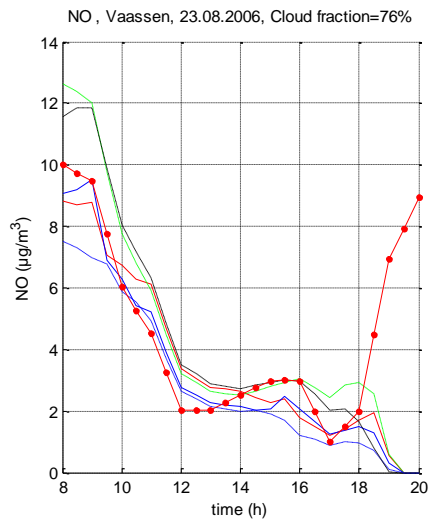
$$[NO_2] = [NO_2]_0 + \frac{1}{2} \left( [O_3]_0 + [NO]_0 + \frac{j_{NO_2}}{k_{NO}} \right) - \frac{1}{2} \sqrt{D}$$

$$[NO] = -\frac{1}{2} \left( [O_3]_0 - [NO]_0 + \frac{j_{NO_2}}{k_{NO}} \right) + \frac{1}{2} \sqrt{D}$$

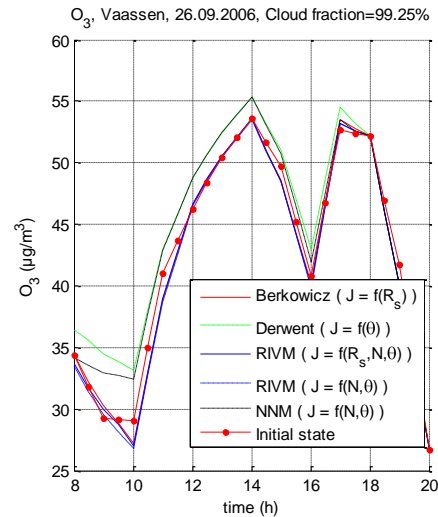
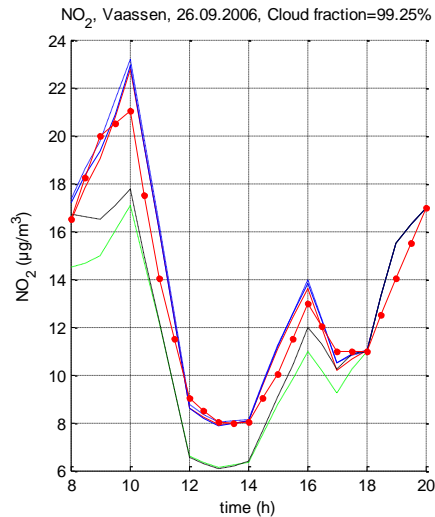
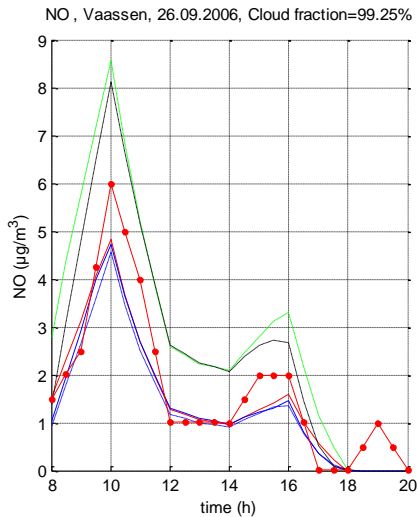
$$[O_3] = -\frac{1}{2} \left( [NO]_0 - [O_3]_0 + \frac{j_{NO_2}}{k_{NO}} \right) + \frac{1}{2} \sqrt{D}$$

$$D = \left( [NO]_0 - [O_3]_0 + \frac{j_{NO_2}}{k_{NO}} \right)^2 + 4 \frac{j_{NO_2}}{k_{NO}} ([NO_2]_0 + [O_3]_0)$$

» Assuming the measured background concentrations are in equilibrium, and the coefficients are correctly calculated in Envi-met, the background concentrations should be conserved:  $[ ] = [ ]_0$



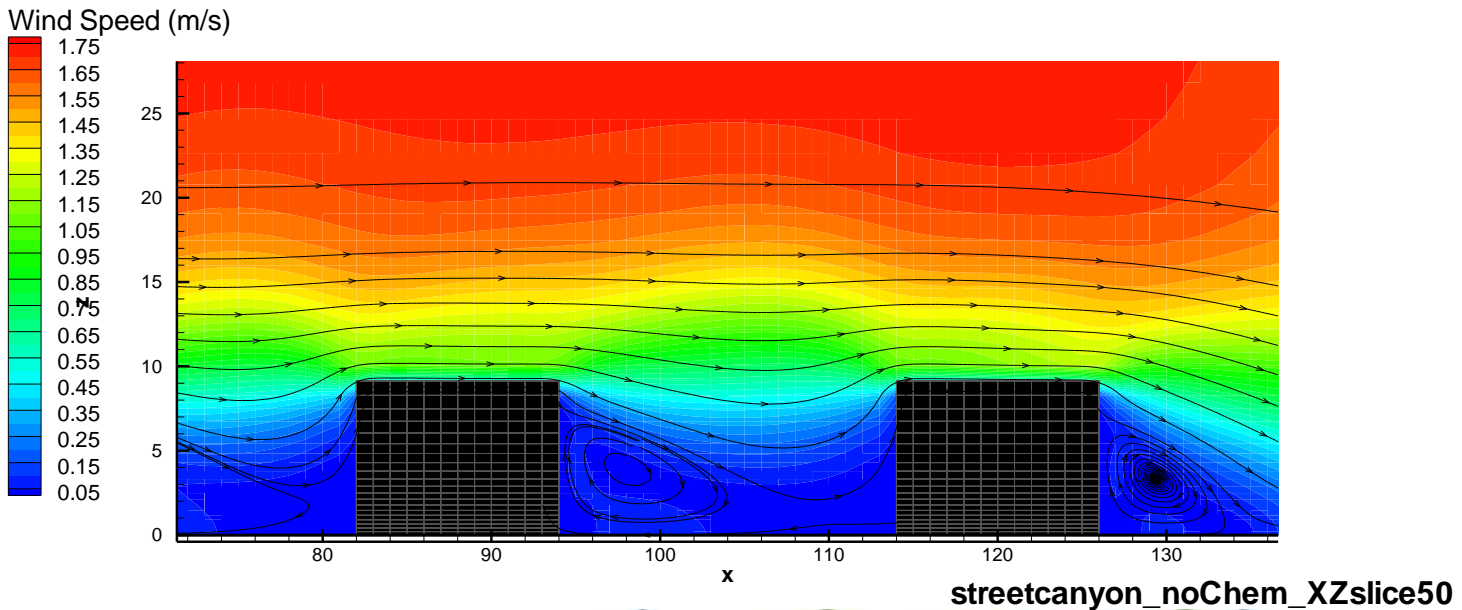
Measured rural background concentrations and computed equilibrium for NO (left), NO<sub>2</sub> (middle), and O<sub>3</sub> (right). (Vaassen, The Netherlands, 23/08/2006, 76% cloudiness)



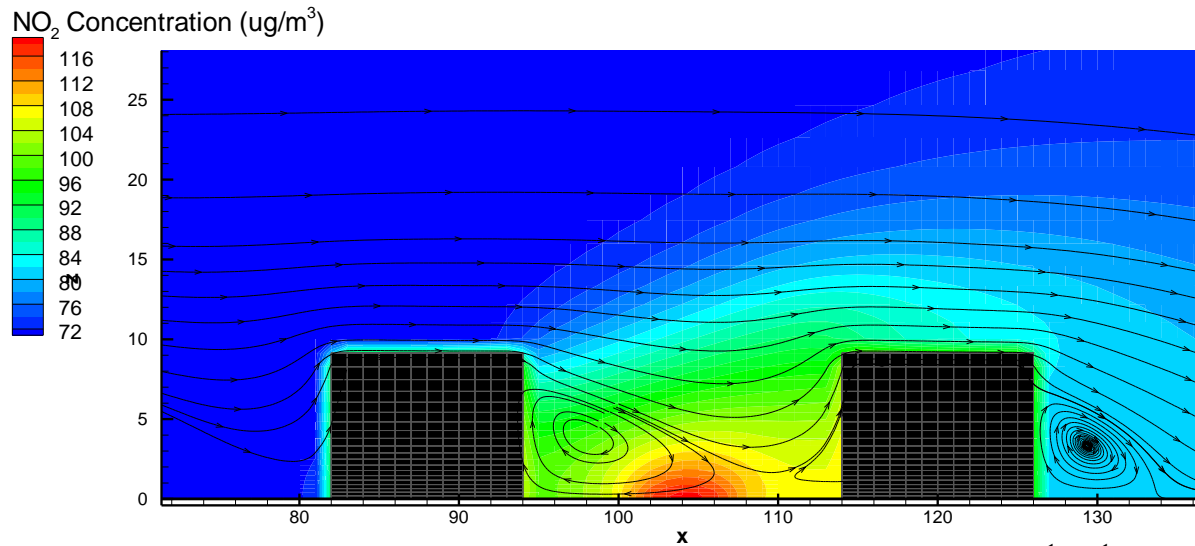
Measured rural background concentrations and computed equilibrium for NO (left), NO<sub>2</sub> (middle), and O<sub>3</sub> (right). (Vaassen, The Netherlands, 26/09/2006, 99% cloudiness)

# Example 1: street canyon

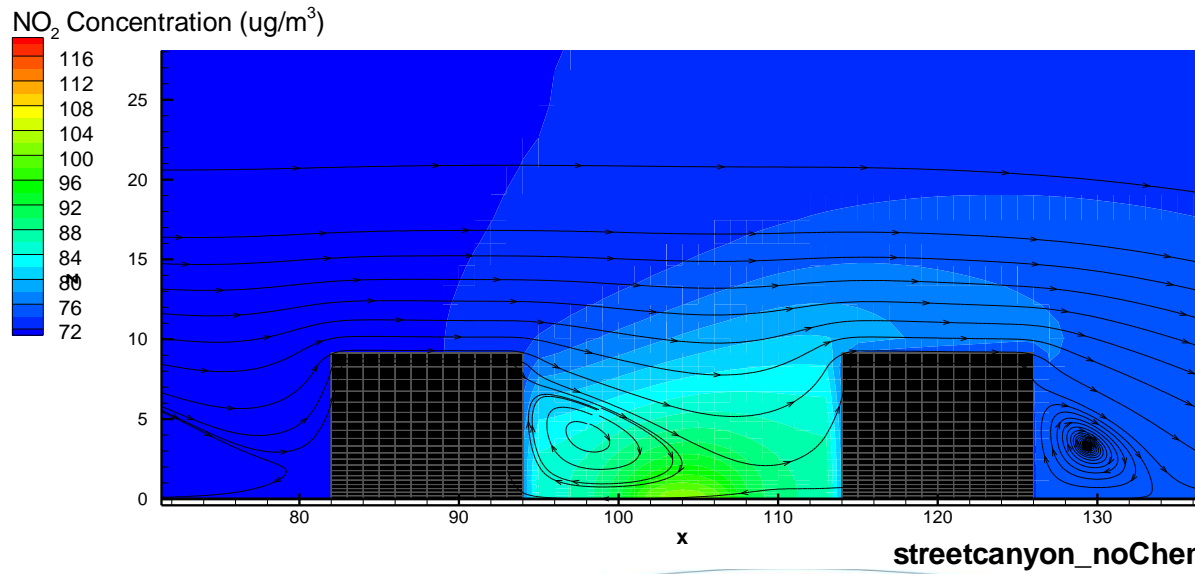
- » Low windspeed 1.5 m/s
- » High background:  $24\mu\text{g}/\text{m}^3$  NO,  $72\mu\text{g}/\text{m}^3$  NO<sub>2</sub>,  $71\mu\text{g}/\text{m}^3$  O<sub>3</sub>



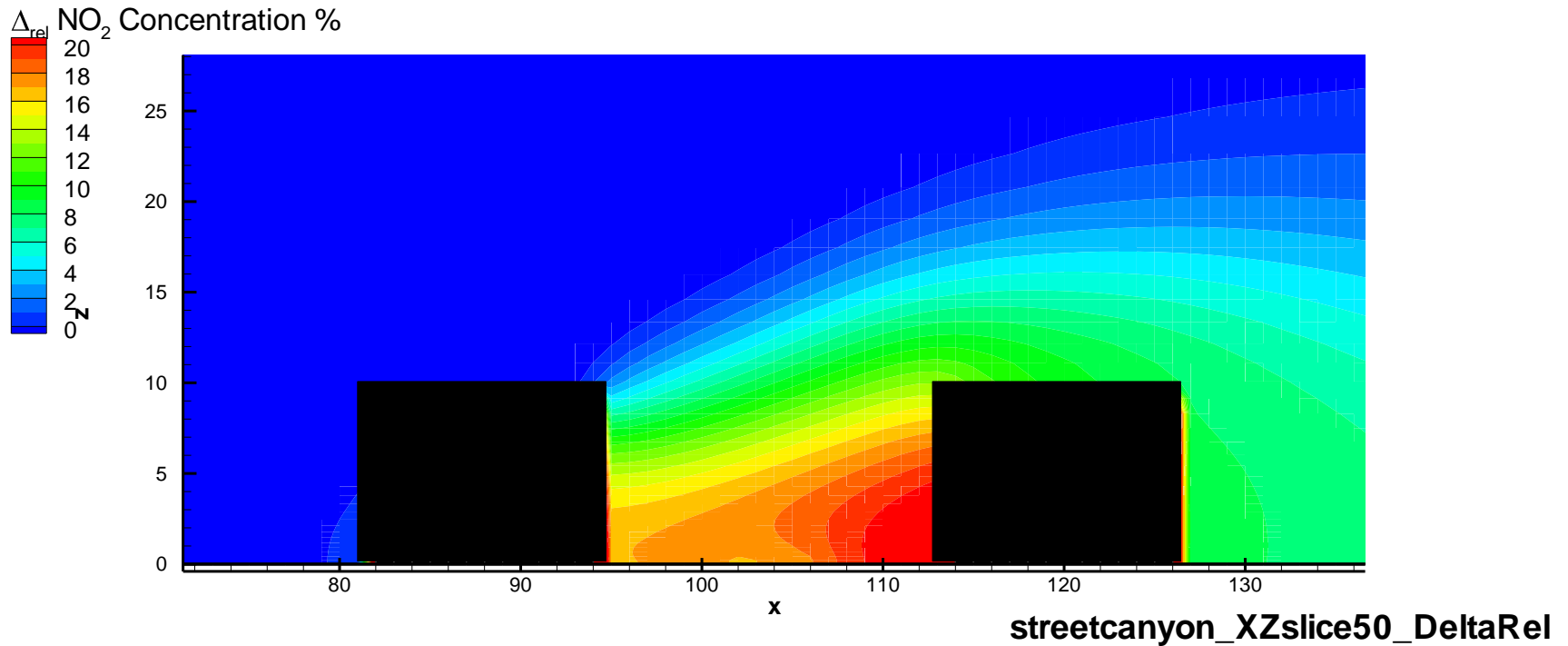
Chemistry included  
No clouds



No chemistry

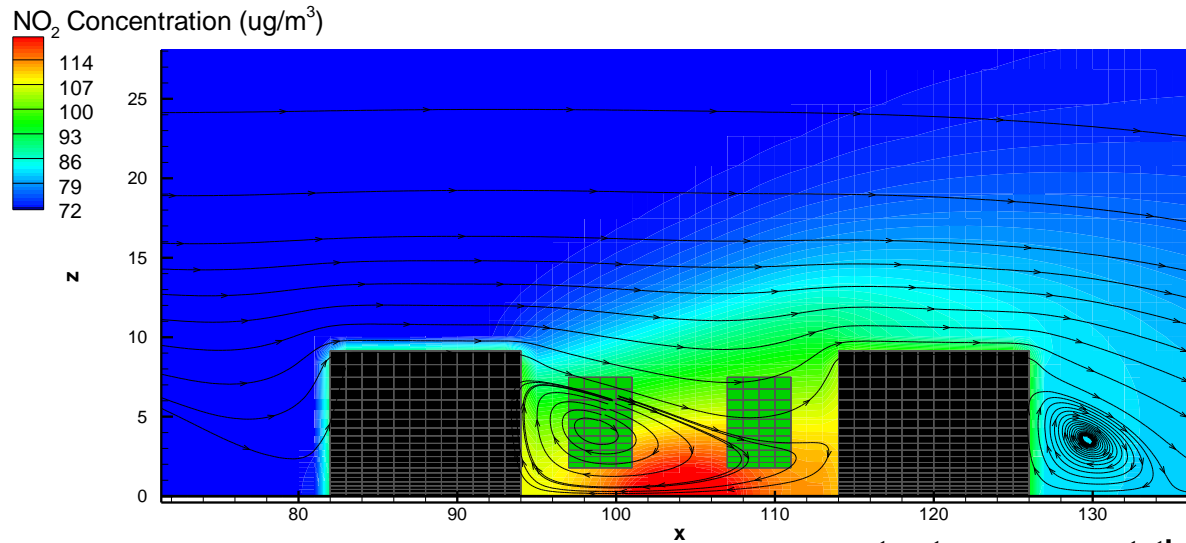


# Secondary NO<sub>2</sub> production (%)

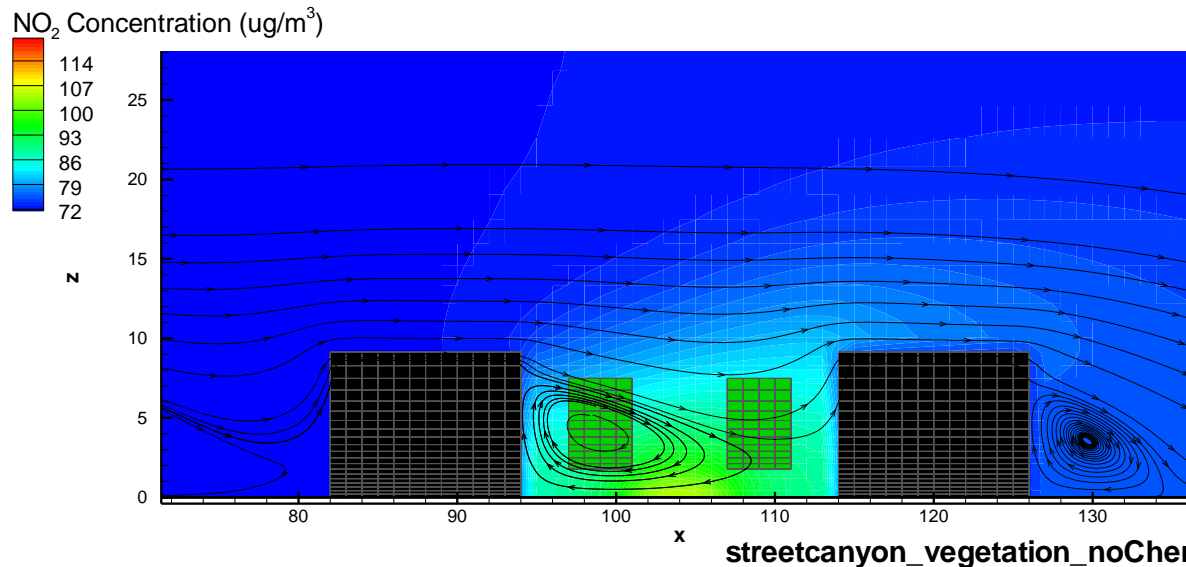


# Example 2: Street canyon with vegetation

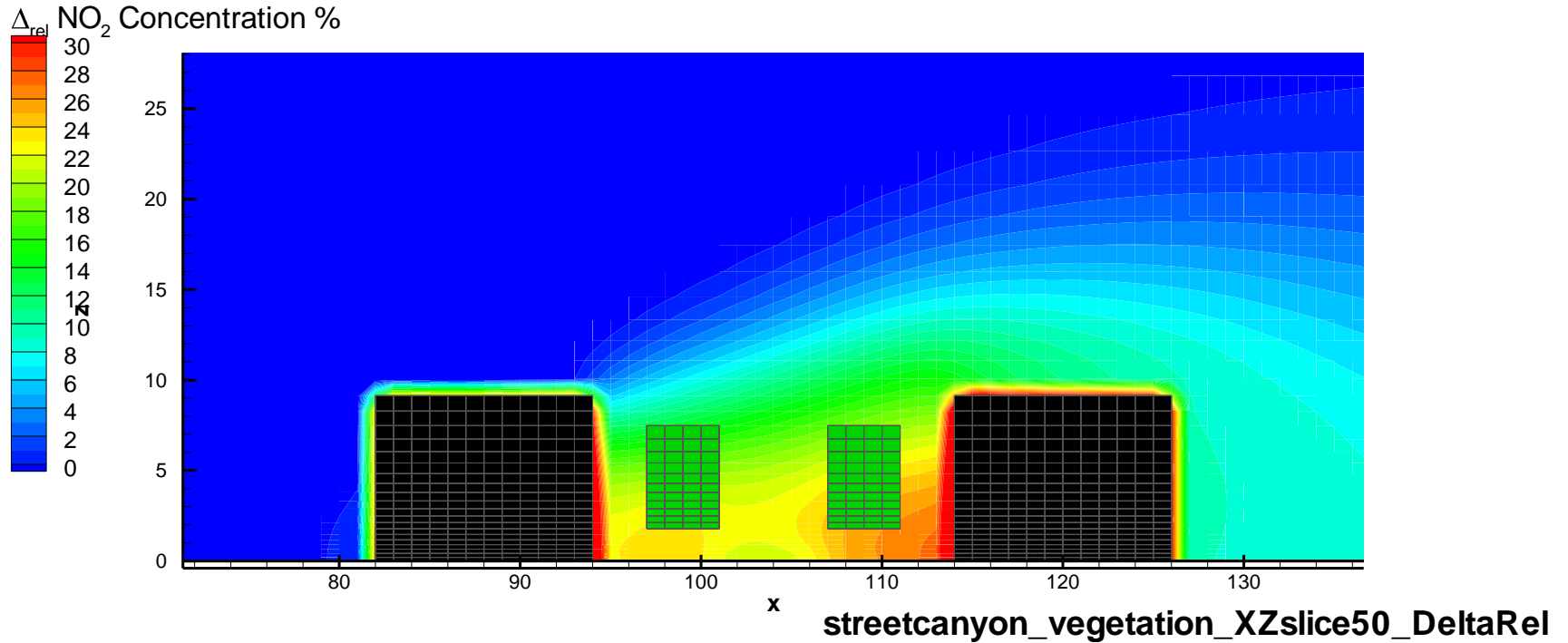
Chemistry included



No chemistry



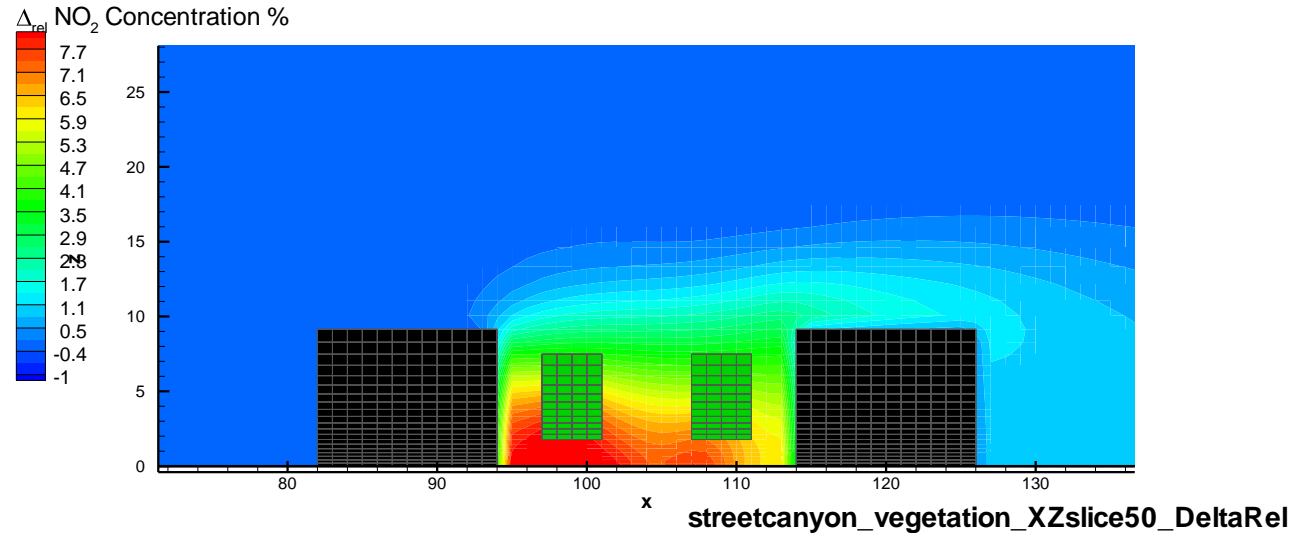
# Secondary NO<sub>2</sub> production (%)



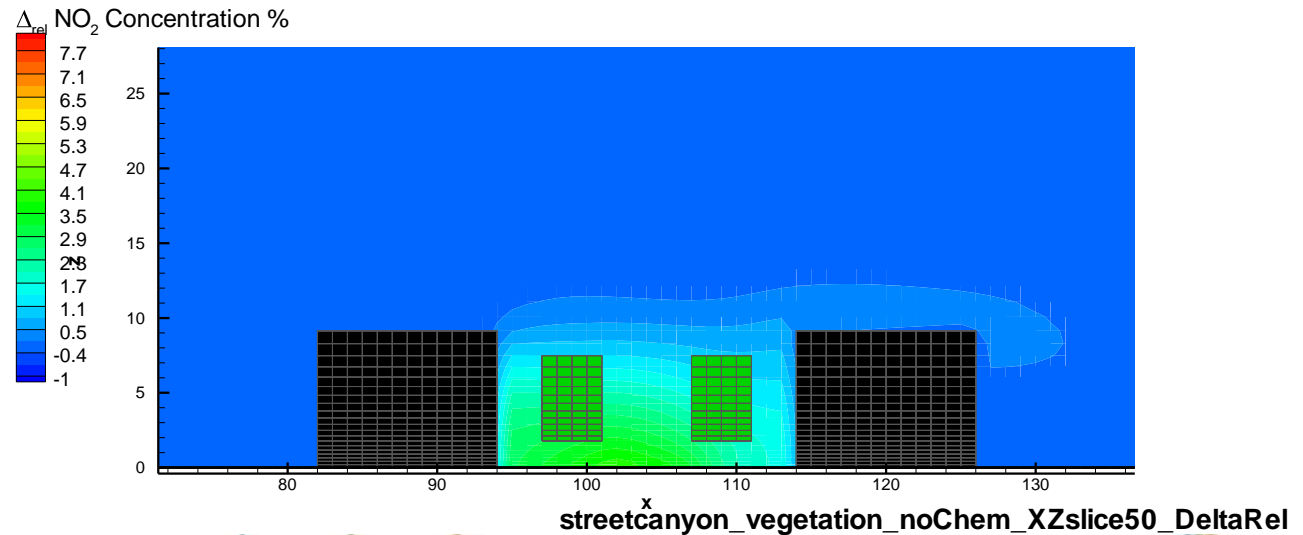


# The effect of the vegetation in the street

Chemistry included

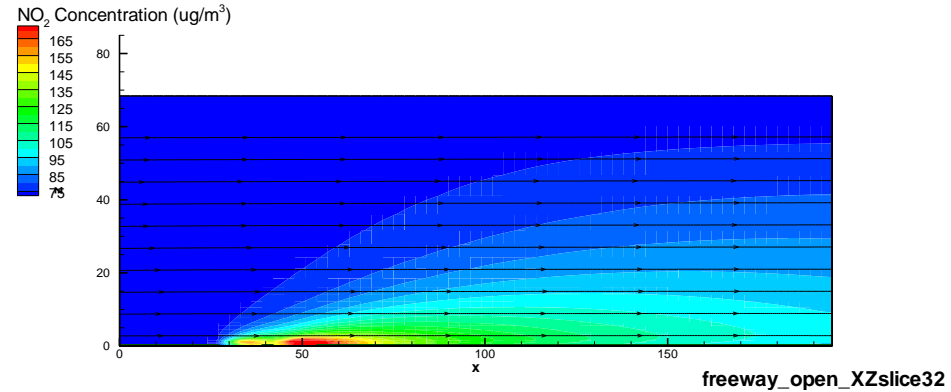
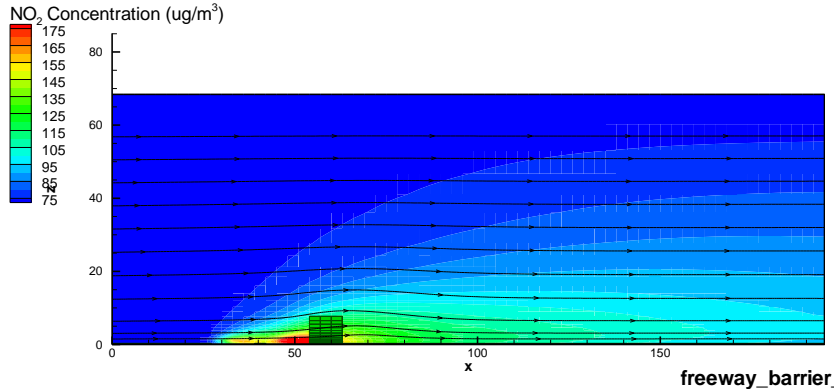


No chemistry

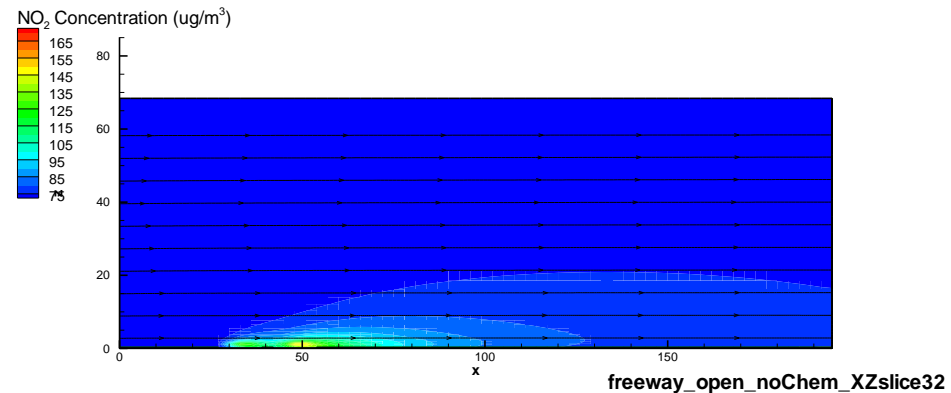
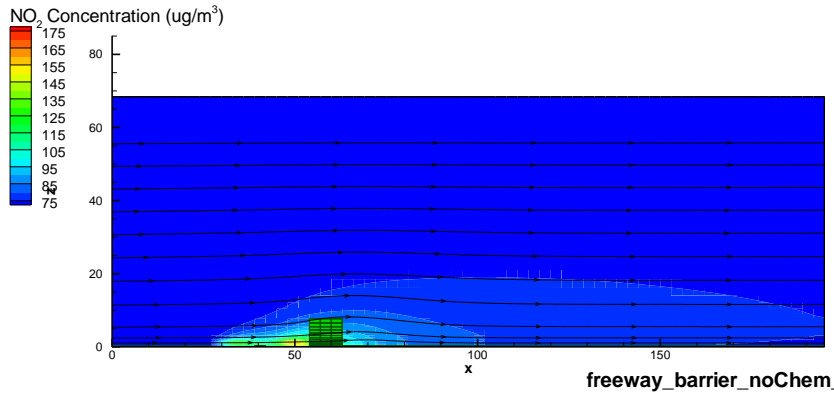


# Example 3: highway with vegetation barrier

Chemistry included



No chemistry

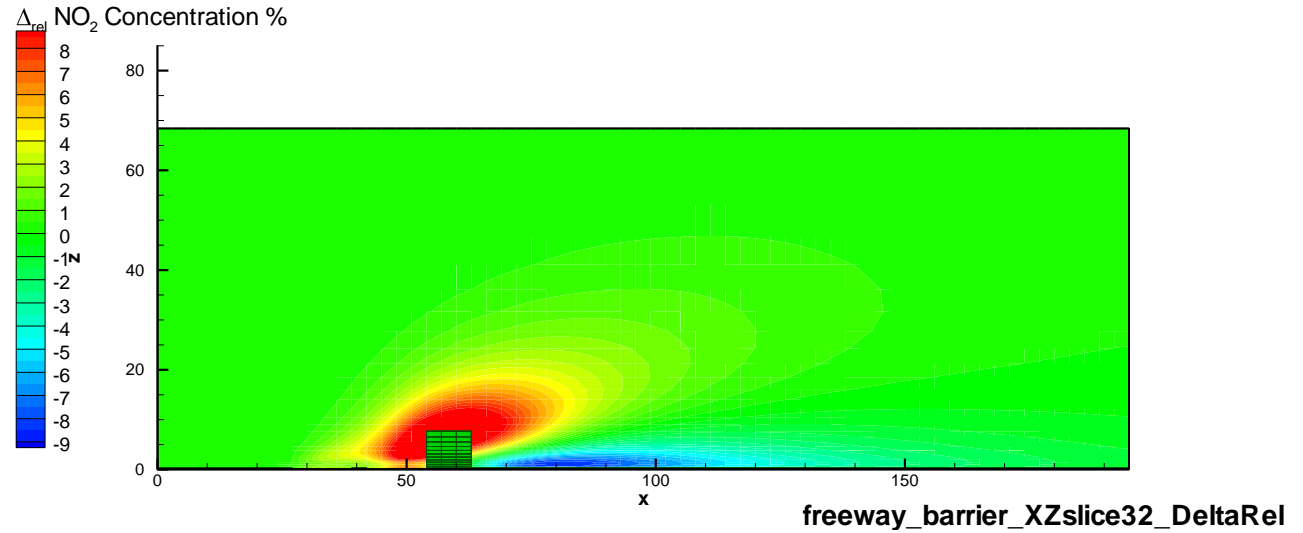


Vegetation Barrier

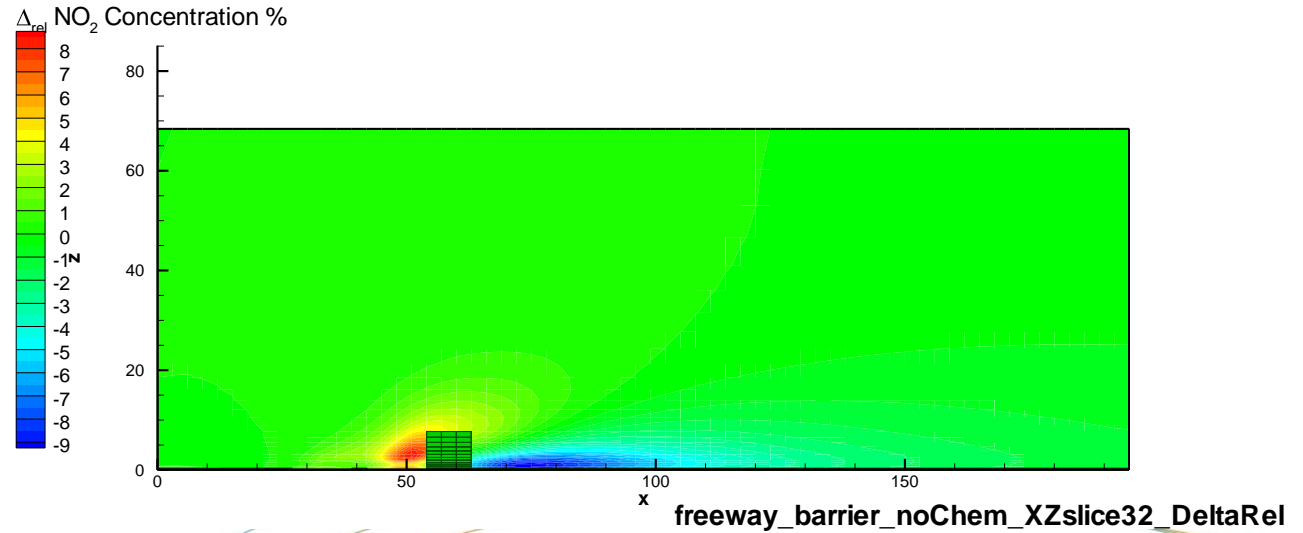
Open field

# Effect of the vegetation barrier

Chemistry included



No chemistry



# Conclusions

- » Dynamics chemistry model implemented in Envi-met
- » Photolysis coefficients: empirical formulation based on modelled radiation
- » Strong increase of  $\text{NO}_2$  due to secondary  $\text{NO}_2$  production even at small scales
- » Different effects of the vegetation on  $\text{NO}_2$  due to changes in secondary  $\text{NO}_2$  production