



## **Institute for Defense Analyses**

4850 Mark Center Drive • Alexandria, Virginia 22311-1882 • U.S.A.

*15<sup>th</sup> International Conference on Harmonisation within  
Atmospheric Dispersion Modelling for Regulatory Purposes*

Madrid, Spain

6-9 May, 2013

# **Comparison of hazard area and casualty predictions of a small-scale chemical attack using various toxic load toxicity models**

**Jeffry T. Urban, Keith Galvin, Nathan Platt**

*Institute for Defense Analyses*

**Paul Bieringer, George Bieberbach, Andrew Annunzio**

*US National Center for Atmospheric Research*

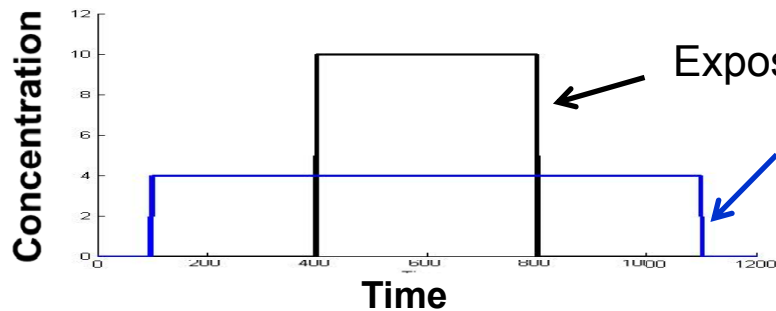
**Sponsor: US Defense Threat Reduction Agency – Joint Science and Technology Office  
for Chemical and Biological Defense (DTRA-JSTO/CBD)**

# IDA | Introduction

- During the past 10 years, some workers in the hazardous materials consequence assessment modelling community have moved toward using “toxic load”-based models of acute inhalation toxicity
  - The toxic load is a generalized measure of inhalation exposure that depends on the time history of the exposure
- This adoption of toxic load modelling has preceded a full understanding of its application to atmospheric dispersion modelling
  - Toxic load modelling has been experimentally validated only for steady-exposures – several models have been employed to account for fluctuating concentrations, but none have been validated
  - Most atmospheric dispersion models predict an ensemble-averaged plume that reduces the concentration fluctuations to which some toxic load models are sensitive
- In this work we model individual realizations of a small-scale chemical artillery attack to compare different proposed toxic load models
  - A subsequent presentation deals with the prospects of using SCIPUFF probabilistic plume information in place of ensemble-averaged plumes

# IDA | Haber's Law and toxic load for steady exposures

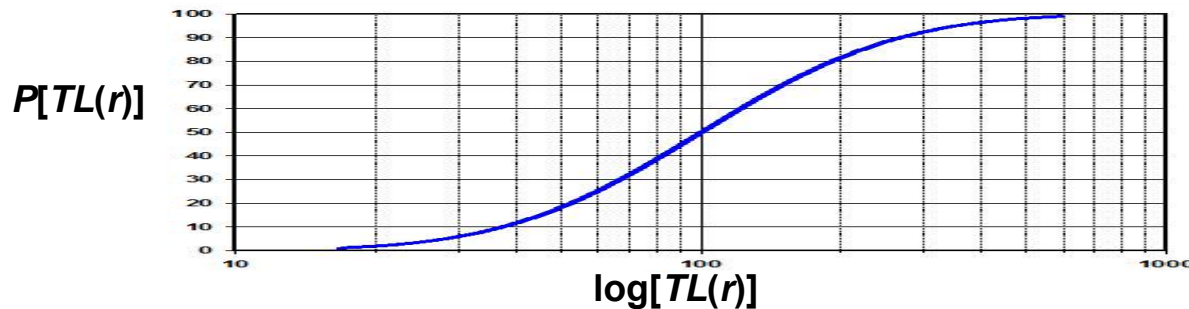
- **Haber's Law** says that the probability of casualty depends only on the dosage,  $D(r) = C(r) T$ , for steady concentrations  $C(r)$  over time  $T$  (at location  $r$ )
- For some toxic materials, the probability of casualty is better modeled by replacing the dosage with the “toxic load”,  $TL(r) = [C(r)]^n T$ 
  - Unlike Haber's law, the ratio of concentration intensity to duration matters
  - $n$  is an extra toxicity parameter called the toxic load exponent ( $n = 1 \rightarrow$  Haber's Law)



Two exposures:  
same dosage,  
different toxic load

Exposure 1 has the greater toxic load for  $n > 1$ .

- Toxic load/dosage are lognormally related to the probability of casualty:



Two toxicity parameters:  
 $\mu$  (log[median effective TL])  
 $\sigma$  (reciprocal of “probit slope”)

# IDA | Time-Dependent Toxic Load Models

Several toxic load models have been proposed, *but not experimentally validated*, for the case of time-varying exposures

- ten Berge Model (integrate  $c^n$  over time)

$$TL_{TB}(x) = \int c^n(\tau) d\tau$$

- Average Concentration Model (use average C over exposure duration)

$$TL_{AC}(x) = \left( \frac{\int_{t_{start}}^{t_{end}} c(\tau) d\tau}{T} \right)^n T = D^n T^{1-n}$$

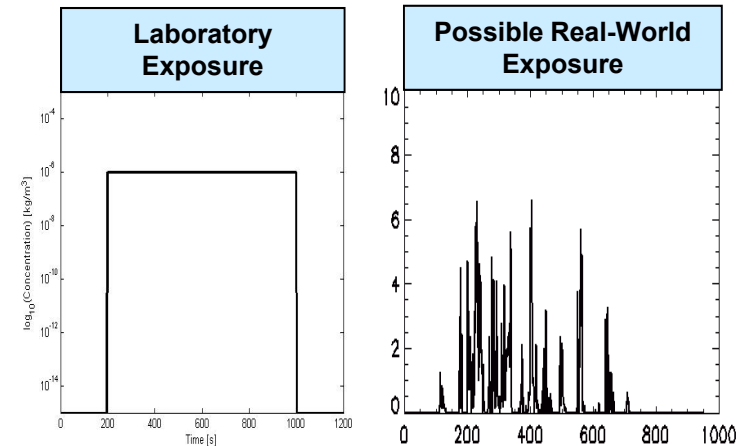
$$D = \int c(\tau) d\tau$$

- Peak Concentration Model (use maximum C over *effective* exposure duration)

$$TL_{PC}(x) = D^n T^{1-n} \text{ where } T = \frac{D}{C_{peak}}; TL(x) = \frac{D}{C_{peak}^{1-n}}$$

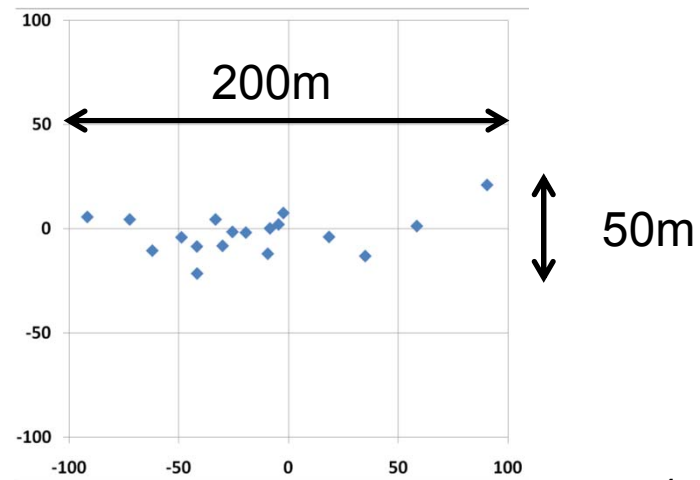
- Concentration Intensity Model (concentration variance effective exposure)

$$TL_{CI}(x) = D^n T^{1-n} \text{ where } T = \frac{\left( \int c(\tau) d\tau \right)^2}{\int c(\tau)^2 d\tau} = \frac{D^2}{\int c(\tau)^2 d\tau}; TL(x) = \frac{D^{2-n}}{\left( \int c(\tau)^2 d\tau \right)^{1-n}}$$



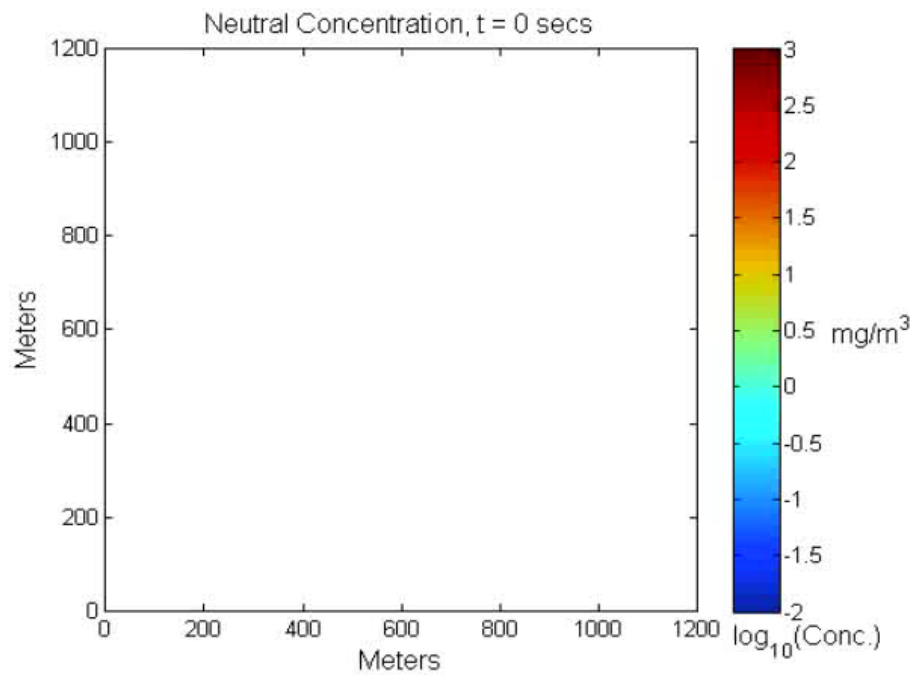
## Comparison of different toxic load models using simulations of a realistic chemical attack

- Question: How much do consequence estimates differ among these four proposed toxic load models?
  
- We used NCAR's VTHREAT simulation environment to produce four turbulent realizations of a small-scale chemical attack involving 18 artillery shells (152mm diameter) filled with Sarin nerve gas ( $n = 1.5$ )
  - 2 different atmospheric stability conditions (neutral and unstable (convective))
  - 2 different wind directions (parallel and perpendicular to 200m × 50m impact area)
  
- For each combination of atmospheric stability and wind direction compare:
  - Casualty Estimates
  - Hazard Area Predictions



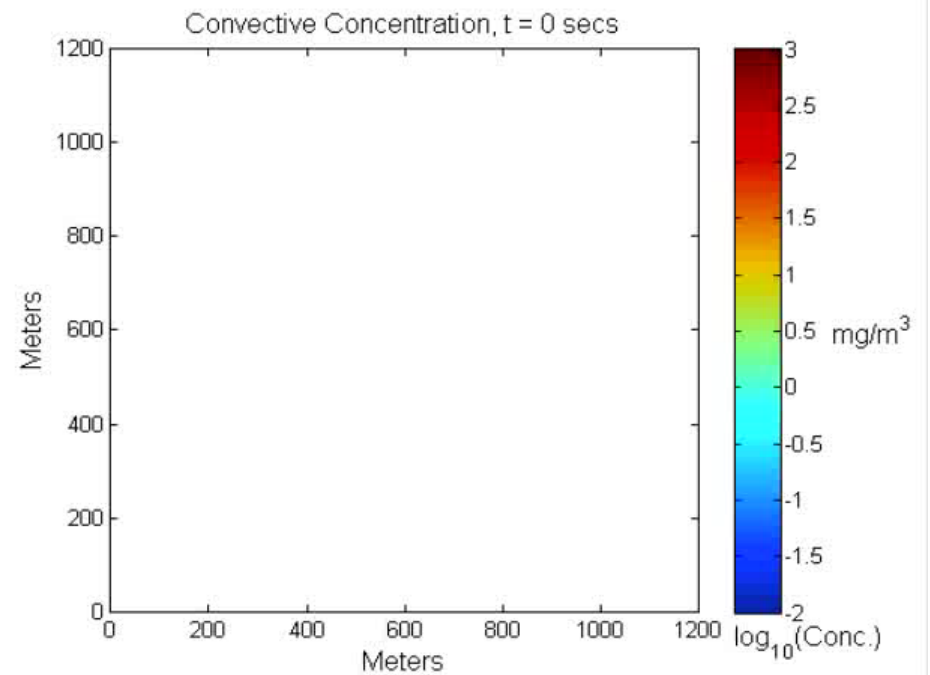
# IDA | VHTREAT simulations of the Sarin attack

### Neutral atmospheric conditions



Wind direction →

### Convective atmospheric conditions



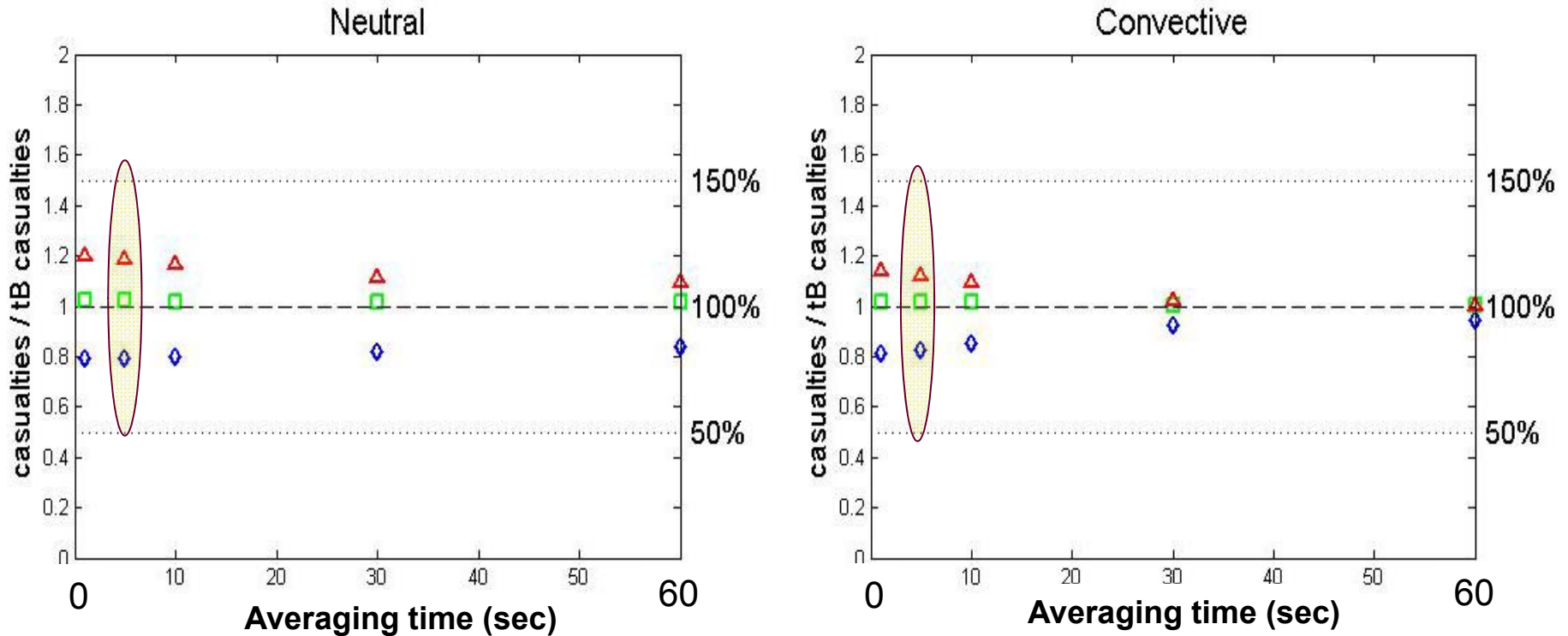
Wind direction →



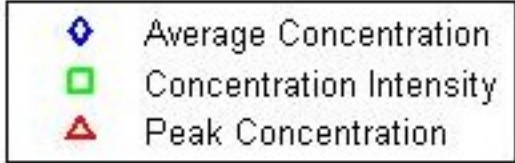
# Toxic load model casualty estimates for Sarin

## Ratio to ten Berge model casualties as a function of averaging time

(Wind parallel to attack axis)

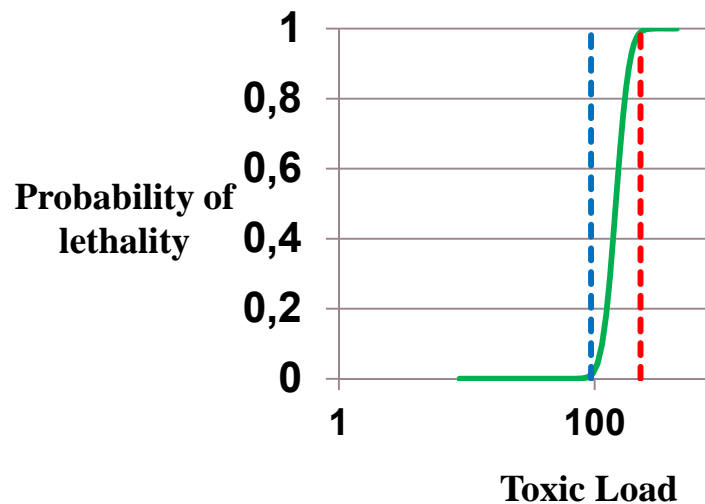


**Max. ratio of casualties** between all models across 4 VTHREAT simulations (5-sec time step) = **1.58**



# IDA | Sensitivity of results to the lethal range of toxic loads

- The VTHREAT predictions exhibit a wide dynamic range of toxic loads
  - TL range of [0, 33000]
- However, Sarin lethal effects are observed over only a small dynamic range of toxic loads (reflecting the large probit slope for Sarin)
  - TL range of [94, 229] corresponding to [1%, 99%] probability of lethality



- Are our casualty results dependent on this choice of a narrow range of toxic loads of interest? We investigated this question by examining the areas of exceedance for different toxic load thresholds.

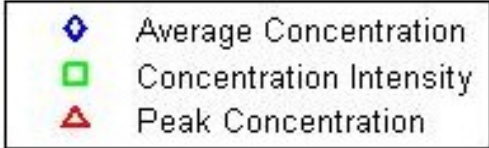
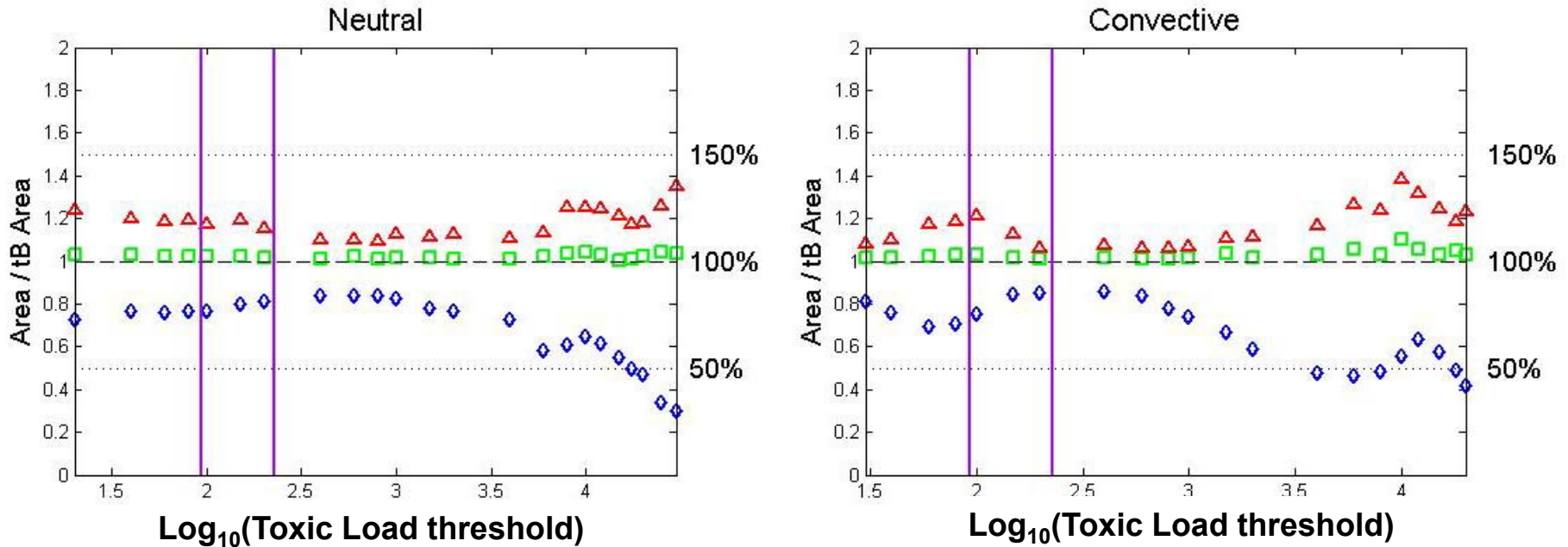




# Toxic load model hazard area estimates for Sarin

Ratio to ten Berge model hazard area as a function of toxic load threshold

(Wind parallel to attack axis)



**Max. ratio of hazard areas** between all models across 4 VTHREAT simulations = **4.46**  
(greater difference between models at higher toxic loads)

# IDA | Study Excursion – Chlorine Attack

- Question: How would choosing a different chemical with significantly different toxicity, or a different release mass, affect differences between consequence estimates among various toxic load models?
- We randomly chose one source out of the 18 sarin munitions to serve as a surrogate for an industrial chlorine container
  - VTHREAT can be used to represent any neutrally-buoyant release (ignoring the significant chlorine dense gas dispersion effects)
- Chlorine differs significantly from Sarin in terms of toxicity
  - $n = 2.75$  (vs.  $n = 1.5$  for Sarin)
  - $LD_{50} = 13,500 \text{ mg-min/m}^3$  for a two-minute exposure (vs.  $LD_{50} = 35$  for Sarin)
- Examined 9080 kg (10 short tons), 908 (1 short ton), and 136 kg (two 150 lb cylinders) releases
- All of the toxic load models scale the same way w.r.t. release mass

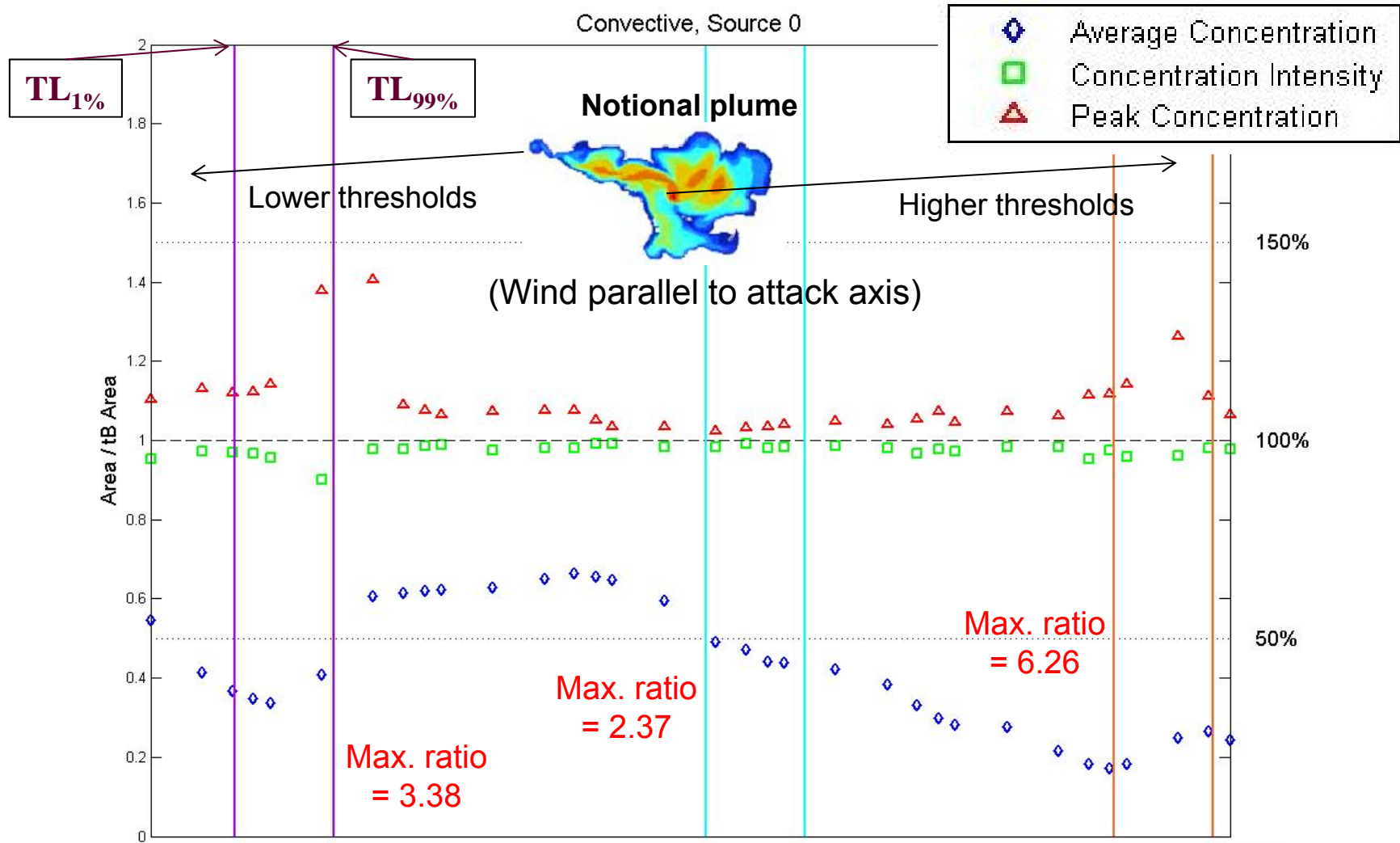
$$TL(\alpha x) = \alpha^n TL(x)$$

- This scaling can be used to normalize “toxic load exposure” in terms of release mass for the plots on the next pages

# Toxic load model hazard area estimates for Chlorine

## Convective atmospheric conditions, single source

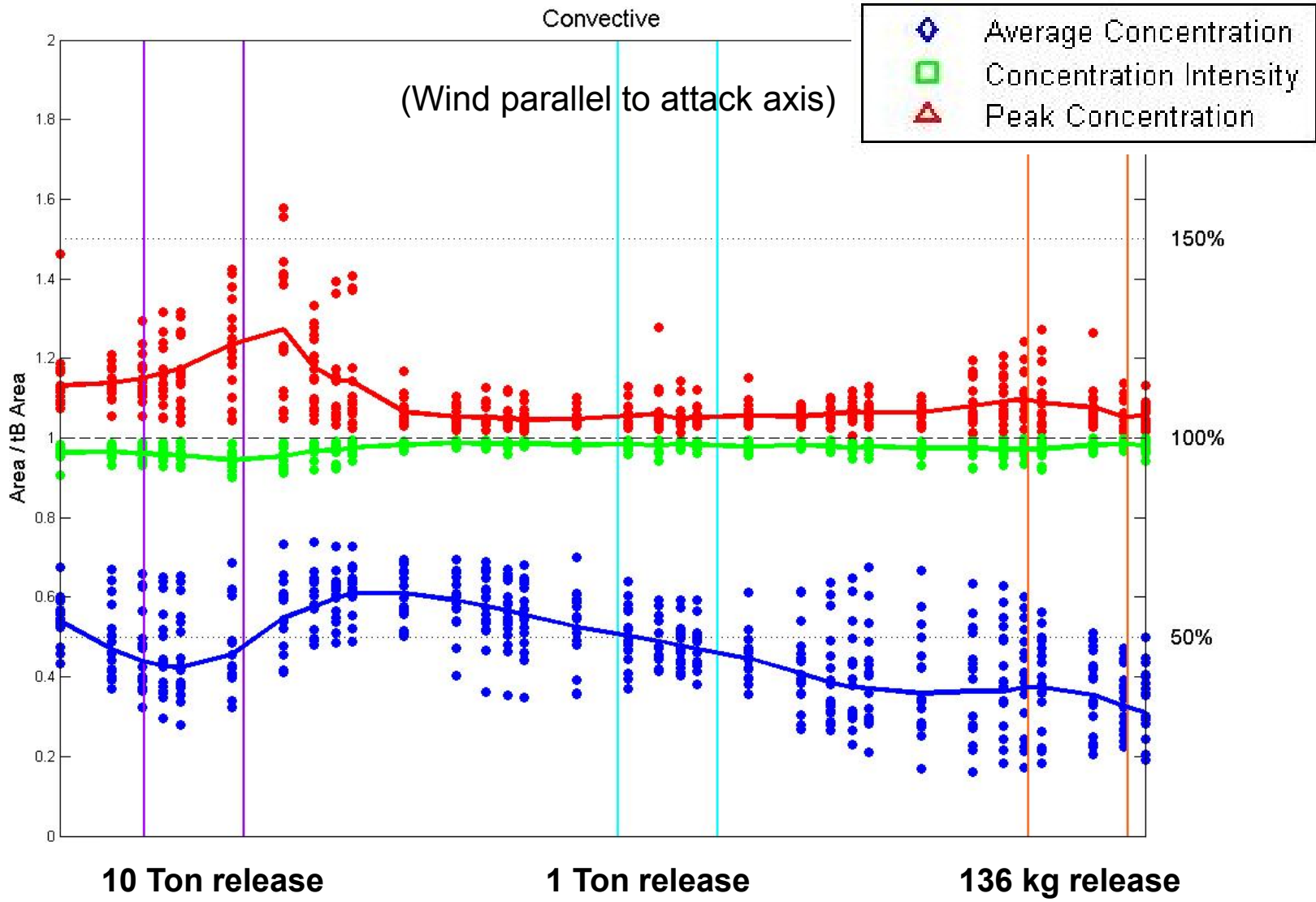
Ratio to ten Berge model hazard area as a function of toxic load threshold





# Toxic load model hazard area estimates for Chlorine

Convective atmospheric conditions, all 18 sources  
Ratio to ten Berge model hazard area as a function of toxic load threshold



Toxic load threshold level (scaled to unit release mass) 11 of 12

## **IDA | Conclusions**

- We investigated the differences between four proposed time-dependent toxic load models using casualty and hazard area estimates based on simulations of a realistic chemical attack
- The differences between models were not large for an 18-shell Sarin artillery attack: up to a factor of  $\sim 1.5$  in casualty estimates for a 5 s concentration averaging time
  - Differences were even smaller for longer averaging times
- For a notional industrial chlorine release (ignoring dense gas effects), the differences among models were larger (up to a factor of  $\sim 2-6$ )
- The peak concentration toxic load model gave the largest consequence estimates and the average concentration model gave the smallest
- Consequence estimates can differ considerably among the models according to the choice of chemical and size of release (and to a lesser extent, the averaging time)

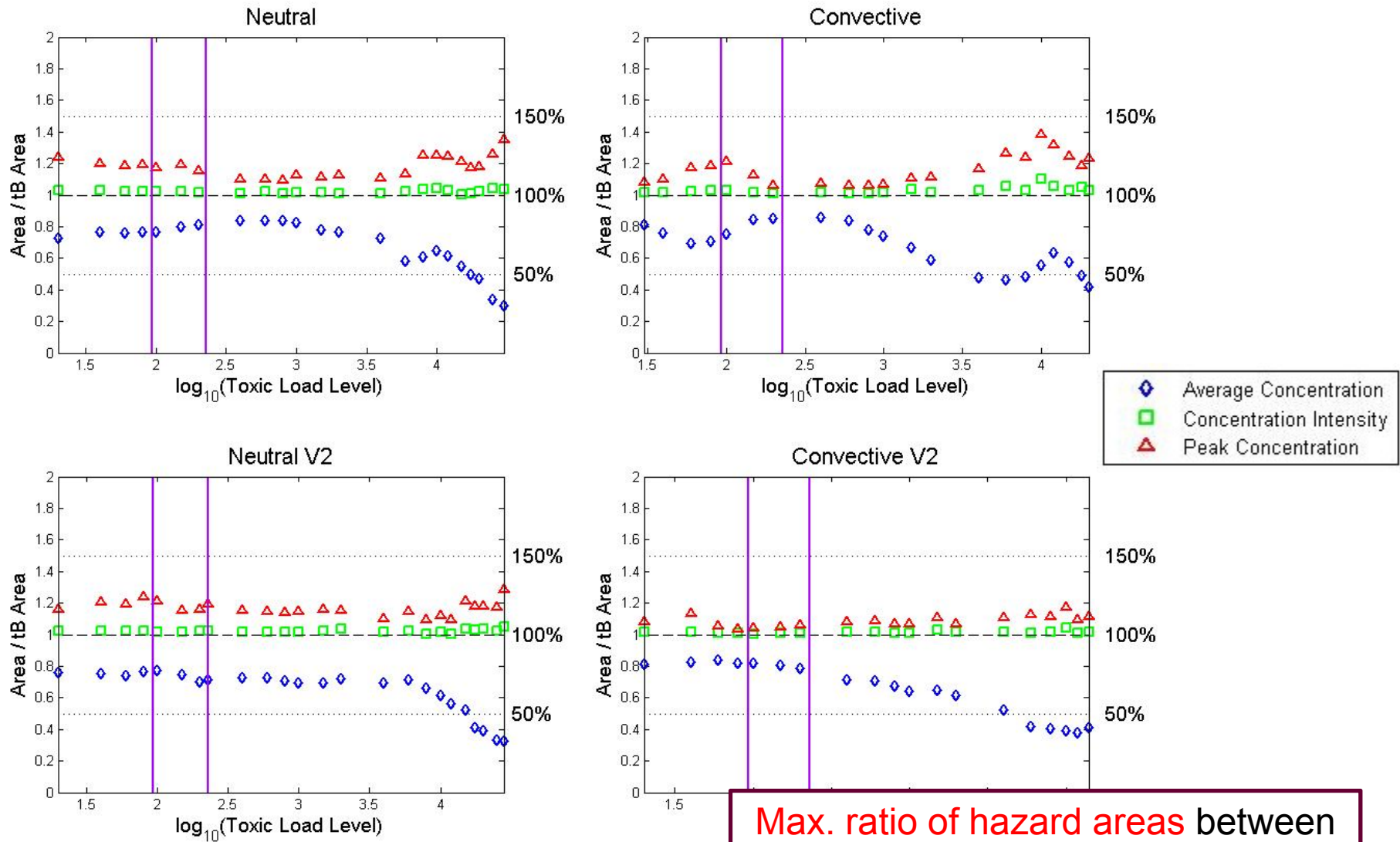
**IDA**

# Backups



# Threshold Area Relative to "tB" Threshold Area

## Full range of Toxic Load Exposure

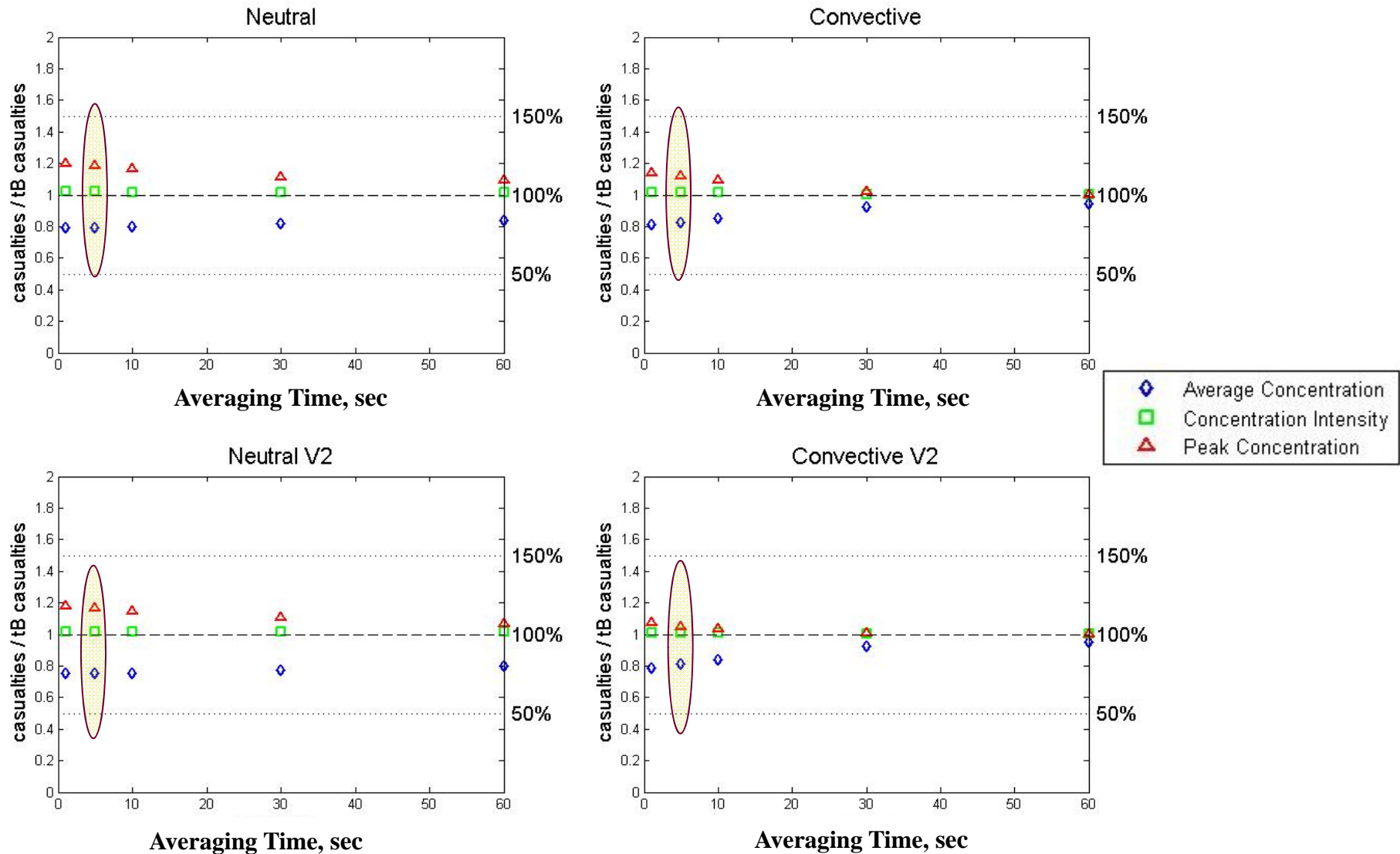


Max. ratio of hazard areas between all models across 4 VTHREAT simulations = 4.46



# Casualties Relative to ten Berge (tB) Casualties

## As a Function of Time Averaging

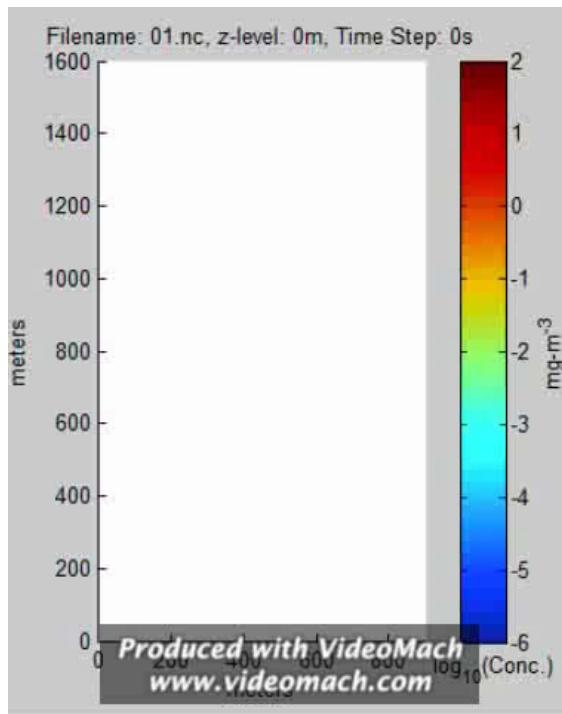


Max ratio between all models (5-sec time step) = 1.58



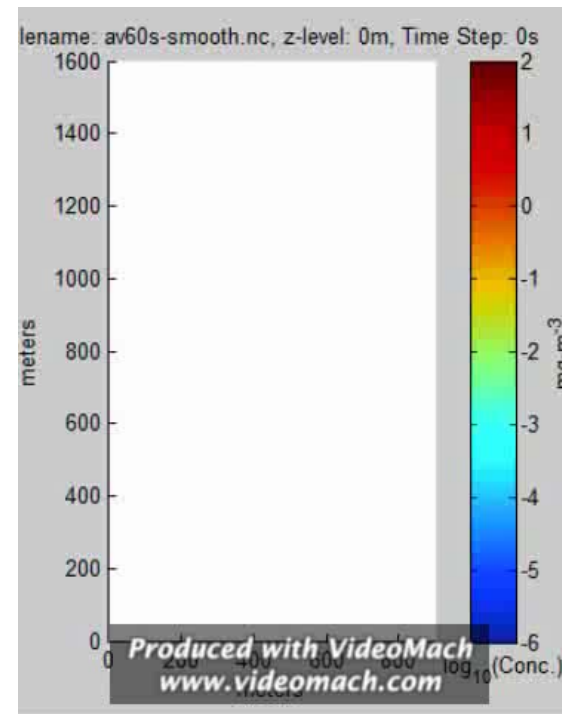
# IDA | Ensemble-Average Plume Predictions

- Most AT&D models produce a “mean” plume that represents an ensemble average of many different turbulent realizations of individual plumes.
  - By definition, these mean plumes smooth out concentration fluctuations in time and space



### Individual Plume Realization

One of twenty different realizations of a simulated plume release.



### Temporally Averaged Ensemble Average

Constructed from the limited ensemble average with a 60-second running window average

The VTHREAT simulations used in to create above plumes represent relatively stable atmospheric conditions.

# IDA | Haber's Law and Toxic Load Models

- Most AT&D models calculate toxic effects as a function of only the total dosage of the exposure (Haber's Law).
  - Haber's Law relationships are established empirically for dosages based on constant-concentration exposures:

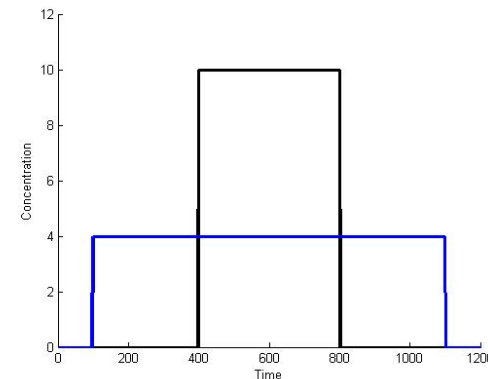
$$D(\mathbf{x}) = C(\mathbf{x})T$$

- A (unproven) generalization of Haber's Law for time-dependent concentrations defines dosage as:

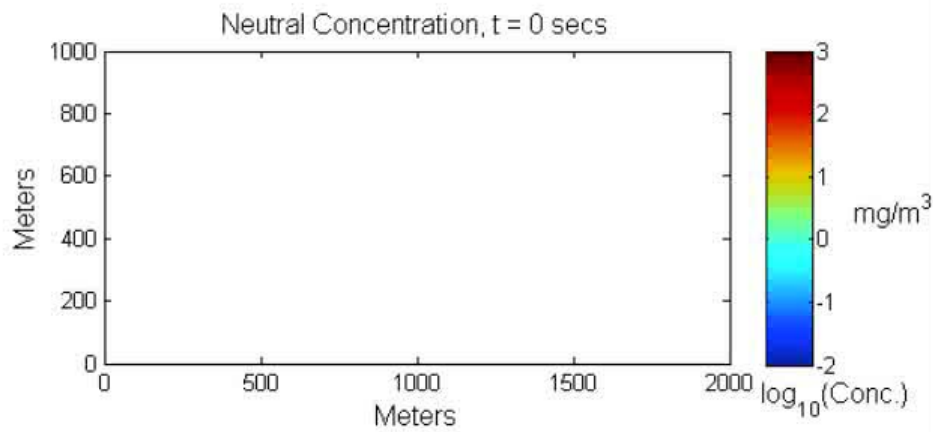
$$D(\mathbf{x}) = \int_{t_i}^{t_f} c(\mathbf{x}, t) dt$$

- Haber's Law implies that, assuming the same total dosage, both high-concentration short-duration exposures and low-concentration long-duration exposures result in the same toxic effect.
- Early experiments showed that Haber's Law does not hold for some chemicals.
  - The toxic effects of these chemicals are better described when the dosage is replaced by a generalized "Toxic Load"
  - For  $n > 1$ , high-concentration short-duration exposures will produce a stronger toxic effect than low-concentration long-duration exposures.

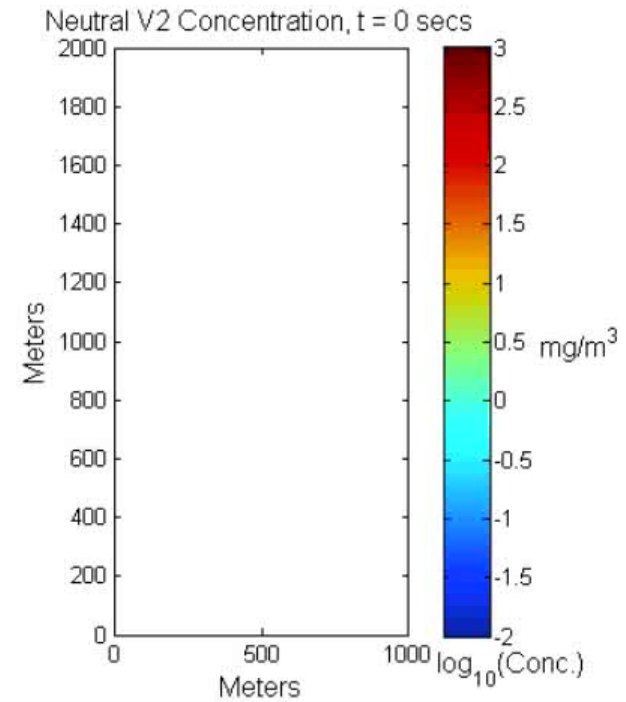
$$TL(\mathbf{x}) = (C(\mathbf{x}))^n T$$



# IDA | Neutral Release – Individual Realizations



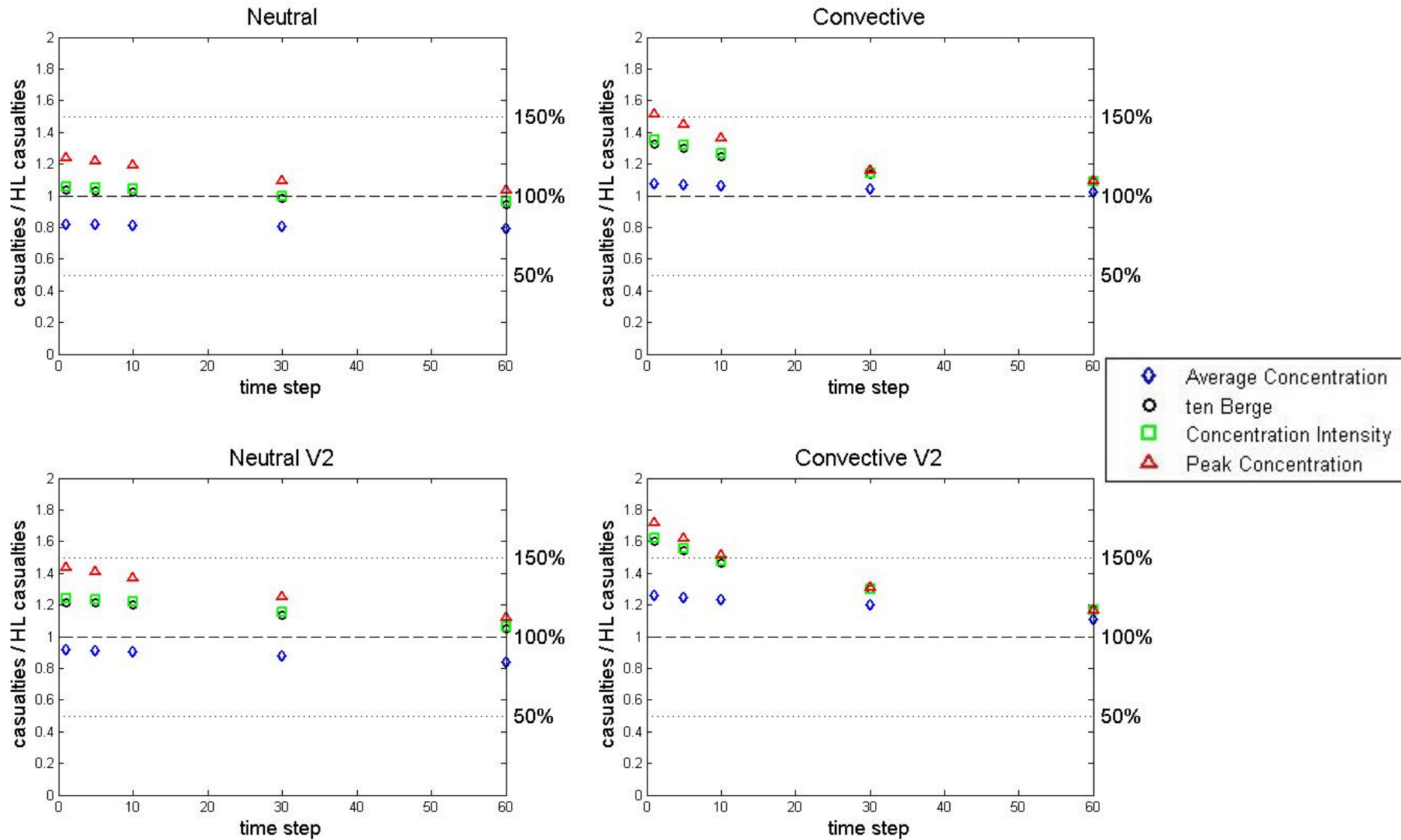
Wind parallel to long axis of impact pattern



Wind perpendicular to long axis of impact pattern

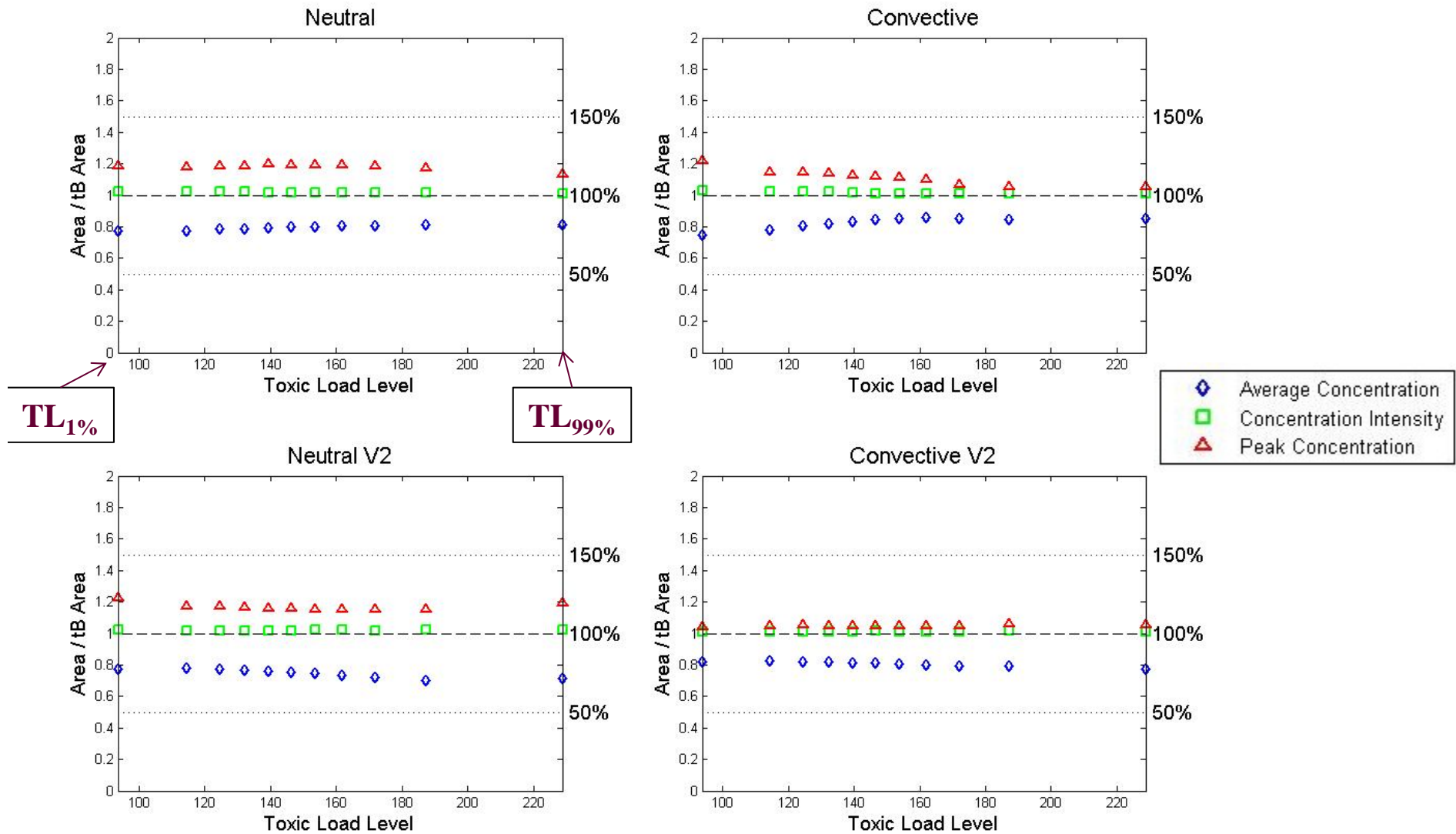


# Casualties Relative to Haber's Law (HL) Casualties As a Function of Time Averaging



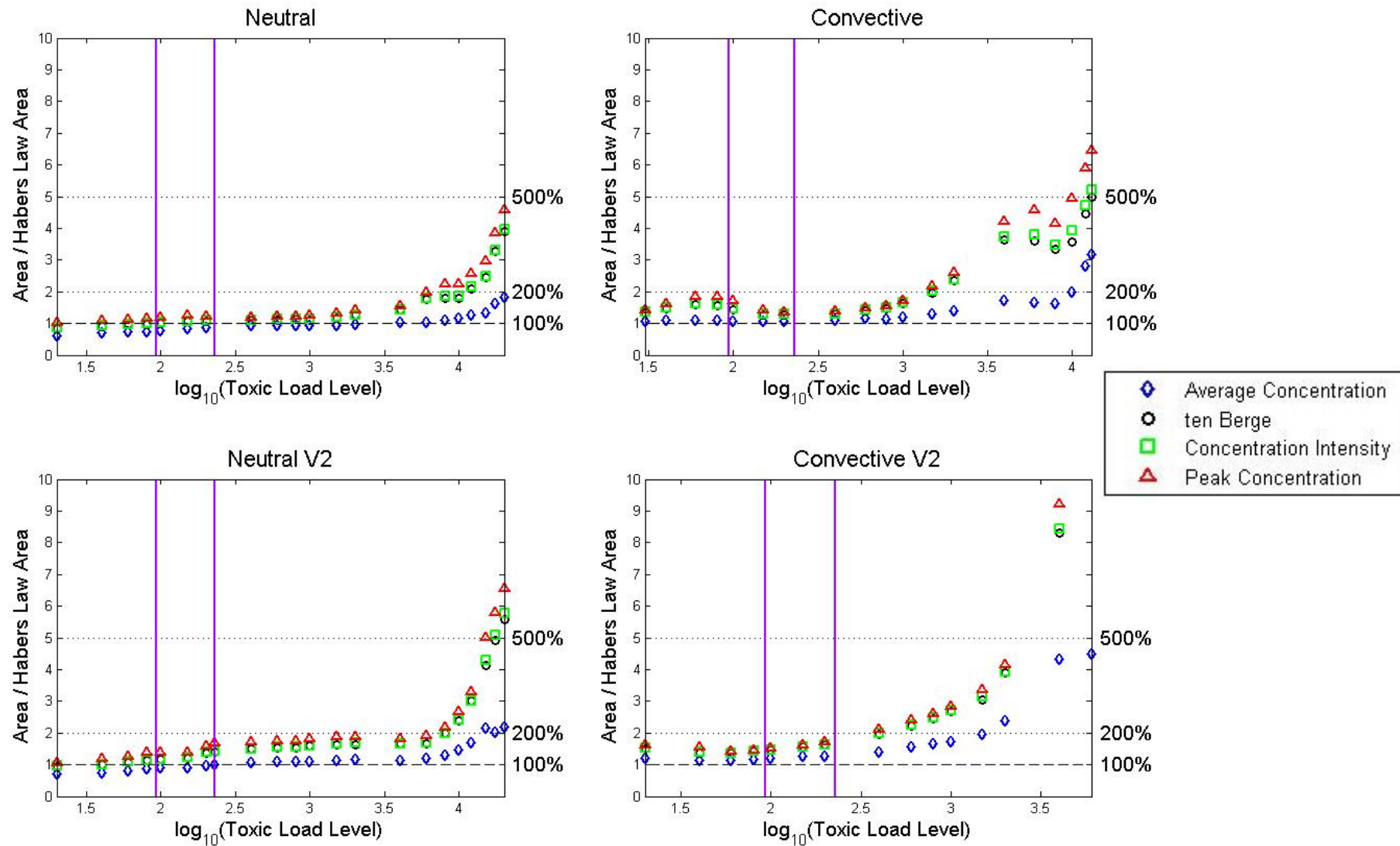
Max ratio between all models (5-sec time step) = 1.61

# IDA | Threshold Area Relative to “tB” Threshold Area



Max ratio between all models = 1.68

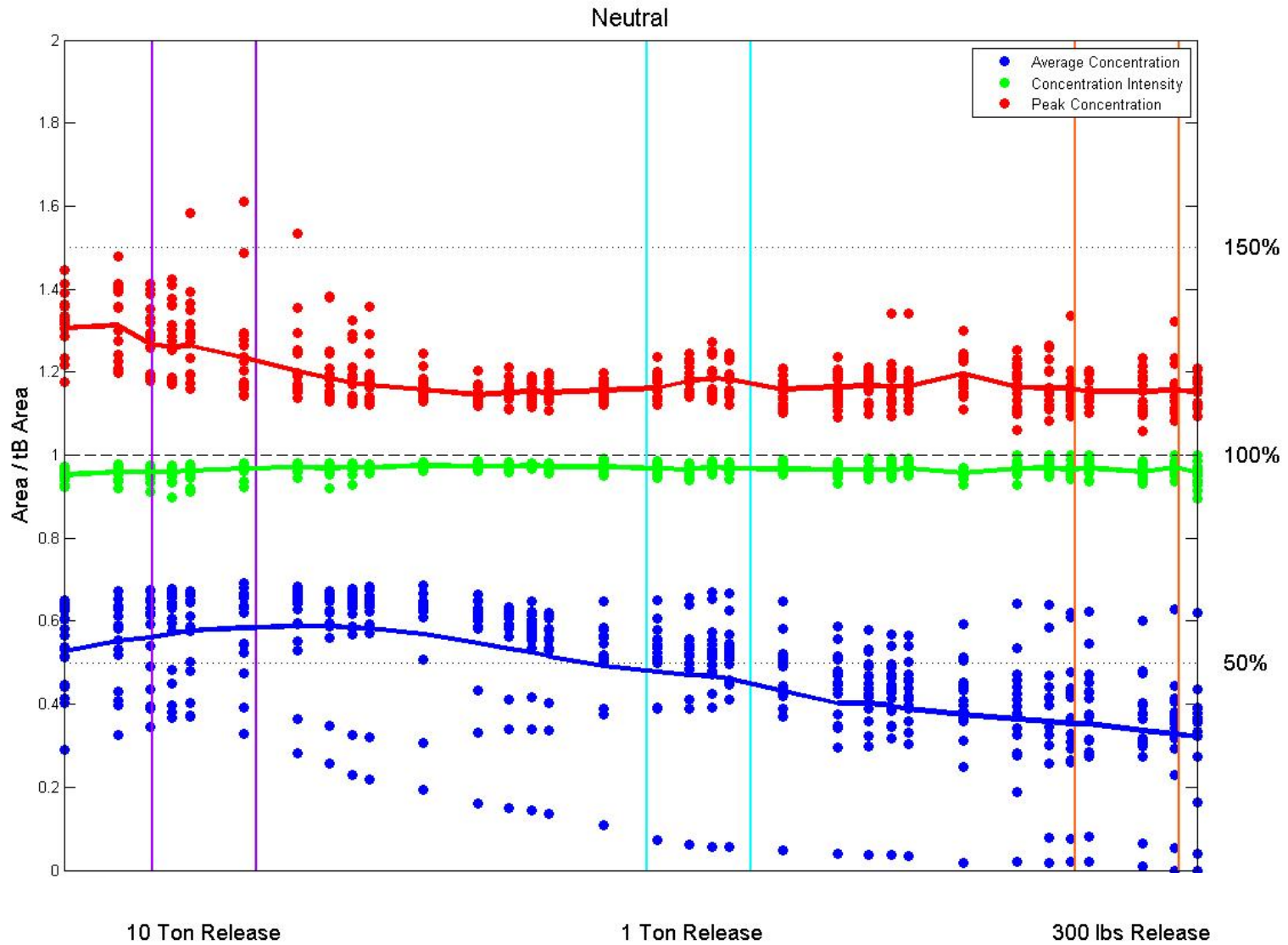
# IDA | Threshold Area Relative to “HL” Threshold Area



Max ratio between all models = 12.09

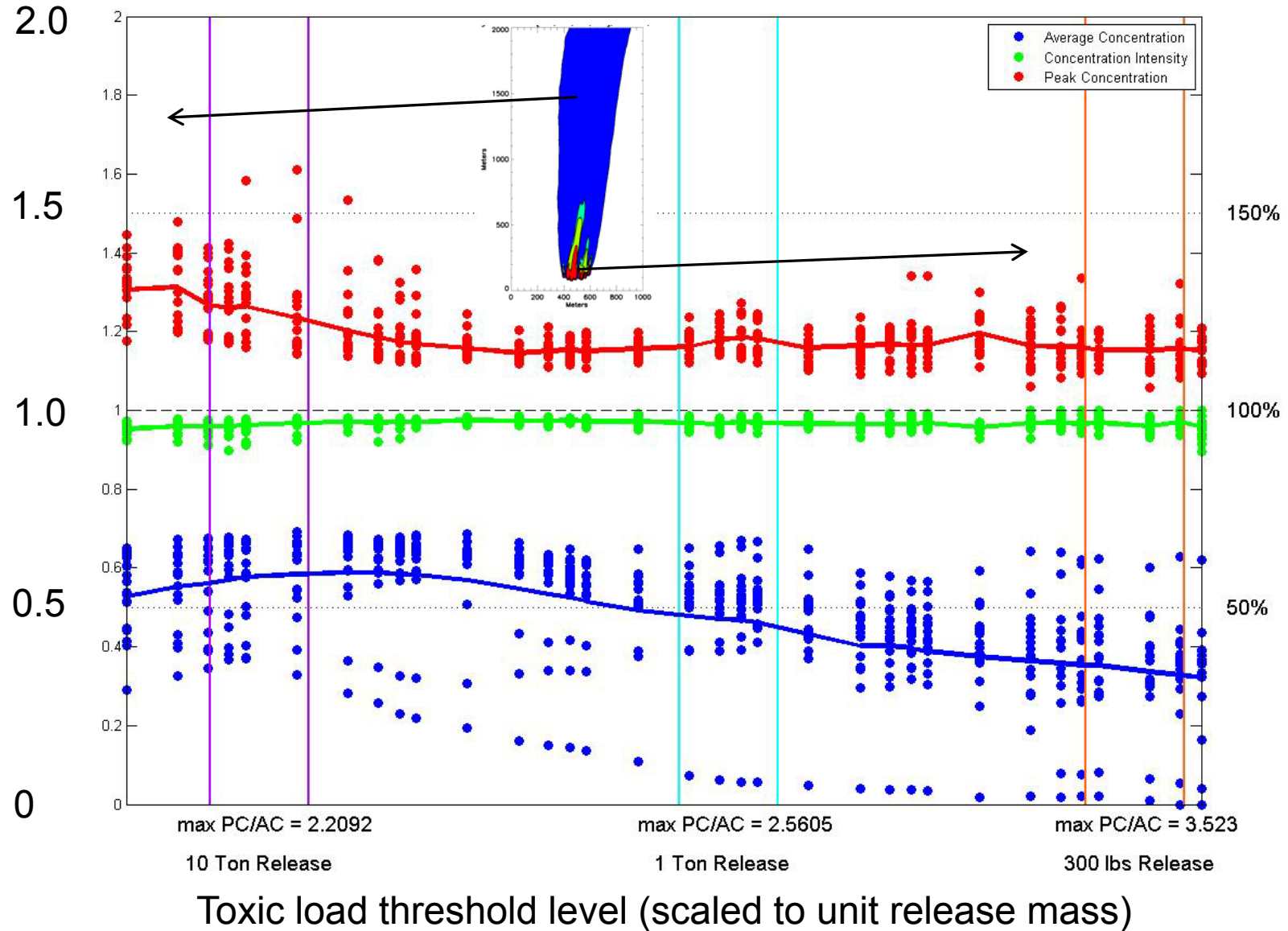


# Threshold Area Relative to "tB" Threshold Area Neutral, All Sources





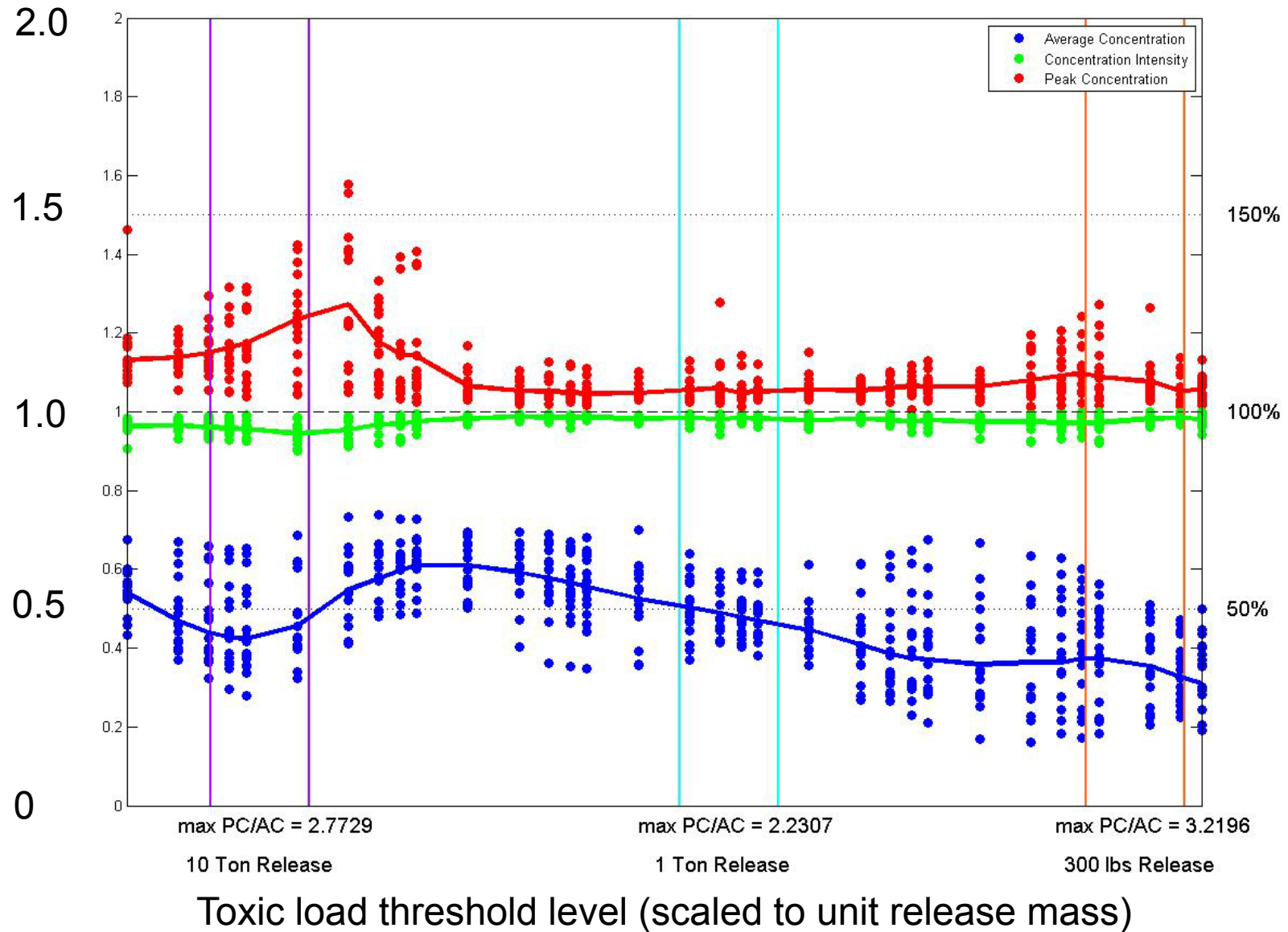
# Ratio of “area above toxic load threshold” to “area above ten Berge toxic load threshold” (3 different toxic load models) – Multiple chlorine releases / Neutral stability







# Ratio of “area above toxic load threshold” to “area above ten Berge toxic load threshold” (3 different toxic load models) – Multiple chlorine releases / Convective atmosphere

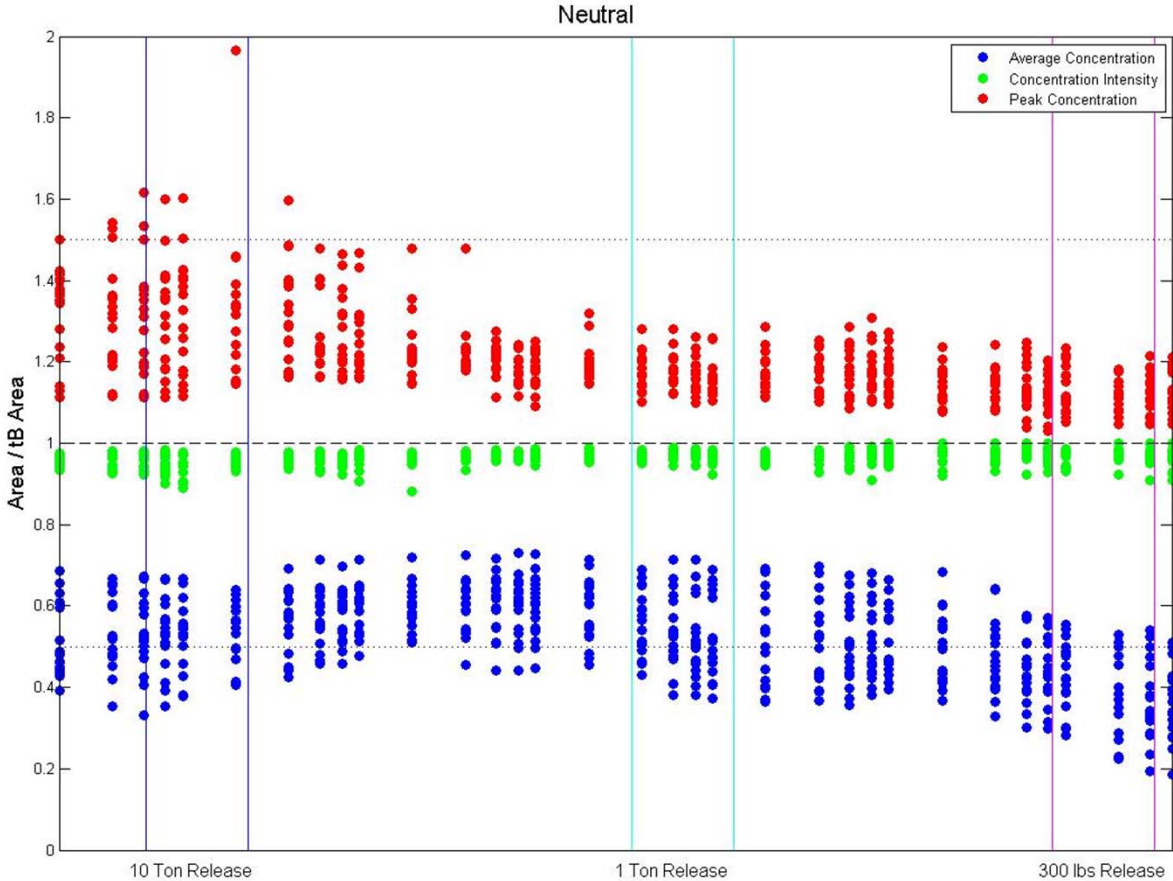




# Toxic load model hazard area estimates for Chlorine

Neutral atmospheric conditions, all 18 sources

(Wind perpendicular to attack axis)

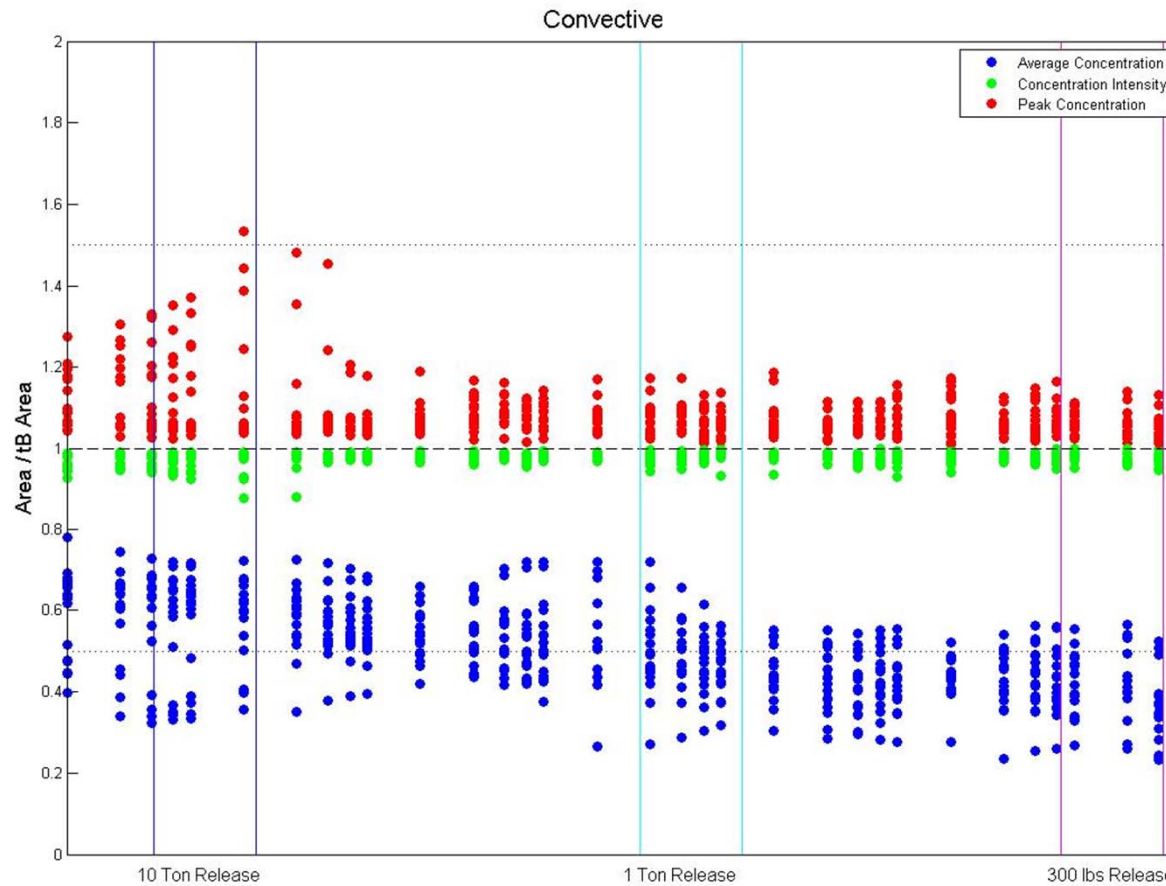




# Toxic load model hazard area estimates for Chlorine

## Convective atmospheric conditions, all 18 sources

(Wind perpendicular to attack axis)



**IDA** | Toxic load model hazard area estimates for Chlorine  
 All 18 sources

(Wind perpendicular to attack axis)

Release Mass, kg	Neutral Atmosphere		Convective Atmosphere	
	Individual Realizations Max Ratio	Ensemble- Average Max Ratio	Individual Realizations Max Ratio	Ensemble- Average Max Ratio
136	4.2	2.3	3.8	2.1
908	3.1	2.3	4.3	2.3
9080	6.1	3.3	4.6	3.0