



Determination of concentration fluctuations within an instantaneous puff

Wind tunnel experiments

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Introduction

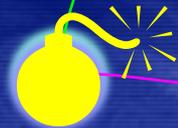
- The question of short or instantaneous releases is of special interest for :
 - Accidental or deliberate release in industrial or urban areas
 - Transport of hazardous materials



Introduction

- Short release dispersion requires specific attention :
 - The concentration distribution is the result of a single realization (not an ensemble average)
 - Necessity to estimate the 1st, 2nd, 3rd... moments of the concentration distribution
- With the followings restrictions :
 - Operational purposes require short computation times
 - Few available data to feed the models
- Design wind tunnel experiments so as to :
 - Characterize concentrations statistics for short releases
 - Develop a theoretical framework for an operational dispersion model : SIRANERISK, Soulhac et al., 2007 in Cambridge

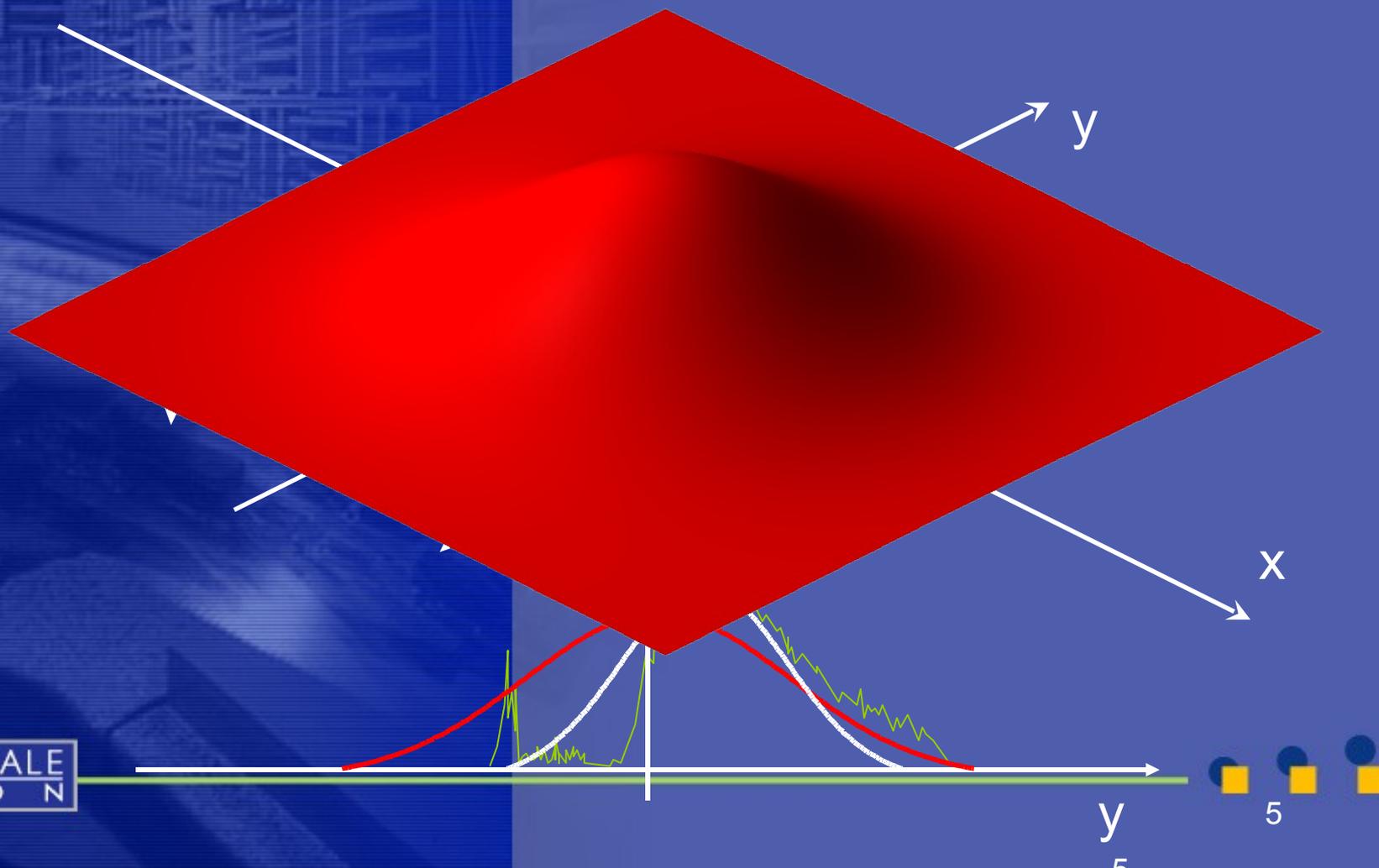
Description of a short term release



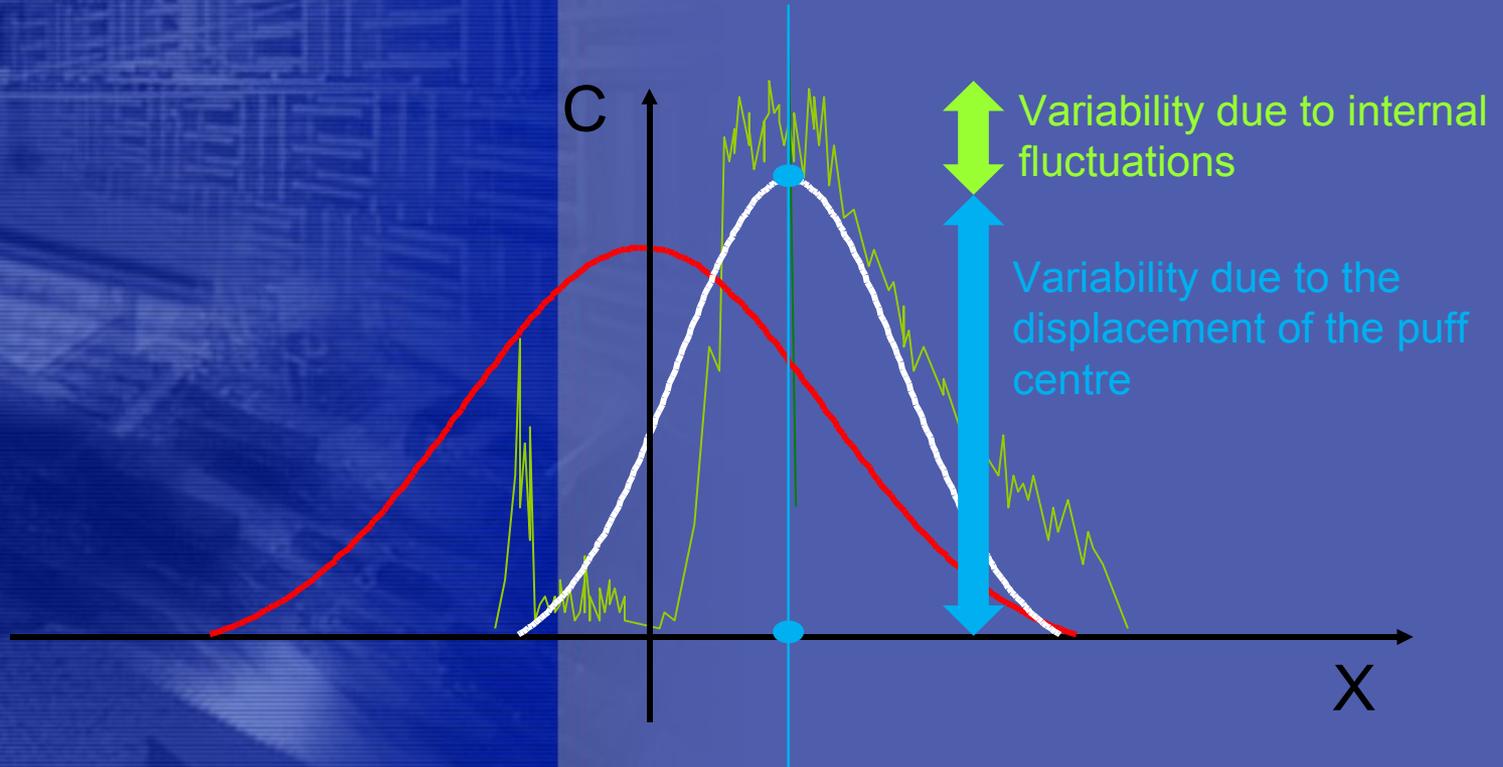
- The turbulent nature of the flow induces a particular behavior for each release
- Operational dispersion models are limited to statistic approaches

Instantaneous and mean puff

At a given time t

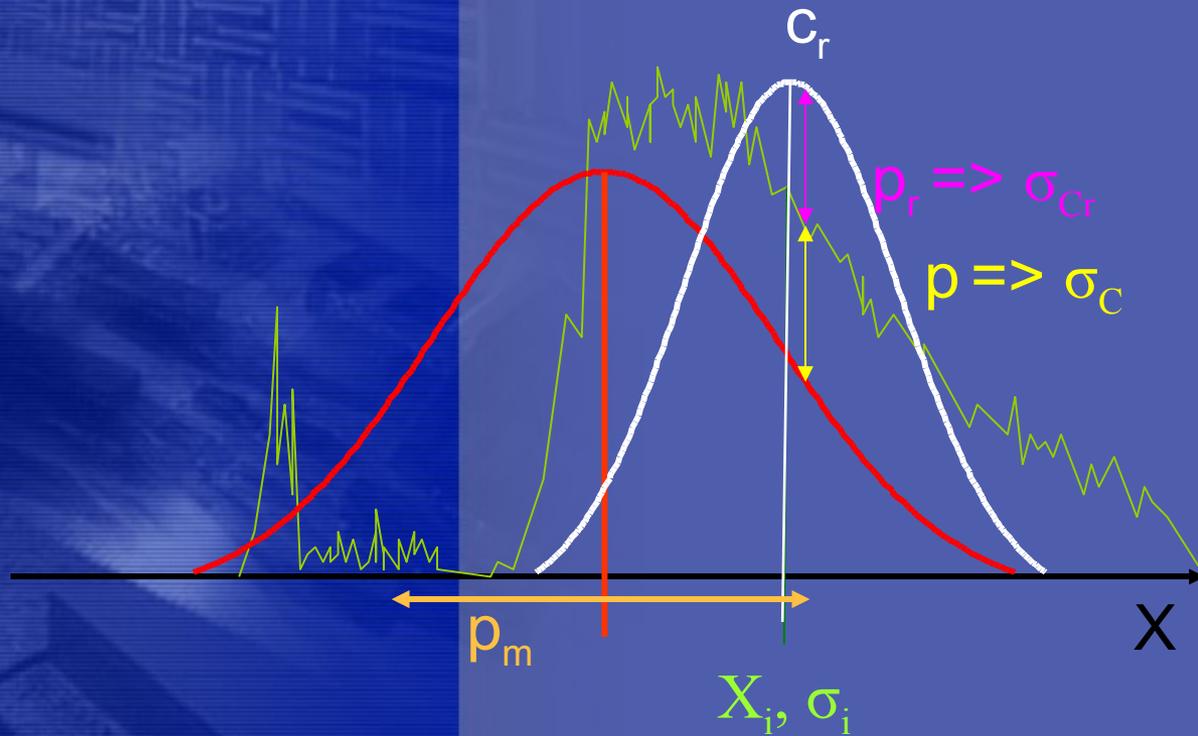


Concentration variability



Instantaneous puff descriptors

$$p_r(C; x_1, y_1, z_1, t) = \int_{-\infty}^{+\infty} \int_{-\infty}^{+\infty} \int_{-\infty}^{+\infty} C_n \exp\left(-\frac{x^2}{2\sigma_{x,m}^2}\right) \exp\left(-\frac{y^2}{2\sigma_{y,m}^2}\right) \exp\left(-\frac{z^2}{2\sigma_{z,m}^2}\right) dx dy dz$$



Derivation of equations

- $c_r(x, y, z, t)$

$$\overline{c_r}(x, y, z, t) = \frac{M(x_0, y_0, z_0, t_0)}{(2\pi)^{3/2} \sigma_{x,r} \sigma_{y,r} \sigma_{z,r}} e^{-\frac{1}{2} \left[\frac{(x-x_c)^2}{\sigma_{x,r}^2} \right]} e^{-\frac{1}{2} \left[\frac{(y-y_c)^2}{\sigma_{y,r}^2} \right]} e^{-\frac{1}{2} \left[\frac{(z-z_c)^2}{\sigma_{z,r}^2} \right]} = c_{r,0} e^{-\frac{1}{2} \left[\frac{(x-x_c)^2}{\sigma_{x,r}^2} + \frac{(y-y_c)^2}{\sigma_{y,r}^2} + \frac{(z-z_c)^2}{\sigma_{z,r}^2} \right]}$$

- Yee and Wilson (2000) :

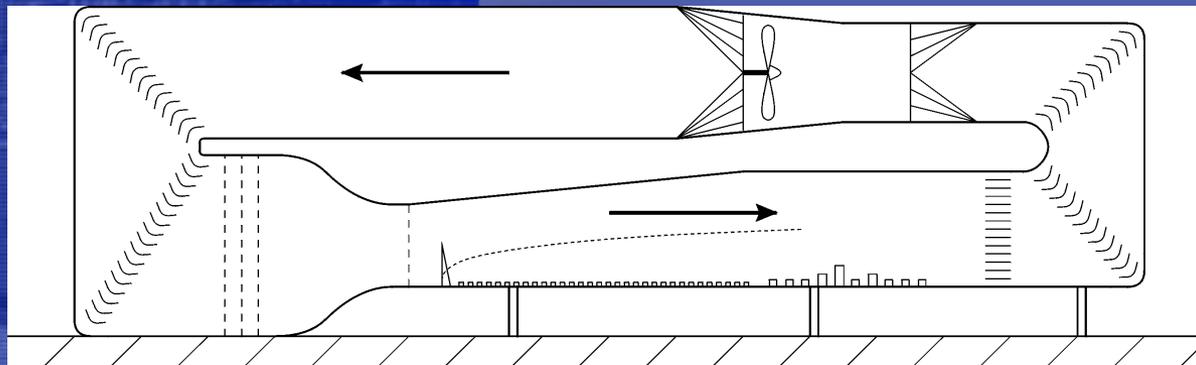
$$\frac{\overline{C^n}(x, y, z, t)}{c_{r,0}^n} = \frac{\left[\frac{1}{k^n} \frac{\Gamma(n+k)}{\Gamma(k)} \right]}{(1+nM_x)(1+nM_y)(1+nM_z)} e^{-\frac{1}{2} \left[\frac{x^2}{(1+nM_x)\sigma_{x,r}^2/n} \right]} e^{-\frac{1}{2} \left[\frac{y^2}{(1+nM_y)\sigma_{y,r}^2/n} \right]} e^{-\frac{1}{2} \left[\frac{z^2}{(1+nM_z)\sigma_{z,r}^2/n} \right]}$$

- 2 physical parameters :

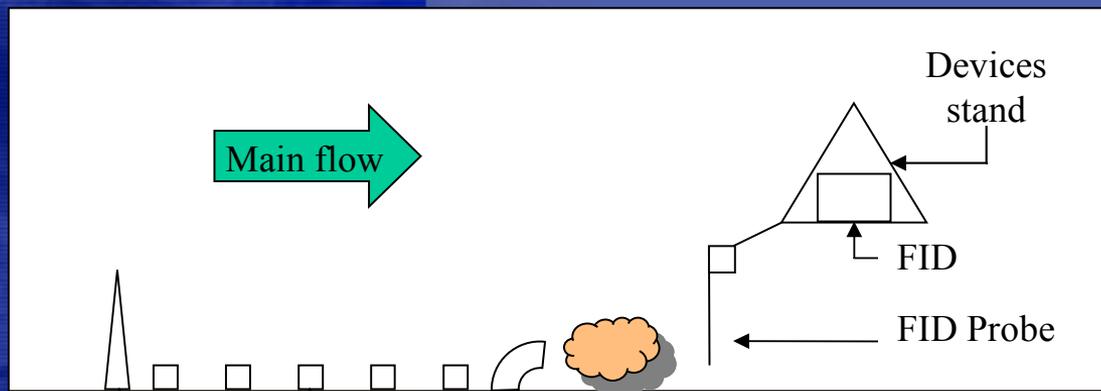
$$M_i = \frac{\sigma_{m,i}^2}{\sigma_{r,i}^2} \quad k = \frac{1}{i_r^2} = \frac{c_r^{-2}}{\sigma_{Cr}^2} \quad \frac{\sigma_{tot,i}^2 [n]}{\sigma_{tot,i}^2} = \frac{(1+nM_i)}{n(1+M_i)} \leq 1$$

Experiment design

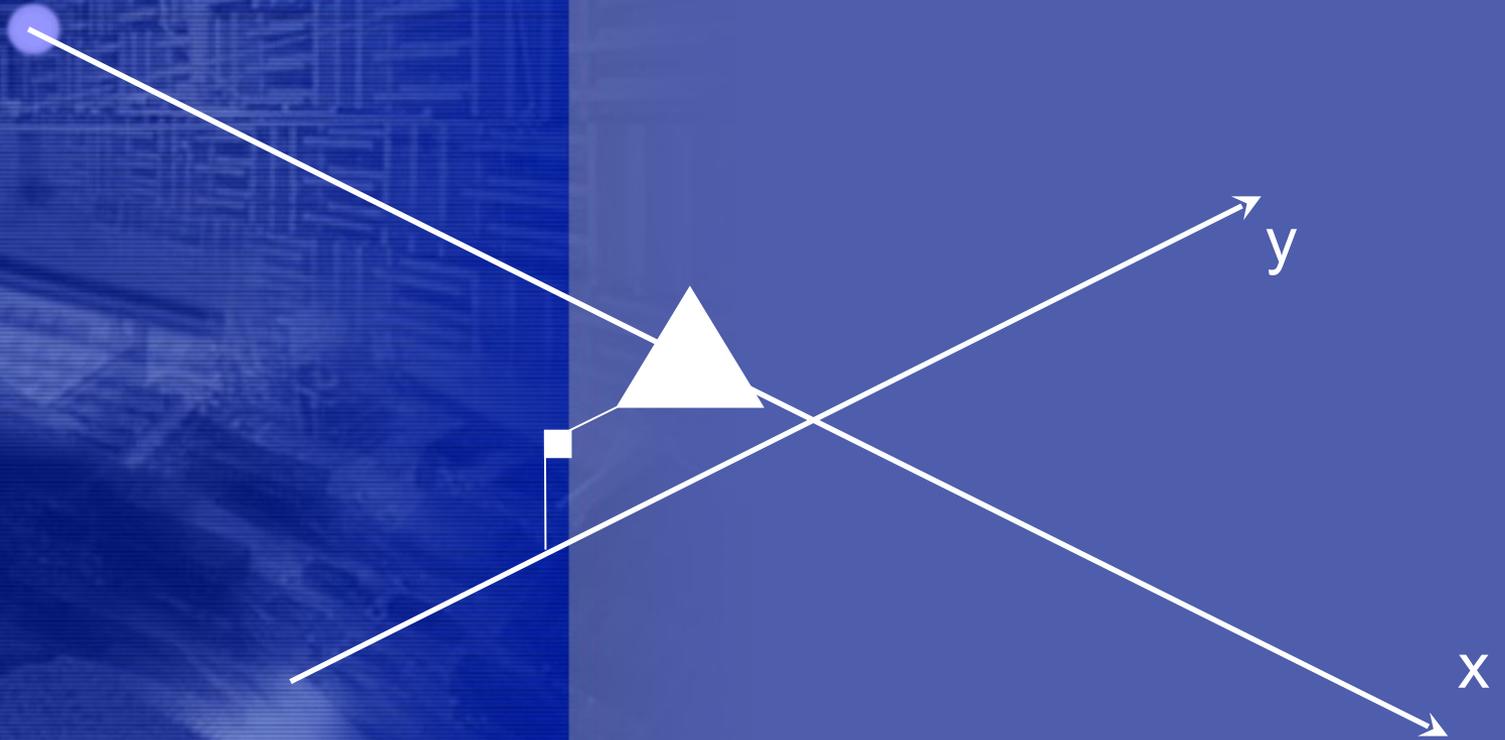
- Atmospheric wind-tunnel (Ecole Centrale de Lyon)



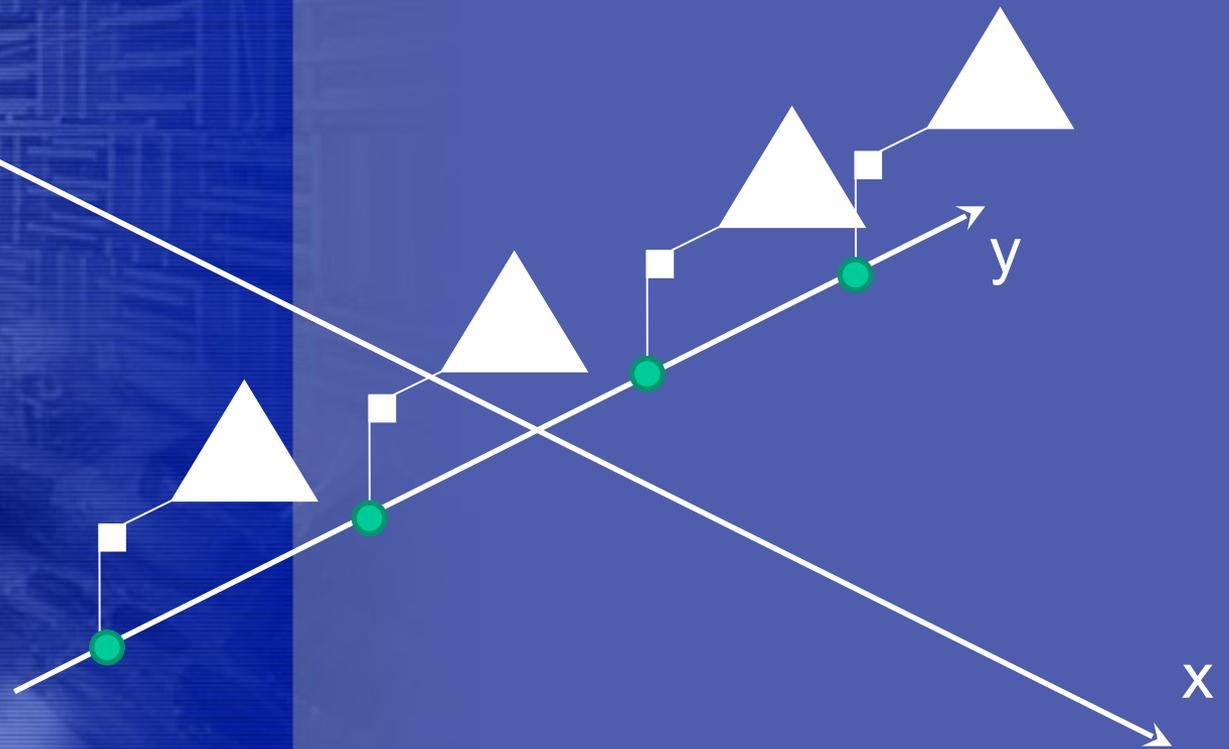
- Experimental setup



Instantaneous and mean puff



Instantaneous and mean puff

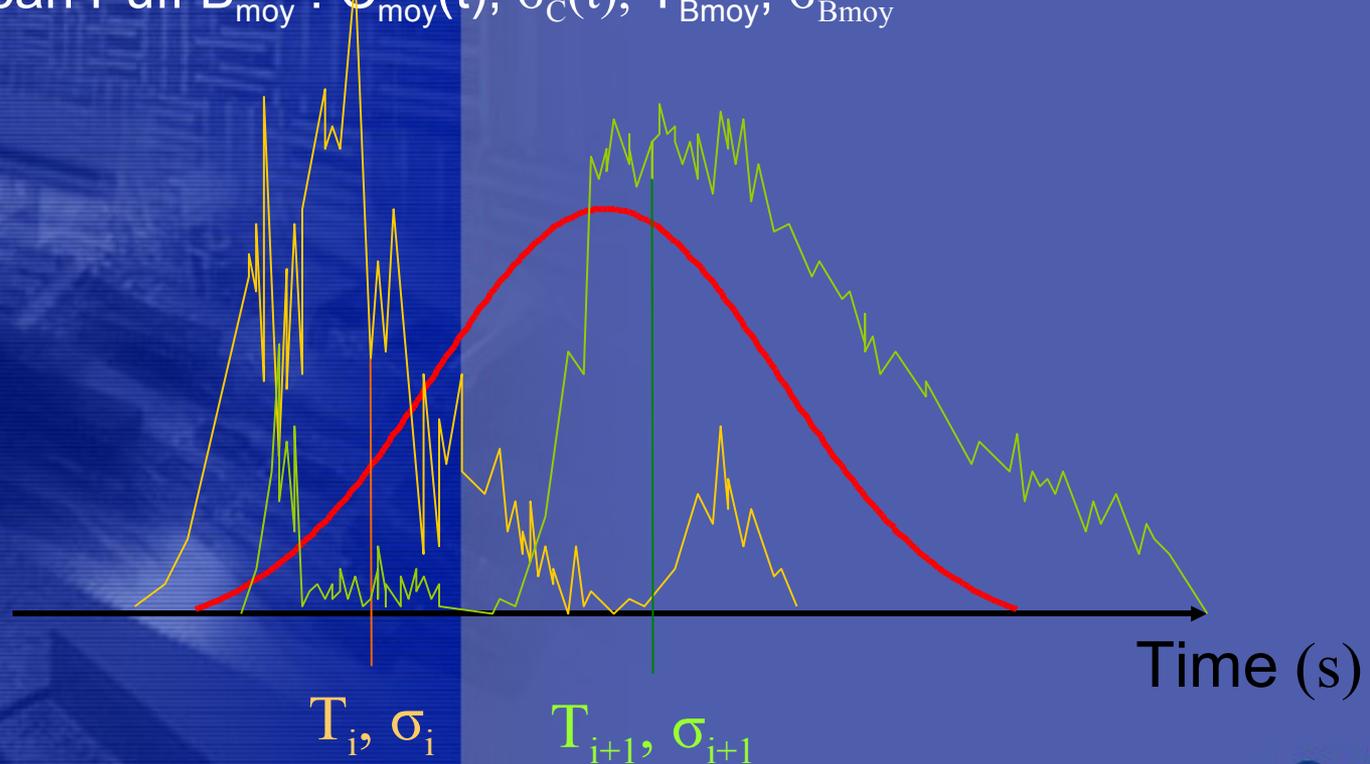


Experimental campaigns

- 2 stationary releases campaigns with $H_s = 20$ mm
 - 1 instantaneous releases campaign with $H_s = 20$ mm
 - 1 stationary release campaign with $H_s = 50$ mm
 - 1 instantaneous releases campaign with $H_s = 50$ mm
- R20
- R50

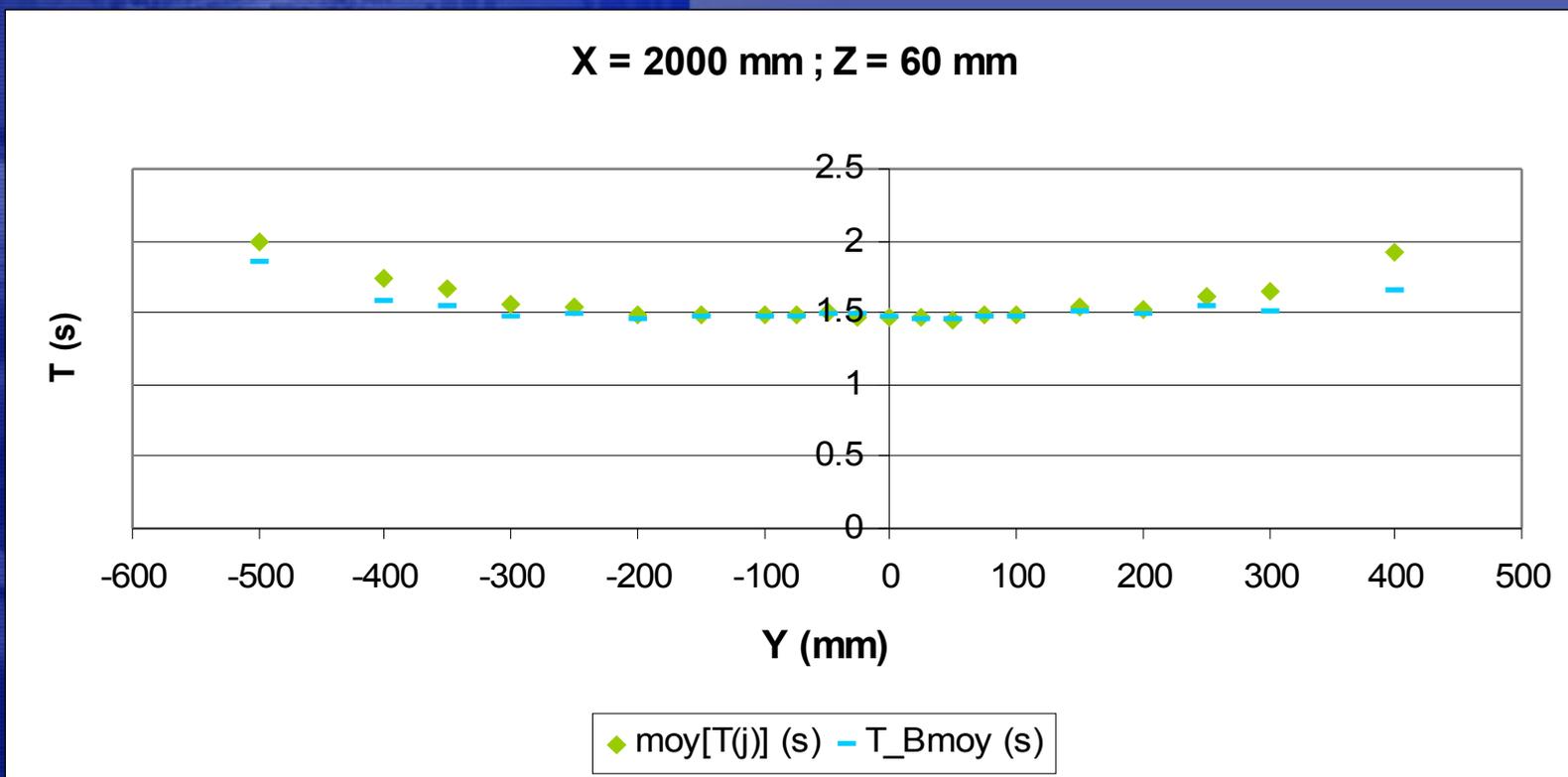
Experimental process

- Instantaneous Puff B_i : $C_i(t)$, T_i , σ_i
- N_b different releases $\Rightarrow \langle T_i \rangle, \langle \sigma_i^2 \rangle, \sigma_{T_i}$
- Mean Puff B_{moy} : $C_{moy}(t)$, $\sigma_C(t)$, T_{Bmoy} , σ_{Bmoy}



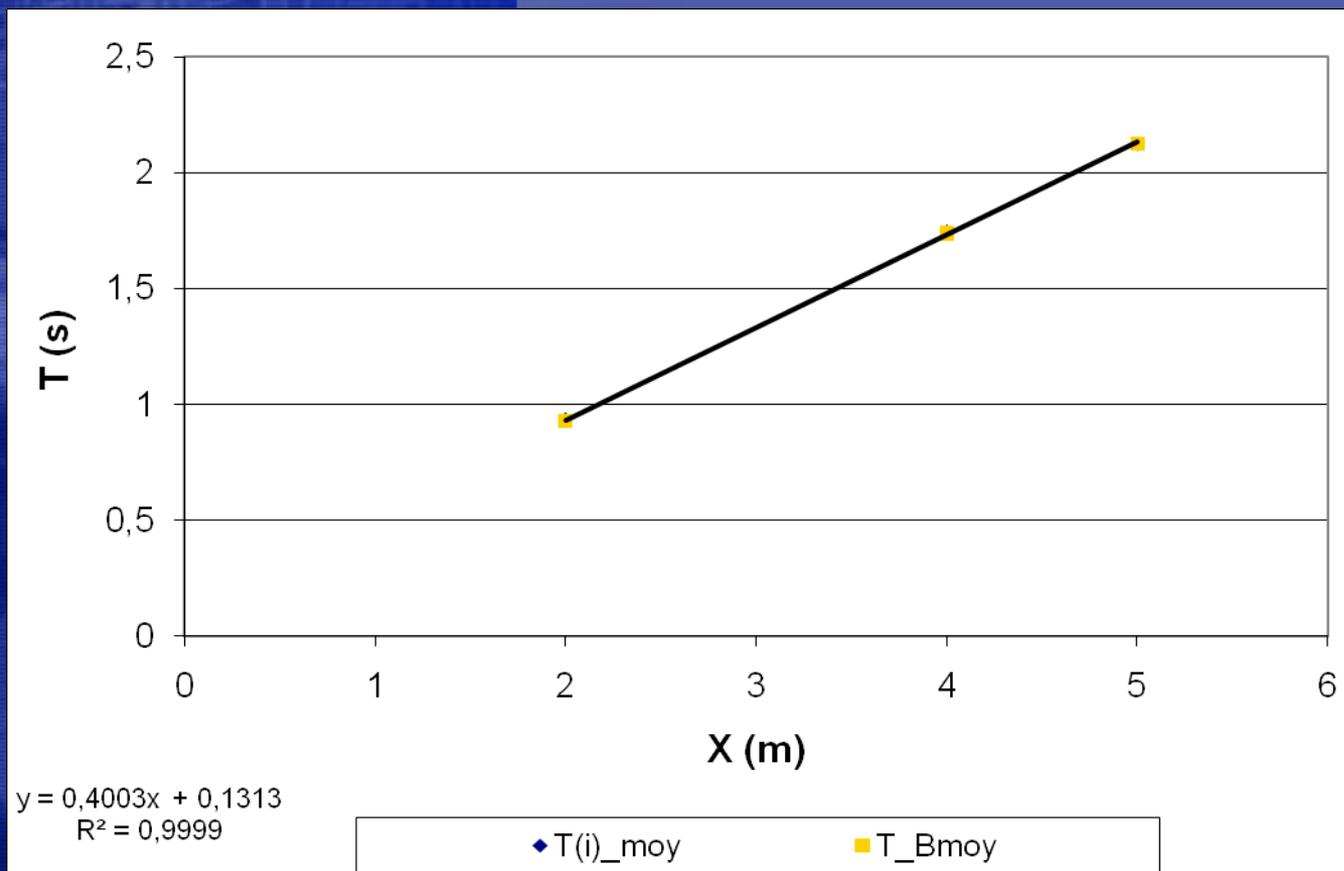
Main results

- Averaged time arrival of each release ($\text{moy}[T(j)]$) and time arrival of the mean puff ($T_B\text{moy}$); R50



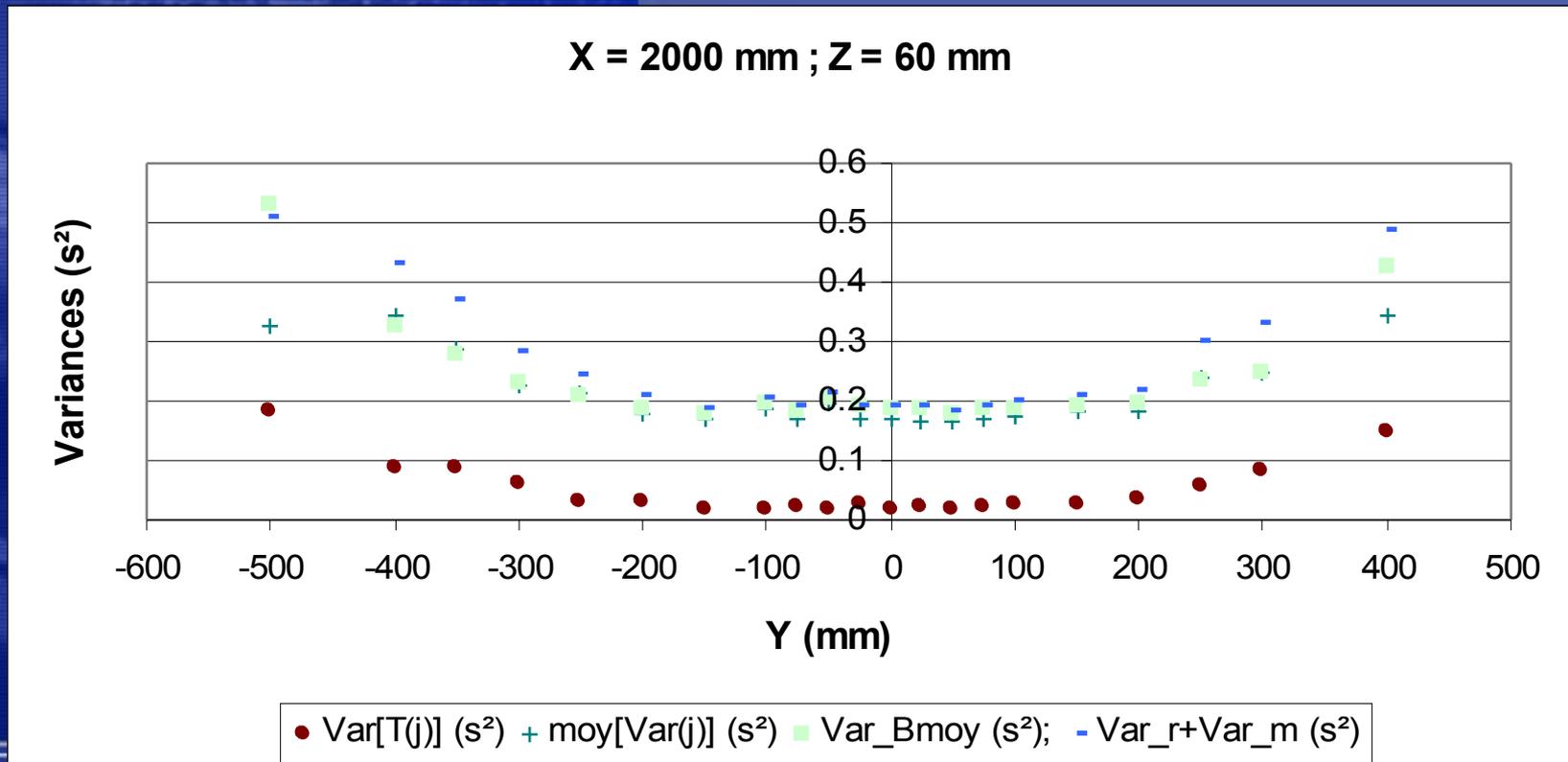
Main results

- Averaged time arrival of each release ($\text{moy}[T(j)]$) and time arrival of the mean puff ($T_B\text{moy}$); R20



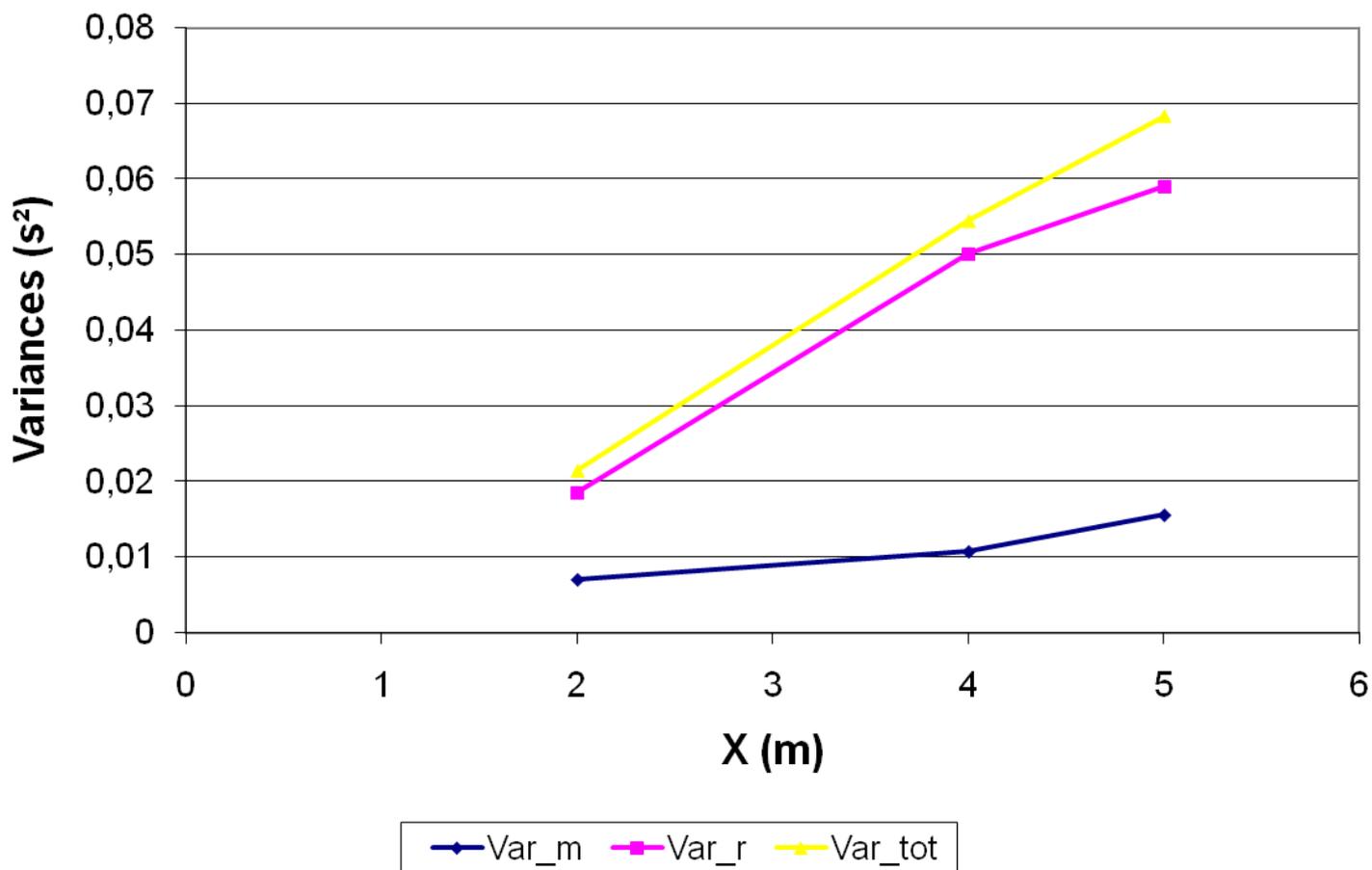
Mean results

- Mean and relative puff variances, (Var_Bmoy , $\text{Var-r} = \text{moy}[\text{Var}(j)]$), mass center spread variance ($\text{Var}_m = \text{Var}_{t_j}$); R50



Mean results

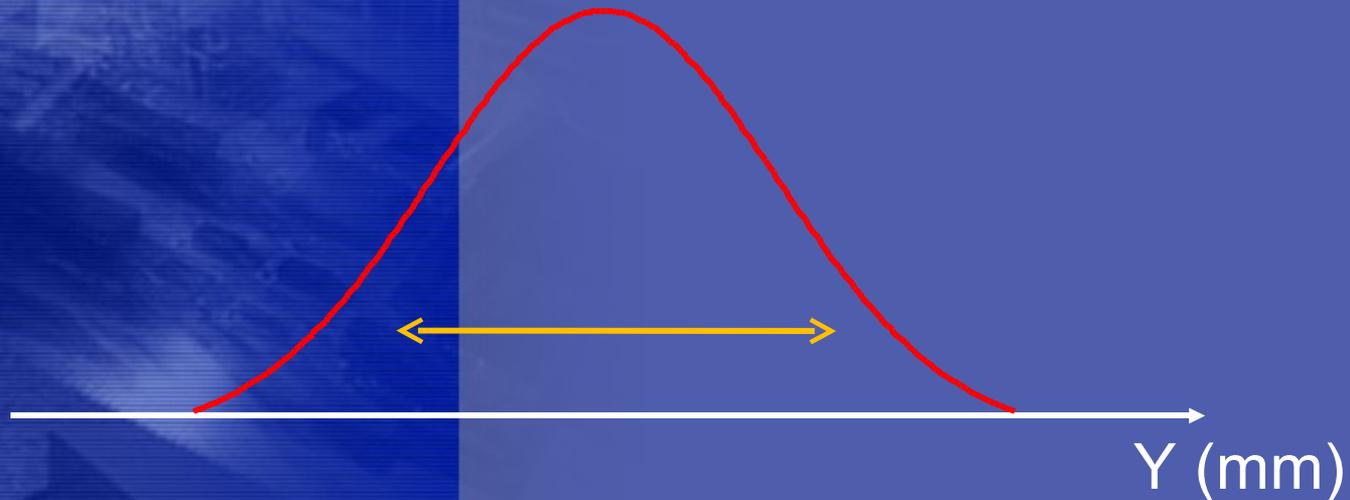
- Mean and relative puff variances, (Var_Bmoy , $\text{Var-r} = \text{moy}[\text{Var}(j)]$), mass center spread variance ($\text{Var_m} = \text{Var_t}_j$) ; R20



Experimental process

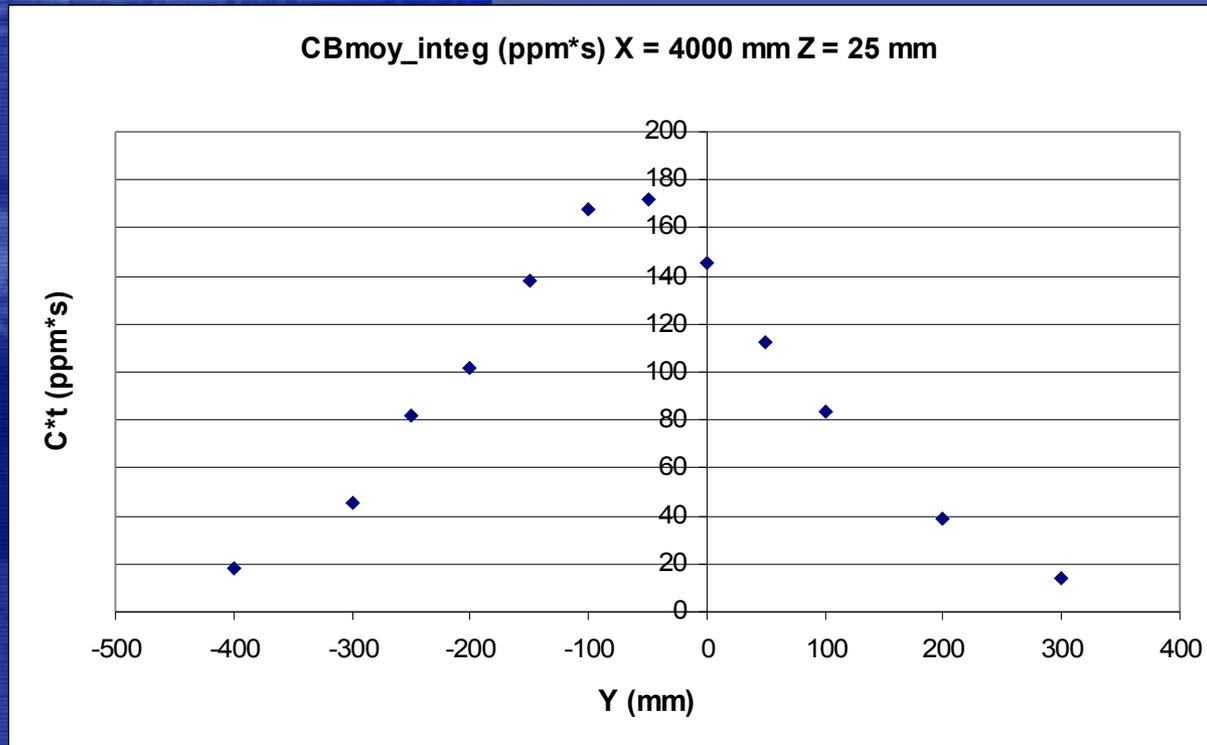
- Y transverse direction: C*t (Y) and other moments

$$\frac{\sigma_{\text{tot},i}^2 [n]}{\sigma_{\text{tot},i}^2} = \frac{(1 + nM_i)}{n(1 + M_i)} \leq 1$$



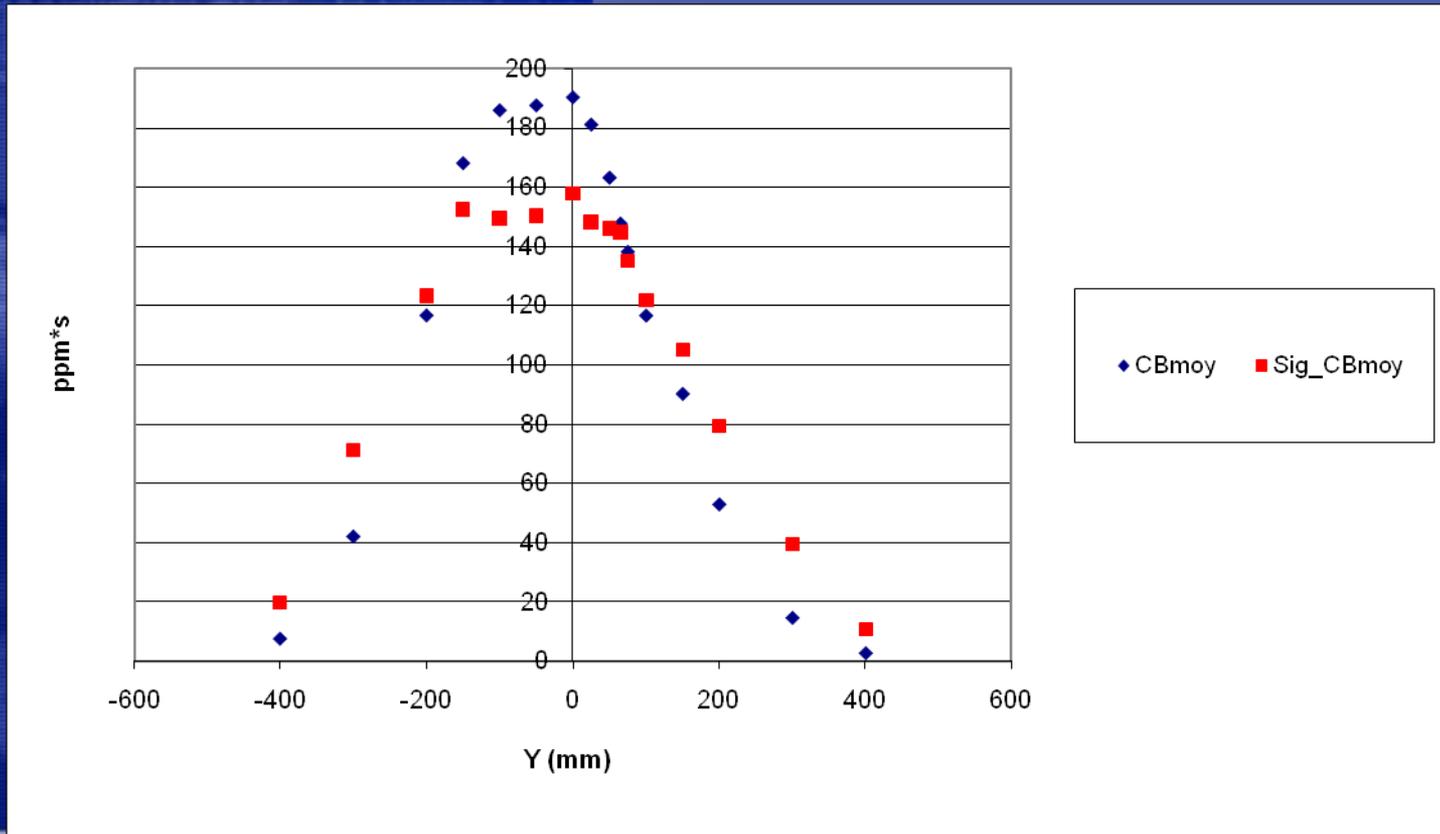
Main Results

- Gaussian distribution of the time integrated distribution (which same std as the mean puff)



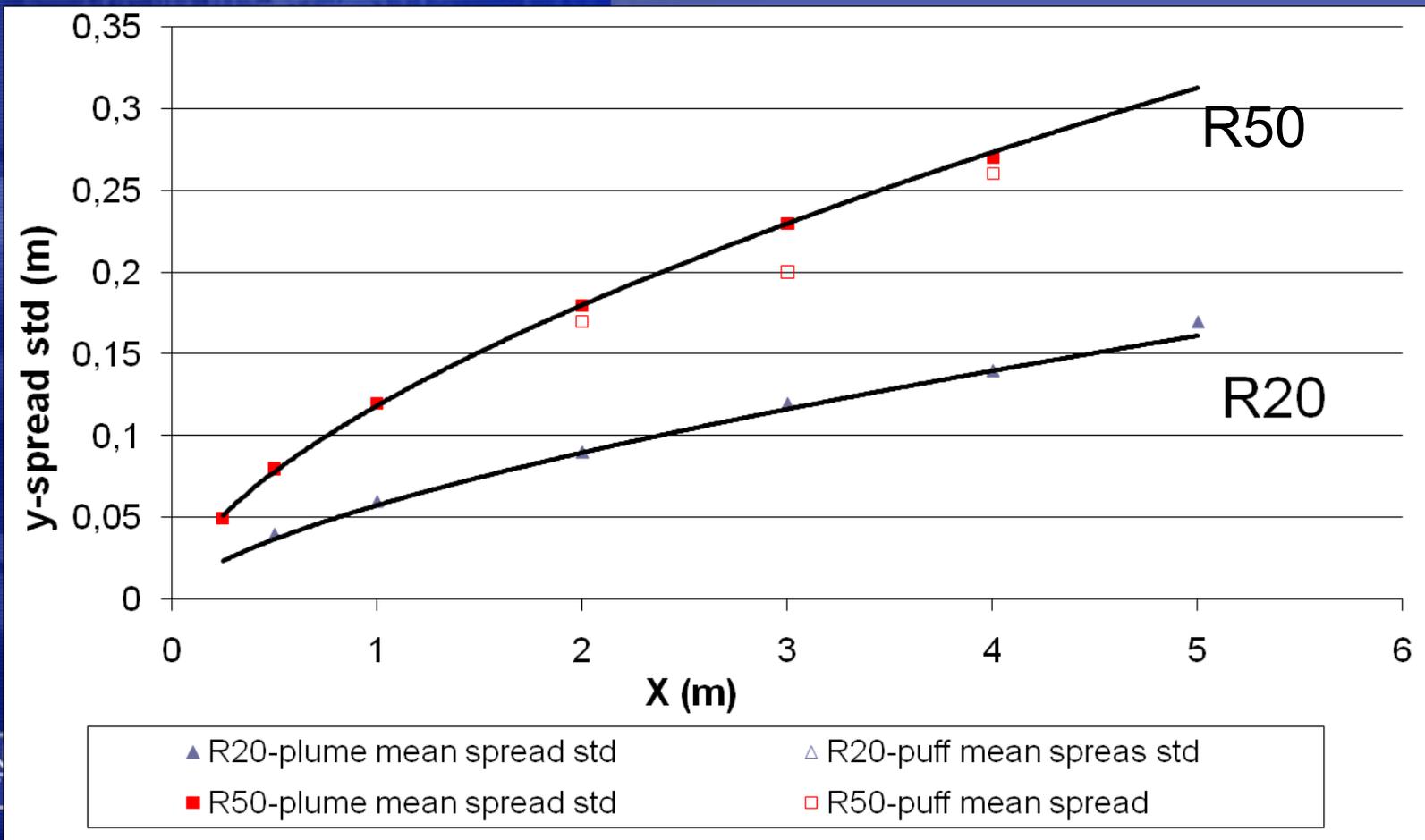
Experimental process

- Y transverse direction: C*t (Y) and other moments



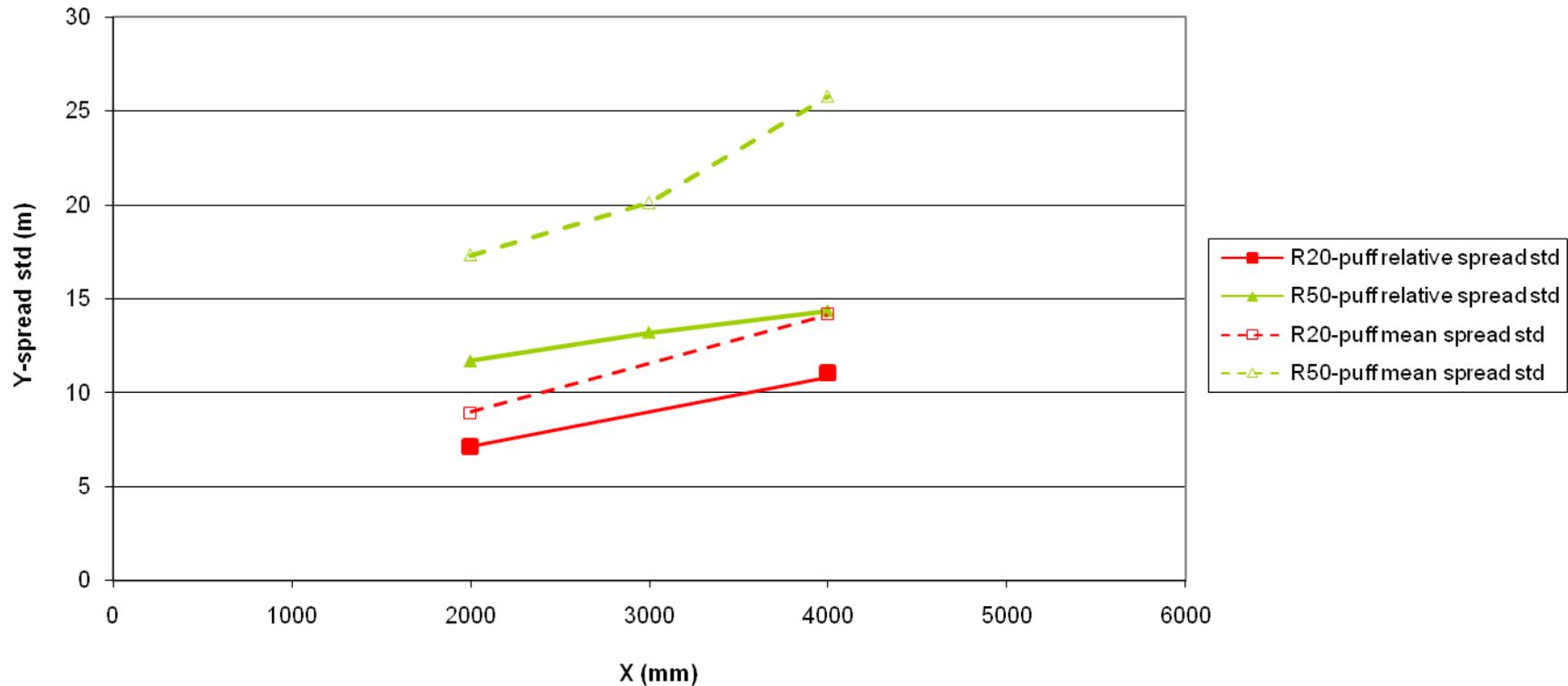
Mean results

- Y-puff mean spread std for steady and unsteady releases (R20/R50)



Main results

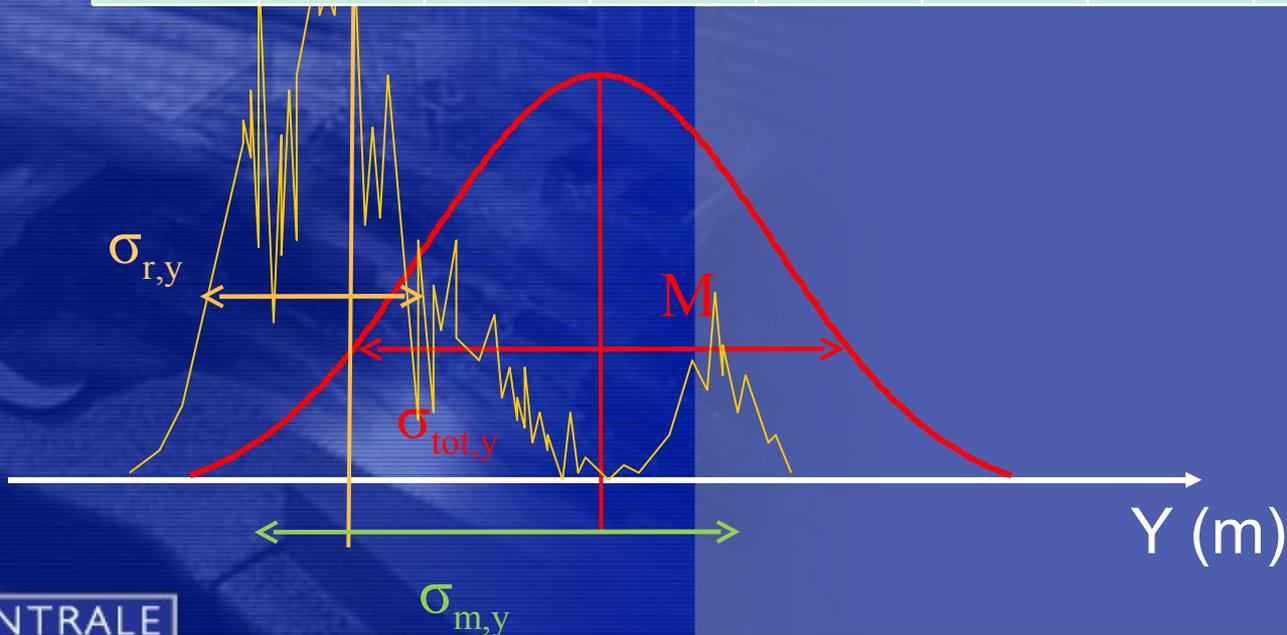
- Comparison of Y-relative spread std longitudinal evolution (R20/R50)



Main results

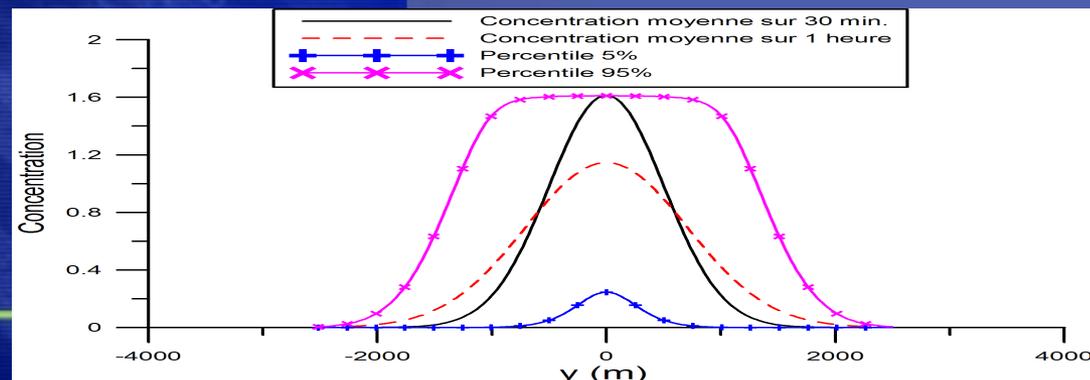
- Compulsed data for a sensor position (R50, X= 4 m)

$S_{tot,y}$	M_y	$S_{r,y}$	$S_{m,y}$	$S_{tot,x}$	M_x	$S_{r,x}$	$S_{m,x}$	$I(y)$	I_r
0.26m	2.22	0.14m	0.21m	0.9 m	0.09	0.46m	0.14m	0.57	0.54



Conclusions

- Specific experiment designed for short releases
- Main results :
 - Longitudinal dispersion dominated by relative spread
 - Longitudinal characteristics do not depend on Y
 - Plume and puff mean spreads are equivalent in the transverse direction
 - The methodology allows for the determination of the different physical involved parameters : i and M
- Application :



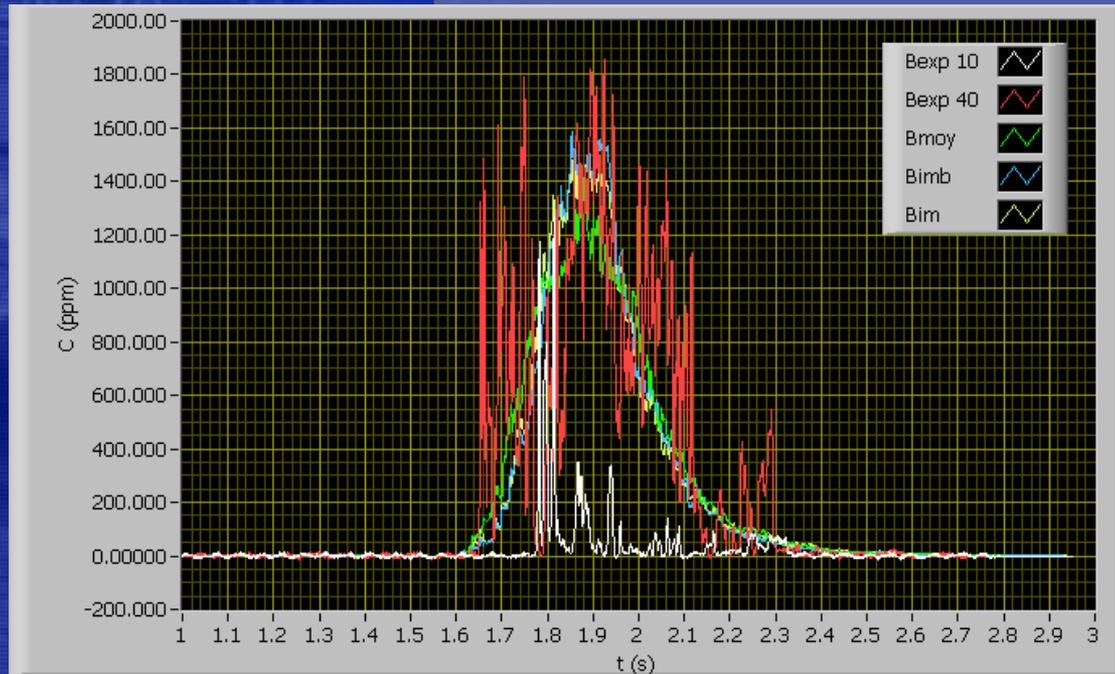
Perspectives

- Simulations and wind-tunnel experiments of short releases on an idealised district
- Integration of a variability model in operational dispersion models (SIRANERISK)

Thank you for your attention

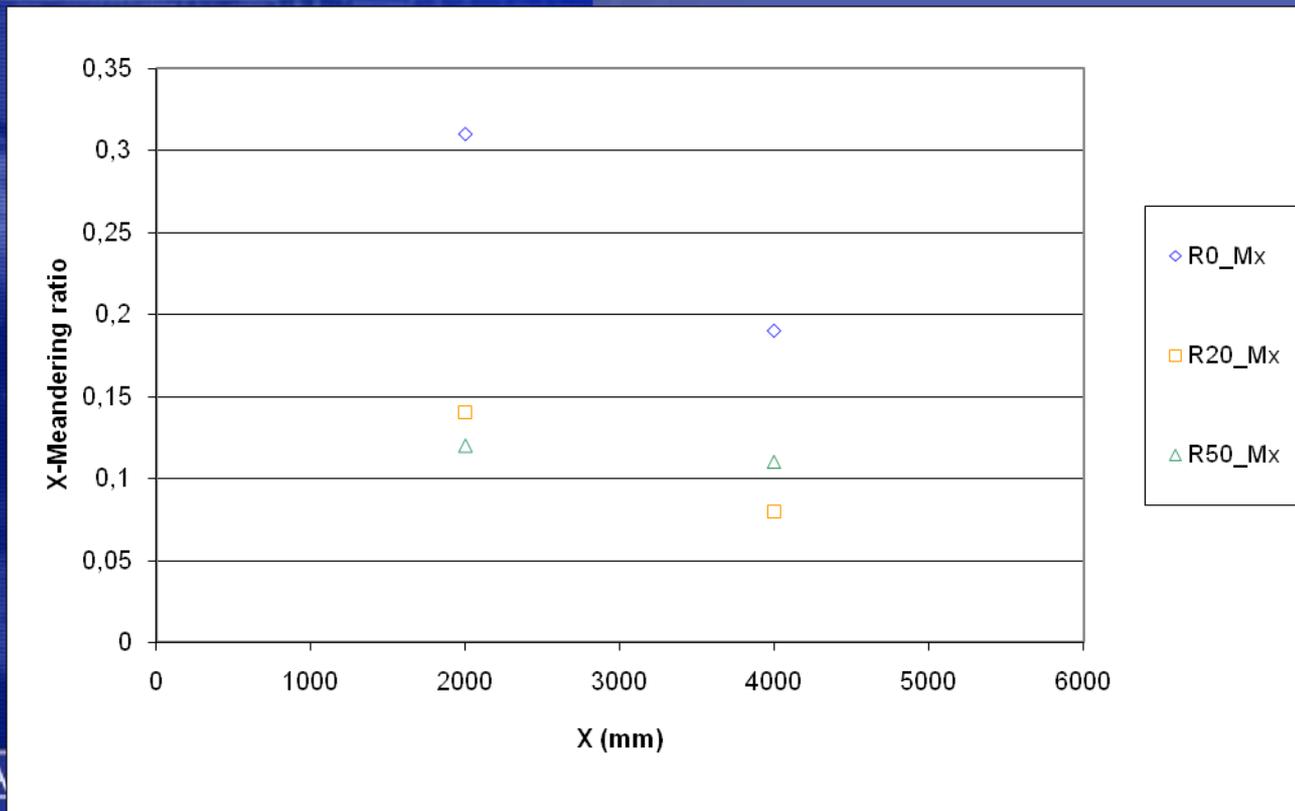
Experimental results

- 2 instantaneous puffs, mean puff, and idealized instantaneous puff ($X = 2000$ mm, $R0$)

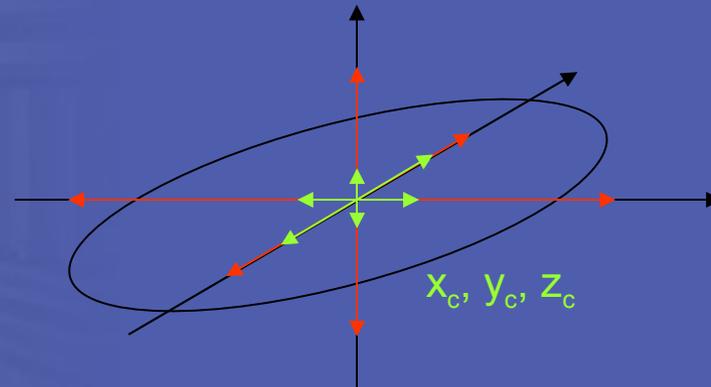
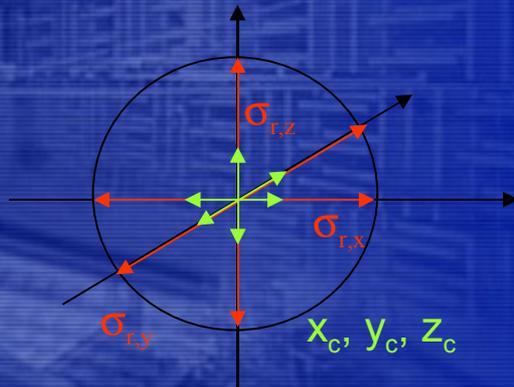


Main Results

- Comparison of X-meandering ratio longitudinal evolution (R20/R50)



Gaussian puff descriptors



Idealized Puff in an uniform flow Puff deformation in a shear layer

- $\sigma_{r,i} = g(t)$
- $\sigma_{m,i} = h(t)$
- $C(x,y,z,t)$

$$p_{m_3D}(x_c, y_c, z_c) = \frac{1}{(2\pi)^{3/2} \sigma_{x,m} \sigma_{y,m} \sigma_{z,m}} \exp\left(-\frac{1}{2} \frac{x_c^2}{\sigma_{x,m}^2}\right) \exp\left(-\frac{1}{2} \frac{y_c^2}{\sigma_{y,m}^2}\right) \exp\left(-\frac{1}{2} \frac{z_c^2}{\sigma_{z,m}^2}\right)$$